# Gertjan Verhasselt/Robert Mayhew* <br> Porphyry and ancient scholarship on Iliad 10.252-253: Edition, translation and discussion 

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#### Abstract

In Iliad 10, Odysseus claims that 'more night has passed | than two parts, but still a third part remains' (252-253). This gave rise to a Homeric problem, which received a great deal of attention from ancient scholars: If more than two parts of the night have passed, how can a third part remain? The main source for a variety of solutions to it is a lengthy discussion written along the perimeter of three pages of Venetus B, an important manuscript of the Iliad. The source of this text is almost certainly Porphyry's Homeric Questions. Porphyry presents six different solutions, including those of Apion, Chrysippus and Aristotle (this last a fragment from his lost Homeric Problems), as well as a discussion of Odysseus as astronomer. The present paper includes: a critical edition of this text based on a fresh inspection of the manuscript, yielding new readings; an English translation; notes to the text; and an interpretive essay. The paper demonstrates the limitations of earlier editors of the text, and the hope is that it will serve as an example of how properly to approach and present the fragments of Porphyry's Homeric Questions. It also turns out that, for quotations from the Iliad and Odyssey, Porphyry often does not provide the text attributed to him in the recent Homer editions of West.


Keywords: Homer, Porphyry, Aristotle, scholia, Odysseus.

## 1 Introduction

In Iliad 10, Diomedes and Odysseus volunteer one night to spy on the Trojans. Odysseus urges them to make a start:

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<br><br><br>But let us go, for night is quickly coming to an end, and dawn is near, and the stars have advanced, and more night has passed than two parts, but still a third part remains. ${ }^{2}$

This passage (and especially 252-253) received a great deal of attention from ancient Homeric scholars, and the extant evidence for what they said about it comes almost entirely from the Homeric scholia. There was discussion of possible variants of $\pi \alpha \rho o i ́ \chi \omega \kappa \varepsilon v$ ('have advanced'), none of which alter the meaning of the text. ${ }^{3}$ But the bulk of the attention in antiquity was devoted to answering some version of the following 'much-discussed question' (in the words of one A scholion from the Viermännerkommentar (VMK)): ${ }^{4}$ If more than two thirds (or two parts) of the night have passed, how can one third (or a third part) of the night remain?

There is no record of who first raised a question about these verses, but the text that is the focus of the present study tells us that this is one of the ancient questions; and the people who are cited take us back to the fourth or even the fifth century BC. The major Alexandrian scholars considered verse 10.253 to be an error. Zenodotus excised the verse, while Aristophanes of Byzantium athetised it (i.e. flagged it as spurious), ${ }^{5}$ as did Aristarchus of Samothrace. Aristarchus seems to have athetised it for two reasons: First, it was sufficient to say, in summary fashion, 'the stars have advanced', whereas to go on about the remainder of the night, with a view to being accurate, is too elaborate, as if providing the account of some astronomer ( $\check{\omega} \sigma \pi \varepsilon \rho$ व́бт $\rho o v o ́ \mu o v ~ \tau ı v o ́ \varsigma) . ~ S e c o n d, ~ \delta v ́ o ~ i n ~ t h e ~ g e n i t i v e ~(~ \tau \tilde{\omega} v$ סúo) is, he claims, not Homeric. ${ }^{6}$ Further, according to a D scholion at least one

[^1]scholar attempted to solve the problem with a hyperbaton, i.e. by reading $\tau \tilde{\omega} \nu$ סv́o $\mu$ оьро́ $\omega v$ together with $\alpha \not \sigma \tau \rho \alpha$ $\delta \dot{\varepsilon} \delta \eta \eta ~ \pi \rho о ß \varepsilon ́ ß \eta к \varepsilon$ in the preceding line, so that the result is purportedly something like: 'the stars have advanced two parts, and most of the night has passed, but still a third part remains ...'7

Our main source for a variety of answers to this question - solutions to this problem - is an unusually lengthy text written along the perimeter of three pages

Homer as a genitive or dative, $\delta v ́ \omega$ is used as a dative in $I l .13 .407$ and as a genitive in $O d .10 .515$; these are also the only two passages in Homer where the number two is attested in the dative or genitive (so Homer does not use $\delta$ voĩv; he does, however, use the dative for the alternative $\delta$ oıo'). See Römer 1912, 159 and Hainsworth 1993, 177-178. See also the discussion in Eust. Il. 10.251 vol. 3
 are not attested in Homer, but this is not what the scholion intends to say, since 'oi סv́o' and 'rov̀s $\delta v ́ o ’$ are not attested either (the only forms attested with the article are $\tau \grave{\omega} \delta v v^{\prime} \omega$ in $I l .5 .554 ; 13.345$; 19.47, oi $\delta v ́ \omega$ in Od. 12.73 and $\tau \grave{\alpha} \varsigma ~ \delta v ́ o ~ i n ~ I l . ~ 20.271) . ~ T h a t ~ i s ~ a l s o ~ w h y ~ E r b s e ~ 1969-1988, ~ I I I, ~ 51 ~ w r i t e s ~$ oi ‘סv́o’ $\mu \varepsilon ̀ v ~ y \alpha ̀ ̀ \rho ~ \lambda \varepsilon ́ y \varepsilon ı ~(E ~ 303 ~ a l) ~. к \alpha i ̀ ~ \tau o u ̀ s ~ ‘ \delta u ́ o ’ ~(B ~ 346 ~ a l.) . ~ T o ~ e x p r e s s ~ t h e ~ n u m b e r ~ t w o, ~ H o m e r ~$ also uses סoıo'/ $\delta$ oı $\omega$. For the view that Aristarchus interpreted this passage despite athetising 10.253 , see n . 135 below.






 III, 48 adopted Cobet’s correction of the Homeric line in this second scholion to $\alpha$ 人 $\sigma \tau \rho \alpha \dot{\varepsilon} \delta \dot{\eta}$
 However, this might not be necessary. It is possible that this is the result of a misinterpretation of the D scholion as if it means that there was an actual reading that literally transposed the Homeric lines (which would obviously be unmetrical). Note also that the A scholion from the Viermännerkommentar shares the reading $\pi \lambda \varepsilon \dot{\varepsilon} \omega$ with most manuscripts of the D scholion. Moreover, like the D scholion, it refers to the night consisting of three parts. This would also explain why the two Homeric lines are quoted in full, which puzzled Ludwich 1884, 315, since the focus in the second part of the scholion is the Aristarchan reading $\pi \alpha \rho o i ́ \chi \omega \kappa \varepsilon v$. Van der Valk 1963-1964, I, 124-125, who also restored the text like Dindorf, tried to explain this by assuming that the scholion indicates that some critics did not athetise l. 253. However, the scholiast would not have simply used ypá $\varphi \varepsilon \tau \alpha \iota$ to communicate this; for its counterpart oủ y $\rho \alpha{ }_{\rho} \varphi \varepsilon \tau \alpha$ is not used to indicate athetesis but to show that the line in question was not written at all (athetised lines were still written but flagged with the obelus sign). See the Glossary of Greek Terms in Nünlist 2009, 368 s. v. $\dot{\alpha} \theta \varepsilon \tau \varepsilon ́ \omega$ ( $\dot{\alpha} \theta \varepsilon ́ \tau \eta \sigma ı)$ ): "to consider spurious, to mark as spurious (but without excising)" (see also Nünlist 2009, 16 n .57 ), and 371 s.v. ypá $\varphi \omega$, ov̉: "to excise (i.e. athetise in the modern sense)". For the hyperbaton interpretation, see also Eust.


of Venetus B, ${ }^{8}$ an important manuscript of the Iliad containing two levels of scholia (eleventh century, and twelfth or thirteenth). Although the text under discussion cites no author, it is generally taken to be an excerpt from Porphyry's Homeric Questions. ${ }^{9}$ Modern scholars have rightly become sceptical with regard to the inclusion of anonymous texts under the fragments of Porphyry. ${ }^{10}$ Indeed, in the case of the Homeric Questions, the standard edition by Schrader went much too far in including anonymous texts. Schrader included all scholia written in the form of a question in the Homeric scholia (spanning the A, bT and D scholia in the case of the Iliad) and even in Eustathius as fragments of Porphyry. This principle was rightly refuted by Erbse. ${ }^{11}$ However, Porphyry is more likely to be the author of the excerpt than might appear at first sight. *B generally does not name Porphyry at the start of an excerpt, but the other main manuscripts containing the same excerpts - Scorialensis $\Omega$.I. 12 ( $\mathrm{E}^{4}$ ) and Harleianus gr. $5693\left(\mathrm{Bm}^{8}\right)$ - usually cite Porphyry at the start of the excerpt, thus confirming him as the author of the excerpt. Moreover, the attribution of the zetemata excerpts of *B to Porphyry is further confirmed by the numerous parallels with the Zetemata Vaticana (i.e. the first book of Porphyry's Homeric Questions). As we will show below, the text under discussion is not preserved in the other manuscripts. But the overwhelmingly large number of parallels for other excerpts suggests that Porphyry is most likely to be the author of the excerpt. Therefore, we posit that the excerpts in *B constitute an exception to the 'minimalist' rule, with which we otherwise wholeheartedly agree.

This text makes clear that most ancient literary scholars - or in any case, those whose views Porphyry thought were worth recording - sought to defend these verses as they stand. Here is an outline of the contents of this text (We have embedded these numbers and letters into our text and translation).

1. Introductory remarks on how to approach Homeric problems
2. A paradigm case: Iliad 10.252-253 and 'one of the ancient questions'

[^2]3. Solutions: a. The solution of 'some'
b. The solution of Metrodorus (of Lampsacus the Elder?)
c. The solution of Chrysippus
d. The solution of 'others'
e. The solution of Aristotle
f. The solution of Autochthon
g. The solution of Apion
4. What stars is Homer referring to, and what exactly does $\pi \rho \circ \beta \dot{\beta} \beta \eta \kappa \varepsilon$ denote?

In this paper, we first provide a critical edition and translation of the Porphyry excerpt (§ 2), followed by text-critical notes (§ 3). ${ }^{12}$ We then provide an interpretive essay, in which we discuss the various views presented by Porphyry (§ 4).

## 2 Edition and translation

Porphyry's Homeric Questions are known to us partly in direct and partly in indirect transmission. The first book (which we have dubbed the Zetemata Vaticana ${ }^{13}$ ) is preserved in direct transmission. The rest of Porphyry's work is preserved only through excerpts in the manuscripts of the Homeric epics. For the excerpts on the Iliad, the most important manuscript is Venetus B. The text discussed in this article is one of those indirectly preserved excerpts. Before presenting our edition and translation of the excerpt, it is necessary to discuss briefly the previous editors of this text. ${ }^{14}$

The Iliad scholia in Venetus B were first published by Villoison in 1788. However, Villoison often seems to have misread the text and to have misinterpreted the abbreviations used in the manuscript. ${ }^{15}$ In 1825, Bekker made a new edition, in which he edited all B scholia together with the A and D scholia. Although he inspected Venetus B, he only partly collated it and often still relied on the text as edited by Villoison. ${ }^{16}$ The Porphyry excerpts on the

[^3]Iliad were re-edited in Kammer's 1863 dissertation. Although Kammer did not inspect Venetus B (or any manuscript for that matter), relying instead on Bekker's text, he provided numerous conjectures. ${ }^{17} \mathrm{He}$ also often suggested deleting sections, which - in his opinion - interrupted the flow of the text. While he often correctly identified interpolations, he went much too far in obelising the text.

The scholia in Venetus B received their first critical edition in the third volume of Dindorf's edition of the Iliad scholia in 1877, edited on the basis of a renewed inspection of the original manuscript. In 1888, Schrader published a new edition of the Porphyrian excerpts on the Iliad, which remains the standard edition to this day. ${ }^{18}$ Schrader's main source is Venetus B, but he also used additional manuscripts, particularly the codex Lipsiensis gr. $32(\mathrm{Li})^{19}$ and the codex Leidensis Vossianus gr. 64 (Le). The former is now known to be an apograph of B, while the latter is an apograph of the codex Scorialensis $\Omega . I .12$ ( $\mathrm{E}^{4}$ ). In his monumental edition of the Iliad scholia, which covers both the A and bT scholia, Erbse included only the first layer of B scholia, thus excluding all the excerpts from Porphyry. More recently, MacPhail has published a new edition and translation of the Porphyrian excerpts on the Iliad preserved in indirect transmission on the basis of Venetus B, E ${ }^{4}$ and the codex Harleianus gr. $5693\left(\mathrm{Bm}^{8}\right)$ (in addition to Li and Le). ${ }^{20}$

The text edited here is not found in $\mathrm{E}^{4} / \mathrm{Le}, \mathrm{Bm}^{8}$ or Li (the apograph of Venetus B). However, it is found in another copy of B not used by previous editors, viz. Vaticanus Palatinus gr. $12\left(\mathrm{~V}^{20}\right)$ (thirteenth century) ${ }^{21}$. Since this is a codex descriptus, we do not systematically cite its readings, but we do cite it when it corrects

[^4]a corrupt passage or resolves an abbreviation in B whose resolution is debated. When we cite deviating readings in $\mathrm{V}^{20}$, these should thus be considered the equivalent of conjectures.

Despite the recent edition by MacPhail, the textual constitution is often still problematic, as will become clear from the notes and essay. Our renewed inspection of Venetus B also shows that MacPhail (like the editors before him) sometimes misread the text (though far less often than Villoison or Bekker). His translation, which aims to be literal, is also often difficult to understand. ${ }^{22}$ Moreover, despite its title (Porphyry's Homeric Questions on the Iliad: Text, Translation, Commentary), MacPhail's book does not offer a commentary on the text (neither a philological nor an interpretive one) but merely offers sporadic footnotes. Furthermore, for our excerpt, MacPhail even omits the end of the text (virtually all of Item 4 in our outline) without any explanation.

## *B Iliad 10.252 (fols. 134v-135v)

## Porphyry, Homeric Questions on the Iliad (p.147.5-151.26 Schrader)












[3b] M $\uparrow \tau \rho o ́ \delta \omega \rho o \varsigma ~(61 ~ f r . ~ 5 D K) ~ \mu \varepsilon ̀ v ~ o u ̃ v ~ \tau o ̀ ~ \pi \lambda \varepsilon i ̃ o v ~ \delta v ́ o ~ \sigma \eta \mu \alpha i ́ v e ı v ~ \varphi \eta \sigma i ̀ ~ \pi \alpha \rho, ~$

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[^5][1] The collection of the inquiries has appeared already also in other writers; but we, taking the problems from those who have made the inquiries, are evaluating the solutions that they assigned to the problems, and some of them we approve of, whereas others we reject, and some solutions we find ourselves, whereas others we attempt to revise and work out, as will be clear to the reader.
[2] To begin with, the following is agreed to be one of the old questions, where [Homer] says: 'and the stars have advanced, and more night has passed | than two parts, and a third ${ }^{23}$ still remains' [Il. 10.252-253]. For how, if these two parts have passed and even more than this, does the third part remain but not part of the third?
[3a] Hence, some in fact, adding a sigma ${ }^{24}$, thought fit to write 'and some part of a third remains', so that some portion of the third is left, but not the whole third.
[3b] Now Metrodorus [61 fr. 5 DK ] claims that $\pi \lambda \varepsilon \tilde{0} 0 v$ means two things in Homer. For [it has] both the customary meaning [i.e. 'more' or 'most'], as when he says 'after he cut away from the back [of the boar], and more [or 'most'] was left' [Od. 8.475], and 'but it is my hands that conduct more [or 'the greatest part'] of furious war’ [Il. 1.165-166]; <but> [he claims] that it also means 'full', as in 'your cup always stands full ( $\pi \lambda \varepsilon \tilde{\imath} o v$ )' [Il. 4.262-263], and in 'your huts are full ( $\pi \lambda \varepsilon \tilde{\pi} \alpha \mathrm{l}$ ) of bronze’ [Il. 2.226]. So in the present case, [he claims that] $\pi \lambda$ ह́ov is used instead of $\pi \lambda \tilde{\eta} \rho \varepsilon \varsigma$ : for the night having become filled with two thirds has passed, and one third remains. And he divided it into three, since the night contained three watches.

23 The Homeric ai $\delta$ v́o $\mu$ oĩpos is the equivalent of the Attic $\tau \alpha \dot{\prime} \delta v{ }^{\prime} \mu \varepsilon ́ \rho \eta$ here, which is the standard way of saying ‘two thirds’, with тò т $\rho$ íтоv $\mu \varepsilon ́ \rho о \varsigma ~ \dot{\eta} \tau \rho \iota \tau \alpha ́ \tau \eta ~ \mu о і ̃ \rho \alpha$ meaning ‘one third’. However, the interpretations cited further on show that not all ancient writers interpreted it this way. 24 I.e. to $\tau \rho \iota \tau \alpha ́ \tau \eta$, making it the genitive $\tau \rho \iota \tau \alpha ́ \tau \eta \varsigma$.



















[^6][3c] But Chrysippus [SVF III fr. 772] claims that it is just as if someone, speaking about three days, says on the third that one day still remains, even if he does not make this statement around dawn; so too, although more than two thirds have passed, Odysseus claims that one third is left, since each portion of the night, which is tripartite, is taken as a unit, so that even if this is lacking and not complete, still it is counted as a third because it has the third position among the parts. For so too [he claims] a human being thaving just been bornt still obtains the whole title [of human].
[3d] Others claim that poets have a custom of using a round number, sometimes by cancelling the remainders in the numbers for the sake of using a whole and rounded one. For instance, <one> might say 'a thousand-shipped army' of the Greeks - though the ships were 1186 - and further, 'twenty columns to a single expedition, eleven to infantry, twelve to ships' [TGF II Adesp. fr. 432a], instead of twenty-three. Sometimes they omit the initial [digit], satisfied with the remainder; for instance, 'he slew his twelve dear children in the prime of their youth, and him third' [Pind. fr. 171 Snell/Maehler] instead of 'thirteenth'. And 'he was himself brought down by the fourth' [Pind. fr. 135 Snell/Maehler], says Pindar, instead of 'by the fourteenth'. 'Let your wife grow up for four years and let her be married in the fifth' [Hes. Op. 698] instead of 'fourteen' and 'in the fifteenth'. Eupolis in the Golden Race [fr. 298 Kassel/Austin]:
[A]. őy






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 192 || к $\alpha \lambda \eta \nu$ Schneider 1846, 647 et Emperius 1847, 309 : к $\alpha \lambda \eta{ }_{\eta} \nu$ *B : $\kappa \omega \lambda \tilde{\eta} \nu$ Meineke 1839, 537 :












 $\pi \alpha v \delta \tilde{\eta} \mu \alpha \rho$ *
> [A] Twelfth is the blind man, third the man with a hump, fourteenth the branded man,
> fifth the redhead, sixth the squint-eye.
> And these men are sixteen up to Archestratus, but up to the bald-head seventeen. [B] Hold on!
> [A] Eighth is the man wearing the threadbare cloak.

Sometimes they add from without, in order to express a full number; for instance, although Homer says 'I [sc. Priam] had nineteen [sons] from a single womb' [Il. 24.496], Simonides says: ‘you, mother of twenty children, be gracious' [fr. 272 Poltera = fr. 54 Page, PMG 559]. And although women have childbirth in the tenth month, Homer says: 'take pleasure in love, woman, | and when a year has gone around, you will bear splendid children' [Od. 11.248-249]. And: 'others who were dwelling in Crete with a hundred cities' [Il. 2.649] and 'many countless men and ninety cities' [Od. 19.174]. For he either adds with regard to the one or subtracts with regard to the other. Similarly [he also says] 'all day long until sunset | they feasted' [Il. 1.601-602], though they did not begin to drink at dawn. And: 'all day long they fought around the Scaean Gates' [Il. 18.453], although a short time passed over the battle. And although the Olympic Games are held alternately after fifty or forty-nine months, the poets call the festival 'fifty-monthly'. In this

























[^7]way, therefore, nothing prevents [Homer], even though the third part is defective [i.e. incomplete], from calling it a complete one third.
[3e] Aristotle [fr. 161 Rose $^{3}=f r .385$ Gigon] thinks to solve it as follows, when he says: Division into two can in this case be into equal [sc. parts]. Since 'more than half' is indeterminate, when it is increased so much that a third of the whole is left, it would be characteristic of an accurate person to determine this and indicate how much the remainder is, in order to make clear by how much half of the whole has increased. For instance, half of 6 is 3 . If 6 were divided into 2 equal parts, [half] will be 3. If either part is increased, it is unclear whether this is by a part of a number or by a whole unit. Now if it becomes greater by a whole unit, the remaining part will be a third of the whole. So too someone saying that, when either of the two parts becomes more, it has left one third, has shown that 'more' in growth is by a unit, since three has become four and two remains, which was one third of six. So, since the twelve parts of the night can also be divided into two equal divisions - into six [each] - and one part increased and has become more, but it is unclear by how many hours - for the increase could be by one or two or three or more - the poet, determining what the indeterminate quantity of the 'more' was and that it increased by 2 hours, concluded that one third remains, so that the hours that have gone by were eight, and four are left, which is a third of the whole. So too if it consisted of eighteen parts, since it divides by two into nine, and [if] you said that a majority of the <hours which are divided> into two parts has passed, and one third remains, you will make clear from the fact that you say that one third is left, which is six, that you mean that twelve have been taken away. Let the same investigation be made in the case of the hours of a night-day cycle. Let someone say that of the hours, which are divided into two parts, a small majority has passed, without determining how much, and let him conclude that one third of the whole remains. It becomes clear that with the division into two






















 <тои̃ $\beta^{\prime} \tau \eta ̃ \varsigma>~ M a c P h a i l ~ 4-5 ~ \tau ı \varsigma ~ \varepsilon i \varsigma ~ \delta v ́ o ~ \pi \lambda \varepsilon о v \alpha ́ \sigma \alpha v \tau \alpha ~ * B ~: ~ \tau ı \varsigma ~ \varepsilon i ́ ~ \delta u ́ o ~ \pi \lambda \varepsilon o v \alpha ́ \sigma \alpha v ~ K a m m e r ~: ~ \tau ı \varsigma ~$





 $\pi \alpha \rho \omega \chi \eta \kappa \varepsilon ́ v \alpha ı$ Bekker $12 \mu \varepsilon \tau \alpha \beta \alpha ́ v \tau o \varsigma ~ p o s t ~ \mu \varepsilon \sigma o v v \kappa т i ́ o v ~ t r a i e c i m u s: ~ p o s t ~ \pi \alpha \rho \alpha \lambda \lambda \alpha ́ \xi \alpha \sigma \alpha ь$ habet *B $\mathbf{1 4}$ post $\varphi \eta \sigma i v$ rasura fere 20 litt. || $\hat{\beta}^{\prime}$ *B : fortasse $\gamma^{\prime} \mathbf{1 5}$ عil $y \varepsilon$ * B : عís $\tau \varepsilon$ Vil-
 Kammer $17 \pi \lambda \varepsilon ́ \omega$ dubit. Kammer $18 \pi \lambda \varepsilon ́ \omega$ *B : fortasse $\pi \lambda \varepsilon ́ \omega$ || fortasse [ $\tau \widetilde{\omega}] \pi \lambda \varepsilon ́ \omega \dot{\eta}$


 del. Kammer || $\delta$ è supplevit Schrader $\|$ <ö入ov> tò tpítov Kammer 22 кат $\alpha \lambda \varepsilon i ́ \pi \varepsilon \tau \alpha ı ~ * B ~: ~$ каталعíл $\varepsilon \sigma \theta \alpha \mathrm{ı}$ Kammer
resulting in twelve and twelve, and with a third of the whole left, which is eight, the one part became greater by four, so that sixteen hours in total have gone by and eight remain. So where there is a division into two equal parts and into three [equal parts], if someone leaves behind a third of the [division] into three tincreasing to two $\dagger$, he defines by how much more there has been an increase. So, the poet wisely has indicated how much the undefined part of the increase of the half was - that [it was] by two hours, and the eighth hour had gone by - by saying 'and yet one third remains' [Il. 10.253]. For if someone knows that the total number of hours of the night are 12, of which the division into two parts makes 6 and 6, but into 3 [makes] 4 and 4 <and 4>, and if he has heard that of the division into two parts a small majority has passed, then upon learning that a third of the [division] into three remains, which is four hours, he straightaway realises that from the turning of midnight two hours had gone by.
[3f] Autochthon claims that as two thirds had been completed, and one third remained, reasonably [Homer] says that the night, which consists of two parts, had gone by for the most part; for the two [parts] are a greater portion of the night, since two is greater than one. So [Homer says] 'has passed by', because when the two parts have passed by, the night has passed by to the greater extent. Indeed, in this way there will not be an error in 'more' ( $\pi \lambda \varepsilon$ ' $\omega$ ), which some who interpret it as a feminine say is an error for 'the majority' ( $\dot{\eta} \pi \lambda \varepsilon^{\prime} \omega v$ ) [sc. of the night]. For it is by the greater portion that the night has passed by, that is by the greater and larger portion it has been surpassed, since two parts have passed by.
[ 3 g ] Apion says that the greater portion of the 2 [parts] themselves has been used up, so that there is also a remnant of the second, and of these the majority has passed by, <but> the third part remains. For Agamemnon, having arisen





## 5
























 MacPhail 12 ó om. Bekker || $\sigma \tau \rho \alpha \tau^{\prime} \alpha v$ legimus : $\sigma \tau \rho \alpha \tau^{\prime}$ *B : $\sigma \tau \rho \alpha \tau \iota \alpha ̀ v$ Bekker : $\sigma \tau \rho \alpha \tau o ̀ v$ Villoison $13 \sigma \nu v \tilde{\eta} \lambda \theta o \nu * B: \sigma u v \varepsilon \xi \tilde{\eta} \lambda \theta o v$ MacPhail $14 \dagger \pi \rho o \beta \alpha ́ \lambda \lambda o v \dagger<i v ’$ ñ $>$ MacPhail $18 \pi \lambda \eta \alpha ́ \delta \alpha \varsigma$




 тои̃ *В || $\pi \rho о \beta \varepsilon \beta \eta \kappa \varepsilon ́ v \alpha ı ~ * B: ~ f o r t a s s e ~ \pi \rho о \beta \varepsilon ́ ß \eta \kappa \varepsilon ~| | ~ \varepsilon i \rho \eta ̃ \sigma \theta \alpha ı ~ d e l . ~ V i l l o i s o n ~ 25 ~ \alpha ̉ л o ̀ ~ * B ~: ~$


around midnight, wakes Nestor and with him some of the champions; they advance to the ditch and dispatch the spies. [Homer] inserts the time of night and the multitude of their actions. For after the spies have armed themselves, once the omen is seen by them, they pray to Athena and go onward. Encountering Dolon they spent no little time on questions; and having killed him, thereafter they go to the Thracians, and as they are detained by killing these men, Athena exhorts them to get away to the ships. After they return, they bathe and have breakfast, and then daybreak arrives. Now Odysseus says 'Dawn is near' [Il. 10.251], urging on the expedition; for it is not reasonable to have spies sent out as dawn approaches, but in fact very risky. The word $\pi \lambda \varepsilon ́ \omega$ ['more'] can also be taken as neuter plural, 'the majority of the two parts has passed by', or 'more beyond the two parts', as Thucydides also says somewhere: 'but already using the sea more, they also came together in this campaign' [Thuc. 1.3.5]. But it can also be an accusative feminine singular, 'the night went past the larger part of two thirds'.
[4] Plausibly [Homer] portrayed no one other than Odysseus watching the passage of the stars, as a preparation for the Odyssey. For there his voyage is accomplished 'as he gazes at the Pleiades and late setting Boötes' [Od. 5.272]. When Odysseus says 'and the stars have advanced', someone might ask what 'advanced' means, and what kinds of stars they are by which he calculates the time. To say this on the basis of Ursa Major is not sound. For it is not possible to indicate the time on the basis of the stars that are always visible but only on the basis of those that rise and set. But some people claim that it cannot have been said about anything other than Ursa Major, because 'have advanced' is set forth. Having interpreted the positions according to the hour, as the stars of Ursa Major occupy them while they rotate, [they claim that] he says that they have advanced, since they moved further in their rotation. Other people [claim that he says this] on the basis of the Pleiades, Hyades and Orion, which are either rising at dawn and have advanced from the east, the Pleiades $\dagger$ are setting and




5









 ह̋qv» (Od. 12.312).


 (van Thiel²) 7 ov̉ $\tau \alpha ̀ \alpha u ̉ \tau \alpha ̀ ~ B e k k e r, ~ c f . ~ s c h o l . ~ D ~ I l . ~ 10.252(2) ~ p . ~ 373.8-9 ~(v a n ~ T h i e l ²) ~: ~ o u ̉ k ~ \alpha u ̉ \tau \alpha ̀ ~$
 દ̇бтí) tís *B : દ̇бтí тıৎ Bekker 14 そ̉ supplevimus, cf. schol. D Il. 10.252(3) p. 373.3 (van Thiel²)
are already advancing towards the west. For the same is also said in the verse 'but when it was the third watch of the night and the stars had turned their course' [Od. 12.312], referring either to rising or to setting; the 'third watch' is used in the meaning of 'the third part'. 'The third part' [can be interpreted?] in two ways <...> in relation to the first. Perhaps he means that he has learnt the time from the zodiac cycle. For since this is divided into 12,6 are immediately visible at sunset, while the others are visible as the night progresses. They are not the same ones that are seen, but they remain six in number. On the basis of the zodiac signs that follow, Odysseus calculates the time by that sign in which the sun set. Or he simply means that all the stars have advanced, i.e. those that have appeared in the east since the evening have proceeded towards the west, as now too we say that much of the day progressed, meaning that it progressed towards sunset. For, in the case where there is a certain course from one end to the other, when they already appear to be seen at one end, they could be said to have advanced as soon as they have been seen to start [their course]. And it is clear that he divides both the day and the night into three parts. With regard to the day [he says]: 'a morning, evening or midday will come' [Il. 21.111]; with regard to the night [he says]: 'but when it was the third watch of the night' [Od. 12.312].

## 3 Notes to the Text

## A note on orthography

In our edition, we have standardised a number of orthographic variations. Thus, the manuscript sometimes follows other rules for the accents, particularly for cases like oís $\varphi \eta \sigma ו v$ (which the scribe writes as oís $\varphi \eta \sigma i v$ ). Another case is the negation ov̉ before an aspirated vowel; in such cases, the scribe always writes an apostrophe (e.g. ov̉ð’ ö $\lambda \eta$ ), which we have not printed. He also always writes the word òtย́ as ótє́ with smooth breathing, which we have tacitly corrected. Further, he always writes compound numbers as one word (e. g. óyסoŋкоvтає́ $\xi$ ), which we have always printed as separate words (so ỏyסoŋ́коvт $\alpha$ ह̈ $)$ ). Finally, for numbers, the scribe sometimes writes the word out in full (e.g. $\delta \omega \dot{\omega} \delta \kappa \alpha)$ and sometimes uses numerals (e.g. $\beta^{\prime}$ ). Unlike Bekker, Kammer and Dindorf, we have not converted every word into the corresponding numeral. ${ }^{25}$

25 Also, unlike Sodano 1974, we have not mentioned all these interventions by Bekker, Kammer and Dindorf in our apparatus.

## Text-critical notes

These notes will treat text-critical issues, new readings and problems of interpretation in the Porphyrian excerpt. They will also discuss Porphyry as a witness for the Homeric text by comparing his quotations from Homer with other testimonies and with the transmitted Homer text (in mediaeval manuscripts and papyri). ${ }^{26}$ As it turns out, Porphyry and other testimonia often do not provide the readings attributed to them in the recent Homer editions by West. This may be of particular interest to Homer scholars.

 mitted with the following variants.

For $\pi \alpha \rho \omega ́ \chi \eta \kappa \varepsilon^{27}$ :
(1) $\pi \alpha \rho \dot{\omega} \chi \eta \kappa \varepsilon$ BTDEG, Hsch. $\alpha 7890$ (Latte), ${ }^{28}$ Choeroboscus, Scholia in Theodosii Canones p. 398 (Hilgard), ${ }^{29}$ schol. A Il. 9.71 (Erbse) (VMK) ${ }^{30}$, schol. D Il. 10.252(1) ( $\mathrm{FPal}^{2} \mathrm{XZAgBdBm}{ }^{12} \mathrm{M}^{11} \mathrm{~V}^{13}$ ) (lemma) p. 373.1 (van Thiel $\left.{ }^{2}\right)^{31}$, schol. D Il. 10.252(3) (lemma) p. 373.1 ( $\mathrm{FPal}^{2} \mathrm{Xh}$ ) (van Thiel ${ }^{2}$ ), schol. D Il. 10.252(4) p. 374.1-2 (van Thiel${ }^{2}$ ), Eust. Il. 10.252s. vol. 3 p. 58.19 (van der Valk)
(2) $\pi \alpha \rho \omega ́ \chi \eta \kappa \varepsilon v ~ A F C, ~ A r i s t . ~ P o e t . ~ 25, ~ 1461 a 26, ~[H d n] ~ D e ~ f i g u r i s ~ 58,. ~ s c h o l . ~$ Od.1.58a (Pontani), schol. D Il. 10.252(1) (Q) (lemma) p. 373.1 (van Thiel²), schol. D Il. 10.252(3) (lemma) (Q) p. 373.1 (van Thiel²), Anonymus I in Aratum 1 p. 89 (Maass)
(3) $\pi \alpha \rho o i ́ \chi \omega \kappa \varepsilon v$ Dorotheus ap. schol. A Il. 10.252a.18-20 (Erbse) (VMK), Apollonius Dyscolus ap. schol. A Il. 10.252a.22-23 (Erbse) (VMK), schol. A Il. 10.252a. 15 (Erbse) (VMK)

[^8]30 Erbse 1969-1988, I, 414 corrected this to $\pi \alpha \rho \omega ́ \chi \eta \kappa \varepsilon v . ~$
31 In the codex Parisinus gr. 2556 (P) fol. 74v, the lemma abbreviates the verb as $\pi \alpha \rho \omega^{\prime} \chi \eta^{\kappa}$.
(4) $\pi \alpha \rho \omega ́ \chi \omega \kappa \varepsilon v ~ W, ~ P . B e r o l . ~ i n v . ~ 11911+17038+17048+21155, ~ P S I ~ I ~ 13 ~ \downarrow ~$ ( $\quad \uparrow \alpha \omega \chi \omega \kappa[\varepsilon v]$ ), Aristarchus ap. schol. A Il. 10.252e1 (Erbse) (VMK), schol.
 P.Oxy. inv. 100/15(a))

For $\pi \lambda \varepsilon \varepsilon^{3} \omega:^{32}$
(1) $\quad \pi \lambda \varepsilon ́ \omega ~ A B T F C E, ~ P . O x y . ~ V I ~ 948 ~ f r . ~ a, ~, ~ 33 ~ A r i s t . ~ P o e t . ~ 25, ~ 1461 a 26, ~ H s c h . ~ \alpha ~ 7890 ~$ (Latte) $^{34}$; $\pi 2536$ (Latte) ${ }^{35}$, schol. A Hom. Il. 9.71 (Erbse) (VMK), schol. A Hom. Il. 10.252a. 15 (Erbse) (VMK) ${ }^{36}$, schol. T Il. 10.252-253a (lemma) (Erbse) (exeg.), schol. T Il. 10.252-253a. 38 (Erbse) (exeg.), schol. T Hom. Il. 10.252253b1 (lemma) (Erbse) (exeg.), schol. D Il. 10.252(1) ( $\mathrm{F}^{\text {pc } X Z V^{13}}$ ) (lemma) p. 373.1 (van Thiel²), schol. D Il. 10.252(1) (Fh) p. 373.6 (van Thiel²), schol. D Il. 10.252(3) (AgBdPBm $\left.{ }^{12} \mathrm{M}^{11}\right)$ p. 374.18 (van Thiel $\left.{ }^{2}\right)^{37}$, schol. Od. 1.58a ( $\left.\mathrm{M}^{\mathrm{a}}\right)$ (Pontani), Eust. Il. 10.252s. vol. 3 p. 58.19 (van der Valk)
(2) $\pi \lambda \varepsilon ́ \omega v$ DO, schol. T Il. 10.252e2 (lemma) (Erbse), schol. Od. 1.58a (HJO) (Pontani), schol. D Il. 10.252(1) (Q) (lemma) p. 373.1 (van Thiel²), schol. D Il. 10.252(1) p. 373.6 (Q) (van Thiel²), Eust. Il. 10.252s. vol. 3 p. 59.16-17 (van
 ठv́o $\mu$ о七 $\rho \tilde{v} v)^{38}$

32 The quotation in [Hdn.] De figuris 58 shows several variants. The $\alpha$ family has $\pi \lambda \varepsilon ́ \omega v$ (Marcianus gr. 512 (M) and the corrector of Ambrosianus C 69 sup. (gr. 246) (A²)) or $\pi \lambda \varepsilon ́ \omega \omega$ (Hauniensis GKS 1965 (H) and Laurentianus conv. soppr. 98 (F)), whereas the $\beta$ family has $\pi \lambda \varepsilon \varepsilon^{\prime} \omega$ (Baroccianus 216 (B) and Vindobonensis phil. gr. 263 (U)) or $\pi \lambda \varepsilon^{\prime} \omega v$ (Laurentianus 56.16 (L) and Parisinus gr. 2551 (P)). See Hajdú 1998, 135. The codex Ambrosianus C 69 sup. (gr. 246) (A), which is copied from U, has $\pi \lambda \varepsilon$ ह́ov. For quotations, however, A has often corrected the text (sometimes on the basis of a lost manuscript of the $\alpha$ family): see Hajdú 1998, 78-81. The quotation in Achilles Tatius, Introductio in Aratum 1.9 p. 8 Di Maria = p. 30 Maass has two variants. The manuscripts of the $\alpha$ family (Vaticanus gr. 191 (V) and Vaticanus gr. 381 (T)) have $\pi \lambda \varepsilon ́ \omega$, but the codex Laurentianus 28.44 (M) has $\pi \lambda \dot{\varepsilon} \alpha$ (a round alpha can be easily mistaken for omega). Both Maass 1898, 30 and Di Maria 1996, 8 have accepted $\pi \lambda \varepsilon ́ \omega$ in their editions of Achilles Tatius.
33 Pace West 1998-2000, I, 297, the papyrus fragment reads $\pi \lambda \varepsilon ́ \omega$, not $\pi \lambda \varepsilon ́ \omega v$. Since $\pi \lambda \varepsilon \omega v$ is followed by a trace of a letter that is compatible with upsilon but not $n u$ (an oblique with a hook in the left-top corner), the correct reading is $\pi \lambda \varepsilon \omega v \geqslant[\xi]$.
34 The manuscript of Hesychius actually reads $\tau \tilde{\omega} \pi \lambda \varepsilon ́ \omega$ : see Latte/Cunningham 2018, 360.
35 The manuscript of Hesychius actually reads $\pi \lambda \varepsilon \omega \dot{v} v \cup \xi$ : see Hansen 2005, 125.
36 Erbse 1969-1988, III, 48 corrected it to $\pi \lambda \varepsilon ́ \omega v$.
37 Van Thiel 2011, 374 tacitly adopted Lascaris' correction $\pi \lambda \varepsilon \varepsilon^{\prime} \omega v$.
38 Eustathius has also recorded $\pi \lambda \varepsilon ́ \omega v$ as a varia lectio by adding $y \rho(\dot{\alpha} \varphi \varepsilon \tau \alpha \mathrm{l}) \pi \lambda \varepsilon ́ \omega v$ above $\pi \lambda \varepsilon ́ \omega$ in his quotation of the Homeric line in Eust. Il. 10.252s. vol. 3 p. 58.19 (van der Valk) (codex Laurentianus 59.3 fol. 8r).
 nymus I in Aratum 1 p. 89 (Maass), schol. D Il. 10.252(1) ( $\mathrm{F}^{\mathrm{ac}} \mathrm{AgBdPBm}^{12} \mathrm{M}^{11}$ ) (lemma) p. 373.1 (van Thiel $\left.{ }^{2}\right)^{40}$, schol. D Il. 10.252(1) ( $\mathrm{Pal}^{2}$ ) p. 373.6 (van Thiel ${ }^{2}$ )

(5) $\underline{\pi \lambda \varepsilon i ́ \omega} \omega$ schol. D Il. 10.252(1) ( $\mathrm{Pal}^{2}$ ) (lemma) p. 373.1 (van Thiel ${ }^{2}$ ), schol. D Il. 10.252(1) (XZ) (p. 373.6 van Thiel²), schol. D Il. 10.252(3) ( $\mathrm{dV}^{13}$ ) p. 374.18 (van Thiel ${ }^{2}$ ), schol. D Il. 10.252(4) p. 374.2 (van Thiel²)
(6) $\pi \lambda \varepsilon \varepsilon^{i} \omega \nu \mathrm{G}$

The Porphyry excerpt implies that the quoted authorities read the following:
Metrodorus: $\pi \lambda \varepsilon$ Ĩov
Chrysippus: uncertain
Aristotle: probably $\pi \lambda \varepsilon \varepsilon^{\prime} \nu$
Autochthon: $\pi \lambda \varepsilon ́ \omega$
Apion: uncertain

For $\delta^{\prime}$ ह̈ $\tau \mathrm{t}:{ }^{42}$
(1) $\delta^{\prime}$ है $\tau \iota$ ABCDEFGTW, Hsch. $\alpha 7890$ (Latte), schol. D Il. 10.252(3) (P) (lemma) p. 373.1 (van Thiel ${ }^{2}$ ), schol. A Il. 10.252a. 16 (Erbse) (VMK), schol. Ge Il. 10.252 (Nicole), Eust. Il. 10.252s. vol. 3 p. 58.19 (van der Valk); Eust. Od. 12.312 vol. 2 p. 26.26 (Stallbaum), Anonymus I in Aratum 1 p. 89 (Maass)



We have followed previous editors of the excerpt in adopting Bekker's conjecture $\delta^{\prime}$ हैtı. ${ }^{43}$ Note, however, that the scribe systematically writes $\delta \varepsilon ́ \tau \iota$ when he quotes this Homeric line further on, viz. twice in [3a].

[^9]The sigla cited above refer to the following Homer manuscripts:
A Marcianus gr. 822 (olim 454) = Venetus A
B Marcianus gr. 821 (olim 453) = Venetus B
C Laurentianus 32.3
D Laurentianus 32.15
E Scorialensis Y.I. 1
F Scorialensis $\Omega$.I. 12
G Genavensis 44
O Oxoniensis, New College 298
T Londinensis, Burneianus $86=$ Townleyanus
W Vaticanus gr. 1319

The sigla of the D scholia correspond with the following manuscripts:
$\mathrm{E}^{4} \quad$ Scorialensis gr. $\Omega$.I. 12
$\mathrm{Pal}^{2} \quad$ Heidelbergensis, Palatinus gr. 222
Q Vaticanus gr. 33
X Vaticanus gr. 32
Ag Angelicus gr. 122
Bd Bodmer 85
P Parisinus gr. 2556
$\mathrm{Bm}^{12}$ Londinensis, Harleianus 5727
$\mathrm{M}^{11} \quad$ Ambrosianus L 116 sup. (gr. 502)
V $^{13} \quad$ Vaticanus gr. 1316

These manuscripts fall into two families: d (which comprises $\mathrm{E}^{4}, \mathrm{Pal}, \mathrm{Q}$ and X ) and h (which comprises $\mathrm{Ag}, \mathrm{Bd}, \mathrm{P}, \mathrm{Bm}^{12}, \mathrm{M}^{11}$ and $\mathrm{V}^{13}$ ). Within the h family, $\mathrm{Ag}, \mathrm{Bd}$ and P form their own subgroup. ${ }^{44}$ The readings of the D scholia reported here are based on images of the original manuscripts.
[3b] vũv oũ̃ $\boldsymbol{\tau}$ ò $\pi \lambda$ ćov. If the text were fully consistent, $\pi \lambda \varepsilon$ ќov should be $\pi \lambda \varepsilon \tilde{\kappa} o v$, since this appears to be what Metrodorus read.
[3c] † $\boldsymbol{\pi} \boldsymbol{\alpha} \boldsymbol{\alpha} \boldsymbol{\alpha} \boldsymbol{\pi} \boldsymbol{0} \delta \boldsymbol{\alpha} \dagger$ үعvó $\boldsymbol{\mu \varepsilon v o v . ~ A s ~ t h e ~ t e x t ~ i s ~ t r a n s m i t t e d , ~ t h e ~ s e n t e n c e ~ w o u l d ~}$ mean 'a human having just been born still obtains the whole ${ }^{45}$ title' (with $\pi \alpha \rho \dot{\alpha}$

44 See Montanari/Montana/Muratore/Pagani 2017, 5.
45 Janko ap. MacPhail 2011, 170 corrected ő $\lambda \eta \varsigma$ to ő $\lambda o v$, in which case $\tau \tilde{\varsigma} \varsigma$ ő $\lambda$ ov $\pi \rho о \sigma \eta \gamma о \rho i ́ \alpha \varsigma$ means 'the title of a whole human'.
$\left.\pi o ́ \delta \alpha=\varepsilon u ̉ \theta \varepsilon ́ \omega \varsigma^{46}\right)$, but it is doubtful whether that is what Porphyry wrote. He (or Chrysippus) is unlikely to have claimed that newborn babies are normally not called full humans. Thus, the passage has been corrected in several ways. Schrader conjectured reading $\pi \alpha \rho \dot{\alpha}<\mu$ кко̀v $\dot{\varepsilon} \xi \dot{\alpha}>\pi \sigma \delta \alpha$ уєvó $\mu \varepsilon v o v$, 'having become just six foot tall,, ${ }^{47}$ but this does not explain why such people would not be called full humans either. If it is meant to indicate dwarfs being called humans even if they do not have the full size of regular humans, for instance, a more appropriate size would probably be < $\rho \rho^{\prime}>\pi 0 \delta \alpha,<\tau \varepsilon \tau \rho \alpha ́>\pi 0 \delta \alpha$ or at the most $<\pi \varepsilon v \tau \alpha ́>\pi 0 \delta \alpha .{ }^{48}$ Yet one does not really ‘become’ a dwarf. MacPhail adopted Diels’ conjecture $\pi \eta \rho o ̀ v ~ t o ̀ v ~ \pi o ́ \delta \alpha ~ y \varepsilon v o ́ ~ \mu \varepsilon v o v, ~ ' h a v i n g ~ b e c o m e ~ m a i m e d ~ i n ~ h i s ~ f o o t ' . ~ . ~ ' ~ K a m m e r ~ c o n-~$ structed a similar sense with the correction каíлع $\alpha$ वैло $\delta \alpha$ уعvó $\mu \varepsilon v o v$ 'although he has become lame, ${ }^{50}$ Indeed, a reference to humans missing some body part would make sense in Chrysippus' analogy. ${ }^{51}$


 ő $\tau \alpha \nu$... $\varphi \eta$ ' $\sigma \varepsilon เ \varepsilon,{ }^{53}$ but ő ơ $\alpha \nu$ + optative is impossible. The palaeographically most likely solution is to correct ő o $\alpha v$ (where $-\alpha v$ is abbreviated) to oiov (in the sense of 'for instance') and supplement $\alpha ้ v$ after $\varphi \eta$ ' $\sigma \varepsilon \varepsilon \varepsilon ́ \varepsilon \tau \iota \varsigma>$. Alternatively, ő $\alpha \alpha v$ might be a corruption of oioiov $\alpha ้ v$, in which case we only need to supplement tic after
 $\varphi \eta\left(\sigma \eta<\tau \iota \varsigma>\tau \tilde{\omega} \nu{ }^{`} E \lambda \lambda \tilde{\eta} \nu \omega \nu\right.$, but $\varphi \eta \eta_{\eta} \tau \iota \varsigma$ is an uncommon collocation.

 (Op.698) is problematic here. The manuscript reads tét $\rho^{\top} \cdot{ }^{\top} \theta^{\prime} \theta^{\prime} \dot{\beta} \beta \dot{\omega} o \mathrm{o}$, which is both ungrammatical and unmetrical. Villoison and Bekker read $\tau \varepsilon \tau \alpha ́ \rho \tau \omega$ عैтદا

[^10]$\dot{\eta} \beta \omega$ or, ${ }^{54}$ which is not metrical either. Moreover, although the scribe has not written the case ending, the proparoxytone accent in $\tau \varepsilon ́ \tau \alpha \rho^{\top}$ implies the reading
 deleting $\varepsilon$ हैtદı as a gloss, ${ }^{55}$ not realising that the manuscript does not read $\varepsilon$ عैtعı to begin with. Note also that restoring $\eta \eta^{\prime} \theta^{\prime}$ to $\varepsilon$ हैtcı only to then delete it is text-critically unsound. Dindorf also read $\varepsilon$ ย́тор’, which he considered to have been corrupted to $\tau \varepsilon \tau \alpha ́ \rho \tau \omega$ हैт $\tau \varepsilon$ (so without the assumption of a gloss). ${ }^{56}$ Indeed, the manuscripts and the other testimonies of Hesiod all have the West Greek form тと́тор’. ${ }^{57}$
 for $\left.\eta{ }^{\prime} \theta^{\prime}\right),{ }^{58}$ which is again unmetrical. Schrader's use of letter spacing indicates that he considers all these words part of the quotation of Hesiod, but it is doubtful whether Porphyry would have written such an unmetrical line. ${ }^{59}$ MacPhail tried
 thus separating $\tau \varepsilon ์ \tau \alpha \rho \tau о v$ हैтoऽ from the rest of the quotation as a paraphrase. ${ }^{60}$ However, Porphyry normally does not interrupt poetic quotations with his own
 palaeographically straightforward, neither in majuscule nor in minuscule script.

Another problem is that reading an accusative $\tau \varepsilon ́ \tau \alpha \rho \tau о \nu$ contradicts writing the dative $\tau \varepsilon \sigma \sigma \alpha \rho \varepsilon \sigma \kappa \alpha \iota \delta \varepsilon \kappa \alpha ́ \tau \omega$ in Porphyry's explanation of the word. We would expect Porphyry to use the same case in his exegesis of poetic words, as he does elsewhere. Indeed, the accent on the penultimate syllable in $\tau \varepsilon \sigma \sigma \alpha \rho \varepsilon \sigma \kappa \alpha เ \delta \varepsilon \kappa \alpha^{\tau}$ and $\pi \varepsilon v \tau \varepsilon \kappa \alpha \iota \delta \varepsilon \kappa \alpha{ }^{\tau}$ implies a reading $\tau \varepsilon \sigma \sigma \alpha \rho \varepsilon \sigma \kappa \alpha \iota \delta \kappa \kappa \alpha ́ \tau \omega$ and $\pi \varepsilon v \tau \varepsilon \kappa \alpha \iota \delta \varepsilon \kappa \alpha ́ \tau \omega .{ }^{61}$ This is also the interpretation of the scribe of $V^{20}$, who copies *B and reads $\delta^{\prime} \omega$

[^11] unlikely to both be correct. The only way to make the quotation from Hesiod metrical is to restore tétop' and delete $\eta^{\prime} \theta^{\prime}$. The latter might have originally been an otherwise unattested variant for $\eta \dot{\eta} \delta \dot{\varepsilon}(y v v \eta)$ ), which intruded into the main text. Restoring the cardinal number tétop', however, creates the problem that this contradicts the ordinal number т $\varepsilon \sigma \sigma \alpha \rho \varepsilon \sigma \kappa \alpha \iota \delta \varepsilon \kappa \alpha ́ \tau \omega$. This can be solved by correcting
 on the basis of the subsequent $\pi \varepsilon v \tau \varepsilon \kappa \alpha ı \delta \varepsilon \kappa \alpha ́ \tau \omega$.

Finally, Porphyry agrees with the Hesiod codex Parisinus gr. 2771 (C) and Laurentianus 31.39 (D) in reading youoĩto against the codex Messanensis F.A. 11 (E) and Vaticanus gr. 2383 (H), which read y $\alpha \mu \varepsilon i t \omega$ and уацгĩтo, respectively. ${ }^{62}$
 Runkel's conjecture tuppós 'redhead'. ${ }^{63}$ Kassel/Austin and the previous editors of the excerpt retained the transmitted $\pi u ́ p y o s$ 'tower', ${ }^{64}$ which they probably interpreted as indicating a tall person. Olson has rightly pointed out, however, that múpyos is normally not used in this metaphorical sense; and even if that were the sense here, it would not match the other people in this catalogue, who all have some physical defect or slavish attribute. ${ }^{65}$ If used metaphorically, đúpyos denotes a hero acting as a stronghold to the army. ${ }^{66}$ In other words, the word would have a positive connotation. Another possible conjecture is Cobet's $\pi$ пnpós 'disabled, cripple', ${ }^{67}$ although the corruption ПҮРРОС to ПҮРГОС is palaeographically more likely than that of ПНРОС to ПҮРГОС. Tammaro conjectured yputós 'hook-nosed', ${ }^{68}$ which is also possible and palaeographically intelligible. Olson considered this not "enough of a disfigurement to match the others in the catalogue", although the baldhead ( $\varphi \alpha \lambda \alpha \kappa \rho o ́ s)$ is equally ‘disfigured’ as someone with a hooked nose, and the speaker also mentions 'the man wearing the thread-

[^12]bare cloak', i. e. a bum/hobo (the $\tau \rho i ́ \beta \omega v$ was typically worn by poor men ${ }^{69}$ ). Note,
 Porphyry did in fact read the incorrect múpyos.

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 Previous editors of the excerpt have printed yuví. ${ }^{70}$ However, the manuscript actually reads yúval, which is the regular vocative of yuvń. This is also the reading of the manuscripts of Homer. Therefore, West was incorrect to claim that the testimonia of Od. 11.248 (which include Porphyry) all read yuvף́. ${ }^{71}$For the Homeric line 11.249 , the first word is transmitted under several variants. Porphyry reads $\tau \varepsilon ́ \xi n$, a middle future indicative. Similarly, Zenodotus read $\tau \varepsilon ́ \xi \varepsilon a l$. Aristarchus, however, read the active future indicative $\tau \varepsilon ́ \xi \varepsilon \varsigma \varsigma,{ }^{72}$ which is the reading in the mediaeval manuscripts and the other testimonia. ${ }^{73}$

 ditionally read the text of $O d .19 .174 .{ }^{75}$ However, there is no solid textual basis for the form $\dot{\varepsilon} v v \mathfrak{q}^{\kappa}$ кovta. The main Homer manuscripts ${ }^{76}$ and all the testimonia read

[^13] since it is not attested in any dialect. The only deviating forms are hevevŋкоvта (attested in Heraclea), ह́vๆкovta (attested on Delos and in Phocis), which arose through haplology, ${ }^{78}$ and $\varepsilon \in v v \varepsilon v \eta ́ \kappa о v \tau \alpha$ (attested from Hippocrates onwards but mainly used in late antique writers), which probably duplicated $n u$ on the basis of $\dot{\varepsilon} v v \varepsilon ́ \alpha$. The reason why the Homeric text is usually changed is that the line

 second syllable of $\varepsilon \in v \varepsilon v \eta ́ \kappa о \nu \tau \alpha$ can be scanned as long, ${ }^{79}$ which is a remnant of
 edition of the Odyssey, West therefore rightly printed $\varepsilon$ हैvvŋ́коvта. ${ }^{82}$ However, he was wrong to cite Porphyry as a testimony for the form évvńкоvт $\alpha$.
 word каí as part of the quotation from Il. 1.601-602. ${ }^{83}$ The other editors, however, have not considered it part of the quotation, ${ }^{84}$ probably rightly so. The Homeric text is transmitted as $\ddot{\omega} \varsigma ~ \tau o ́ \tau \varepsilon \mu \varepsilon ̀ v \pi \rho o ́ \pi \alpha \nu ~ \tilde{\eta} \mu \alpha \rho$, etc. Although к $\alpha$ í could technically be a variant for $\mu \varepsilon \varepsilon^{v}$, it is not attested in any Homer manuscript nor in any of the testimonies. So it probably belongs to Porphyry, much like in the subsequent quotation from Homer (Il. 18.453) the word кaí is not part of the quotation either


[^14]82 West 2017, 401.
83 MacPhail 2011, 172.
84 So Bekker 1825, 285; Dindorf 1875-1877, III, 436; Schrader 1880, 148.
 mitted text of Homer and with Eustathius ${ }^{85}$ against most manuscripts of the D

$\pi \alpha v ท ́ \gamma v \rho ı v$ عĩvat. Every editor except Dindorf ${ }^{87}$ has overlooked the abbreviation for عĩval after tavท́yupıv. ${ }^{88}$

 written simply oúx ó̀óк $\lambda$ n $\rho o{ }^{89} .{ }^{89}$ However, this is not the regular construction. The infinitive ruled by verbs of hindrance can have either a pleonastic $\mu$ ' or no negation. If the verb of hindrance is itself negated (as is the case in this sentence), the common construction is an infinitive with a pleonastic $\mu \boldsymbol{\eta}$ ov..$^{90}$ For this reason, we have conjectured < $\mu \grave{\eta}>$ oúx ó óóк$\lambda \eta \rho o v$. Alternatively, it is also possible to delete oủx, since $\kappa \omega \lambda \hat{v} \omega$ is often constructed with a simple infinitive, even if the verb is negated. ${ }^{91}$
 iơ $\eta$ ( with the case ending abbreviated), which previous editors of the excerpt have also printed. ${ }^{92}$ We have followed Rose, however, who corrected i̋ø $\eta v$ to $10 \alpha \varsigma$ (sc. $\mu \varepsilon \rho^{\prime} \delta \alpha \varsigma$ or $\mu$ oíp $\alpha \varsigma$ ), since Porphyry seems to refer to a division into two equal parts, which would require a plural. Alternatively, îø $\eta v$ could also be corrected to
 lơnv) translated "la divisione può in questo caso avvenire in due metà uguali"

[^15]("the division can in this case be done in two equal halves"), ${ }^{93}$ which would
 "division into two can result in an equal [division] in these circumstances".
 тò $\pi \lambda \varepsilon$ ќov, etc. According to Schrader and MacPhail, a new sentence starts with غ่ $\pi \varepsilon เ \delta \eta$, which is why they adopted Rose's conjecture $\varepsilon ่ \pi \varepsilon \dot{l} \delta \dot{\varepsilon}$ for $\varepsilon ่ \pi \varepsilon \iota \delta \eta$, as we have also done. ${ }^{94}$ Similarly, Sodano corrected the text to $\varepsilon$ ह́ $\tau \varepsilon \delta \dot{\eta}\langle\delta \dot{\varepsilon}\rangle .{ }^{95}$ Barnes and Lawrence also punctuated before દ̇ாદાઠŋ̀ but conjectured $\varepsilon ่ \pi \varepsilon i ̀ ~ \delta \grave{~} .{ }^{96}$ Earlier editors, however, kept the transmitted text, connected this phrase with the preceding sentence and punctuated after áópıбтóv $\varepsilon$ ह̇ $\tau \iota v .{ }^{97}$ Breitenberger returned to this earlier interpretation. ${ }^{98}$ However, logically, the phrase does not give an explanation for the preceding statement ('Division into two can in this case be into equal [sc. parts], since "more than half" is indeterminate') but explains what follows ('Since "more than half" is indeterminate, [...] it would be characteristic of an accurate person to determine this and indicate how much the remainder is').

 follow MacPhail in correcting кат $\alpha \lambda \varepsilon ́ \lambda o \iota \pi \varepsilon$ to $\kappa \alpha \tau \alpha \lambda \varepsilon \lambda$ оıл $\varepsilon \ll \nu \alpha ı>,{ }^{99}$ which is an accusativus cum infinitivo ruled by $\varepsilon i \pi \omega \dot{\omega} v$, or we have to supplement a conjunction őtı or $\dot{\omega} \varsigma$ after $\varepsilon i \pi \dot{\omega} \nu$ to introduce indirect speech. ${ }^{100}$ The former correction is palaeographically the most likely, since the verb is abbreviated in the

[^16]94 Schrader 1880, 149; MacPhail 2011, 174. See Rose 1863, 165; 1870, 1504; 1886, 129. So also Heitz 1869, 138.
95 Sodano 1974, 42.
96 Barnes/Lawrence 1984, 2432 n. 1.
97 Bekker 1825, 285; Kammer 1863, 67; Dindorf 1875-1877, III, 436. So also Gigon 1987, 534.
98 Breitenberger 2006, 313; 401.
99 MacPhail 2011, 174.
100 Kammer 1863, 67 tried to solve it by putting $\tau \tilde{\omega} \nu \delta$ v́o $\mu \varepsilon \rho \tilde{\omega} \nu \pi \lambda \varepsilon ́ o \nu ~ \gamma ı v o ́ \mu \varepsilon \nu o \nu ~ \kappa \alpha \tau \alpha \lambda \varepsilon ́ \lambda о \iota \pi \varepsilon$ $\tau \rho \iota \tau \alpha ́ \tau \eta \nu \mu о \tilde{\rho} \rho \alpha v$ between quotation marks, thus identifying it as direct speech. However, in that case, a parenthetic $\varphi \eta \sigma$ ı would probably be expected.
manuscript (каталغ́лоı${ }^{\pi}$ ), which may have originally been an abbreviation for к $\alpha \tau \alpha \lambda \varepsilon \lambda о ו \pi(\varepsilon ́ v \alpha \iota) .{ }^{101}$

 excerpt have corrected $\tau \tilde{\omega} v$ to $\tau \tilde{\eta} \varsigma,{ }^{102}$ presumably connecting it with $\mu$ oípas and identifying the latter as a genitive. This would then mean 'more of/than the part (divided?) into two has passed. ${ }^{103}$ However, $\mathfrak{\eta}$ عí $\delta$ $\delta$ óo $\mu 0 \mathrm{i} \rho \alpha$ is an otherwise unattested collocation, and it is not straightforward to assume an implied 'divided'. For this reason, MacPhail supplemented the verb, correcting the text to $\pi \lambda$ ह́ov
 the phrase somewhat clumsily as "and [if] you said that more of the <divided> into two parts has passed". ${ }^{104}$ However, this translation assumes that $\mu \mathrm{o}$ ipas is an accusative plural after $\varepsilon$ ç, not a genitive singular. Maybe MacPhail assumed an implied $\delta ı \alpha ı \rho \varepsilon ́ \sigma \varepsilon \omega \varsigma$. Indeed, further on in the text, Porphyry uses such elliptic

 found immediately before this in a similar construction ( $\varepsilon$ v oĩ oũv $\begin{gathered}\text { ics } \\ \delta u ́ o ~ i ̋ \sigma \alpha ~\end{gathered}$
 $\tau \iota \pi \alpha \rho \omega \mathfrak{\chi} ŋ \kappa \varepsilon v$, respectively) and can thus be easily understood. In order for the
 $\pi \alpha \rho \dot{\chi} \chi ŋ \kappa \varepsilon v$. Barnes and Lawrence thought in the same direction and translated: "and [if] you were to say that more than one part of the two-part division has gone", ${ }^{105}$ which would probably require $\pi \lambda \varepsilon$ ह́ov < $\theta \alpha \tau \varepsilon ́ p o v / \theta \alpha \tau \varepsilon ́ p \alpha \varsigma>\tau n ̃ \varsigma ~ \varepsilon i ́ \varsigma ~ \delta u ́ o ~$ $\mu o i ́ p \alpha \varsigma ~<\delta ı \alpha \iota \rho \varepsilon ́ \sigma \varepsilon \omega \varsigma>$. If $\mu$ oípas is no longer interpreted as a genitive, however, it may not be necessary to change $\tau \tilde{\omega} v$ to $\tau \tilde{\Upsilon} \varsigma$. A possible solution is to keep the transmitted $\tau \tilde{\omega} v$ and supplement the phrase, for instance, as $\pi \lambda \varepsilon ́ o v \tau \omega ̃ v ~ \varepsilon i ́ \varsigma ~ \delta u ́ o ~$ $\mu о \dot{p} \alpha \varsigma$ < $v \varepsilon \mu о \mu \varepsilon ́ v \omega v \dot{\omega} \rho \tilde{\omega} v>\pi \alpha \rho \dot{x} \chi \eta \kappa \varepsilon v$, 'a majority of the <hours, which are divided> into two parts, has passed'. Our reason for supplementing this is that this construction is also used in the subsequent sentence ( $\lambda \varepsilon y \varepsilon ̇ \tau \omega \tau \tau \iota \varsigma$ ö $\tau \iota \pi \lambda \varepsilon \dot{\varepsilon} \sim \tau \tau$


[^17]duarum partium majorem praeteriisse, ${ }^{106}$ which would probably require $\pi \lambda$ ćov $\tau \tilde{v} \nu \delta$ v́o $\mu о \iota \rho \tilde{v} v$.
 corrupt. The sense appears to be: 'if one part of a division into two increases and if someone leaves behind one third of a division into three, he determines by how much the increase has been'. That would require żóv $\tau \iota \varsigma<\tau \tilde{\eta} \varsigma>$ Ei̧ $\delta$ v́o < $\theta \alpha \tau$ ह́pou>

 is transitive). At any rate, $\pi \lambda \varepsilon o v \alpha ́ \sigma \alpha v \tau \alpha$ seems impossible, since there is neither a masculine accusative nor a neuter plural ${ }^{107}$ with which it could be connected as a circumstantial participle. Kammer changed the participle to $\pi \lambda \varepsilon \sigma v \alpha \alpha_{\sigma} \alpha \nu,{ }^{108}$ probably connecting it with tò $y^{\prime}$, but that does not give the required meaning. The translation would be 'if one leaves behind one third of the (division) into three,

 leaves behind a third of the division into three exceeding [a half of the division] into two". ${ }^{109}$ However, his dangling participle 'exceeding' does not solve the problematic case of $\pi \lambda \varepsilon o v \alpha ́ \sigma \alpha v \tau \alpha$. It is also doubtful whether $\tau 0 \tilde{\sim} \beta$ ' can mean 'half'. Sodano translated "se si facesse la somma di due terze parti" or "if one were to make the sum of two thirds". ${ }^{110}$ In a footnote, he gave a more literal translation: "se si portasse il terzo della divisione in tre parti (una cioè delle tre parti in cui è stato diviso il tutto) a due ripetentisi (cioè al raddoppio)" or "if one were to bring the third of the division into three parts (i.e. one of the three parts into which the whole has been divided) to two which repeat themselves (i. e. to duplication)". ${ }^{111}$ But here, too, the case of the participle is ignored (his translation "se si portasse [...] a due" requires $\varepsilon$ ís $\delta$ v́o $\pi \lambda \varepsilon o v \alpha ́ \sigma \alpha \varsigma)$, and "ripetentisi" ("repeating themselves") comes a bit out of nowhere.

[^18]
 to be changed with MacPhail to к $\alpha \tau \alpha \lambda i ́ \pi \eta .{ }^{113}$ Palaeographically, the latter is more plausible (-ot being an iotacistic error for - $\eta$ ).

 kept the first $\tau$ ítov. ${ }^{114}$ However, this word should be deleted with Kammer, Schrader and Sodano. ${ }^{115}$ Porphyry is talking about the number by which one half has increased. It is the increase which is unspecific, not the 'one third'.
 uscript puts $\mu \varepsilon \tau \alpha \beta \alpha ́ v \tau o \varsigma ~ a f t e r ~ \pi \alpha \rho \alpha \lambda \lambda \alpha ́ \xi \alpha \sigma \alpha ı, ~ w h i c h ~ p r e v i o u s ~ e d i t o r s ~ h a v e ~ l e f t ~$ unchanged. ${ }^{116}$ It can only be connected with $\mu \varepsilon \sigma o v u \kappa t i o u$, but this creates an extreme hyperbaton. For this reason, we have moved it after $\mu \varepsilon \sigma o v v \kappa \tau i ́ o u .{ }^{117}$
 confusing. He first paraphrases Homer, stating that the two parts (or two thirds) have been completed and the third part (or one third) remains ( $\tau \varepsilon \tau \varepsilon \lambda \varepsilon \sigma \mu \varepsilon ́ v \omega \nu$ $\left.\tau \tilde{\omega} \nu \beta^{\prime} \mu \circ \iota \rho \tilde{\omega} \nu, \lambda \varepsilon \iota \pi о \mu \varepsilon ́ v \eta \varsigma \delta \dot{\varepsilon} \tau \eta \tilde{} \varsigma \tau \rho i ́ \tau \eta \varsigma\right)$. However, he then states that the night has passed for the majority ( $\pi \alpha \rho \tilde{\eta} \lambda \theta \varepsilon$ тò $\pi \lambda \varepsilon \varepsilon_{0} \nu \dot{\eta} v \grave{v} \xi$ ) and adds that the night consists of two parts ( $\mathfrak{\eta} v \grave{v} \xi$ oṽ̃ $\alpha \mu \circ \iota \rho \tilde{\omega} v \delta v ́ o$ ). This could be taken to mean that he interprets $\tau \tilde{\omega} \nu \delta v v^{\prime} \mu o เ \rho \alpha ́ \omega \nu$, like Aristotle, as indicating two halves of the night. However, that is not how he goes on to explain the text. In the interpretation that follows, he contrasts the two parts with one (stating 'two is greater than one') and argues that two thirds is the majority of the night ( $\pi \lambda \varepsilon$ ह́ov yò $\rho \mu \varepsilon ́ \rho o \varsigma ~ \varepsilon i ́ \sigma i ̀ ~ \tau n ̃ S ~$ vuktòs ai סv́o), indicating that he is now speaking of two thirds of the night rather than two halves. He then again repeats his point that, if two thirds have passed, the night has passed for the majority ( $\pi \alpha \rho \circ \iota \chi о \mu \varepsilon ́ v \omega \nu \tau \tilde{\omega} \nu \delta v ́ o ~ \mu о \iota \rho \tilde{\omega} \nu \tau \tilde{\omega} \pi \lambda \varepsilon \varepsilon^{\prime} \circ \nu \iota$


[^19]ठv́o $\mu \varepsilon \rho \tilde{\omega} \nu \pi \alpha \rho \omega \chi \eta \mu \varepsilon ́ v \omega \nu$ at the end). This raises the question whether $\beta^{\prime}$ in $\dot{\eta} v \grave{~} \xi$ oṽ̃ $\alpha \mu$ оь $\rho \tilde{\omega} v \beta^{\prime}$ might be an error (for $\gamma^{\prime}$ ?), perhaps introduced from the Aristotelian argument. Alternatively, we could translate $\pi \alpha \rho \tilde{\eta} \lambda \theta \varepsilon$ тò $\pi \lambda \varepsilon \dot{\varepsilon} \sigma \nu \dot{\eta} v v ̀ \xi ~ o v ̃ \sigma \alpha$ $\mu o เ \rho \tilde{\omega} v \beta$ ' as 'the night has gone by for the most part, if (we were to assume that) it consists of two parts'.
 atic. In this sentence, Porphyry seems to want to connect this with $\mu \varepsilon \varepsilon^{\rho} \varepsilon \iota$ in the
 $\mu \varepsilon i \zeta o v ı \mu \varepsilon ́ \rho \varepsilon \iota)$. However, $\pi \lambda \varepsilon \varepsilon^{\prime} \omega / \pi \lambda \varepsilon ́ \omega$ is no regular dative form of the comparative $\pi \lambda \varepsilon \varepsilon^{\prime} \omega \nu$ (neither in Attic prose nor in Homer). Of course, it is nevertheless possible that Porphyry/Autochthon believes that $\pi \lambda \varepsilon \dot{\varepsilon} \omega / \pi \lambda \varepsilon \dot{\varepsilon} \omega$ is somehow a Homeric form of the dative comparative, similar to the more familiar $\pi \lambda \dot{\varepsilon} \omega=\pi \lambda \varepsilon \dot{\varepsilon} \sigma v \alpha$ and $\pi \lambda \varepsilon$ íous $=\pi \lambda$ ćov $/ \pi \lambda$ ćovac. One way to solve the problem is to assume that we


 adverbial accusative). In any case, Porphyry's/Autochthon's point seems to be that $\pi \lambda \varepsilon \dot{\varepsilon} \omega$ is not an error and should not be corrected to $\pi \lambda \varepsilon^{\prime} \omega \nu$ but is used in an adverbial sense ( $\pi \lambda \varepsilon ́ \omega=\tau \tilde{\sim} \pi \lambda \varepsilon ́ o v \iota \mu \varepsilon ́ \rho \varepsilon \iota)$.

 an implied $\mu$ oípas. However, since tò $\pi \lambda \varepsilon \varepsilon_{0} \nu \mu \varepsilon ́ \rho o \varsigma ~ p r e c e d e s, ~ t h e ~ s w i t c h ~ t o ~ a ~ f e m-~$ inine form in somewhat unexpected. Kammer's conjecture toṽ $\delta \varepsilon v \tau \varepsilon ́ \rho o v ~ i s ~ w h a t ~$ would probably be expected. ${ }^{118}$ Note, however, that the parallel in the D scholia has $\tau \tilde{\eta} \varsigma ~ \delta \varepsilon v \tau \varepsilon ́ \rho \alpha \varsigma ~ a s ~ w e l l . ~ . ~ .119 ~ A n ~ a l t e r n a t i v e ~ s o l u t i o n ~ w o u l d ~ b e ~ t o ~ s u p p l e m e n t ~$ $\alpha v ่ \tau \tilde{\omega} v \tau \tilde{\omega} \nu \beta^{\prime}<\mu o เ \rho \tilde{\omega} v>$ or at the very least to assume that $\tau \tilde{\omega} v \beta^{\prime}$ is a feminine plural and thus short for $\tau \tilde{\omega} v \beta^{\prime}(\mu \circ\llcorner\tilde{\omega} \nu)$.
« $\alpha \lambda \lambda \alpha ̀ ~ \kappa \alpha i ̀ ~ \tau \alpha v ́ \tau \eta v ~ \tau \eta ̀ v ~ \sigma \tau \rho \alpha \tau i ́ \alpha v ~ \theta \alpha \lambda \alpha ́ \sigma \sigma \eta \eta ~ \eta ̉ \delta \eta ~ \pi \lambda \varepsilon i ́ \omega ~ \chi \rho \omega ́ \mu \mu v o l ~ \sigma v v \tilde{\eta \theta o v » . ~}$ Most editors of the excerpt have read tìv ot $\rho \alpha \tau i \alpha{ }^{v} .{ }^{120}$ In the manuscript, the word is abbreviated as $\sigma \tau \rho \alpha \tau^{\prime}$. The acute accent shows that the reading is actually

[^20]$\sigma \tau \rho \alpha \tau^{\prime} \alpha v$ or (without iotacism) $\sigma \tau \rho \alpha \tau \varepsilon i \alpha v$. Thus, Porphyry seems to have agreed with the text of Thucydides (1.3.5) as transmitted by the codex Laurentianus 69,2 $\left(\mathrm{C}^{4}\right)^{121}$ and Monacensis gr. 430 (F) ( $\sigma \tau \rho \alpha \tau \varepsilon^{\prime} \alpha v$ ) / the codex Monacensis gr. 228 (G) ( $\sigma \tau \alpha \tau i ́ \alpha v$ ) against the codex Parisinus suppl. gr. 255 (A), Vaticanus gr. 126 (B), Heidelbergensis, Palatinus gr. 252 (E) and Londinensis Add. 11,727 (M), which read $\sigma \tau \rho \alpha \tau i \alpha ̀ v$ (ABEM form one family, to which F normally belongs as well). ${ }^{122}$ Note, however, that the parallel quotation in the D scholia has $\sigma \tau \rho \alpha \tau i \alpha v .{ }^{123}$

The excerpt also agrees with most manuscripts of Thucydides in reading $\pi \lambda \varepsilon \varepsilon^{\prime} \omega$ against the codex Monacensis gr. 228 (G) and the corrector of the codex Londinensis Add. 11,727 ( $\mathrm{M}^{1}$ ), which read $\tau \alpha ̀ ~ \pi \lambda \varepsilon i ́ \omega$. ${ }^{124}$ Finally, it deviates from the codices veteres in reading $\sigma u v \tilde{\eta} \lambda \theta o v^{125}$ (instead of $\left.\xi \cup v \tilde{\eta} \lambda \theta o v\right)$ but nevertheless agrees with them in so far as it has the prefix $\sigma u v$-/ $\xi v v$ - against the codex Parisinus gr. $1733(\mathrm{Pe})^{126}(\varepsilon \dot{\varepsilon} \xi \tilde{\eta} \lambda \theta \mathrm{ov})$ and Lorenzo Valla's translation (exierunt). ${ }^{127}$ Cobet corrected the text of Thucydides to $\xi \cup v \varepsilon \xi \tilde{\eta} \lambda \theta o v,{ }^{128}$ which MacPhail adopted in his edition of the excerpt as $\sigma u v \varepsilon \xi \tilde{\eta} \lambda \theta o v,{ }^{129}$ but this correction by MacPhail is unnecessary.
 Indeed, a construction $\pi \rho \circ \beta \alpha \dot{\alpha} \lambda \lambda \omega \pi \tau \tilde{\omega} \sigma \iota v$ in the sense of 'show a grammatical case' is otherwise unattested. Note, however, that the parallel in the D scholia has $\pi \rho о \beta \alpha ́ \lambda \lambda$ ov as well. ${ }^{131}$
 Homer manuscripts as $\Pi \lambda \eta$ ïó $\delta \alpha \varsigma \tau^{\prime}$ ह́бop $\tilde{\nu} v \tau \iota .{ }^{132}$ This is also how the text is read

[^21]by Eustathius. ${ }^{133}$ Similarly, the geographer Pausanias quotes the line as $\Pi \lambda \eta$ ïó $\delta \alpha \varsigma$ $\tau^{\prime}$ ह́бop $\tilde{v} v \tau \alpha$ (with an accusative instead of a dative participle). ${ }^{134}$ In an Odyssey scholion, however, the participle appears in a 'distended’ form as عíoooó $\omega v \tau \alpha$. ${ }^{135}$ It also appears in a 'distended' form in the quotation of this line in Achilles Tatius and the Anonymus I in Aratum, viz. as $\Pi \lambda \eta$ nó $\delta \alpha \varsigma$ عioooó $\omega v \tau$ (with a dative participle). ${ }^{136}$ Similarly, an exegetic Iliad scholion quotes the line as $\Pi \lambda \eta i ̈ \alpha \sigma \alpha \alpha \varsigma ~ \theta$, ópó $\omega v \tau \iota .{ }^{137}$ The codex Harleianus 5674 fol. 33r may have initially read something similar. In its current form, it reads $\pi \lambda \eta$ ïó $\delta \alpha \varsigma$ [[ . ]] ó $\rho \tilde{\omega} v \tau \iota$ (with an erasure between the two words). Originally, the text probably read $\pi \lambda \eta$ Ḯ $\delta \alpha \alpha c \theta^{\prime}$ ó $\rho \tilde{\omega} v \tau \iota$, but the corrector erased $\theta^{\prime}$ and wrote $\tau^{\prime} \dot{\varepsilon} \sigma$ over it, thus producing the standard reading $\pi \lambda \eta$ Ïó $\delta \alpha \varsigma \tau^{\prime}$ ' $̇ \sigma o \rho \tilde{\omega} v \tau \iota$, found in the other mediaeval Homer manuscripts.

In the manuscript of the Porphyry excerpt, the line is quoted as $\pi \lambda \eta(l) \alpha \alpha^{\alpha} \alpha \varsigma^{138}$ $\dot{\varepsilon} \sigma o \rho \tilde{\omega} v \tau \iota$. Many editors of the excerpt have corrected this and aligned it with one of the previously discussed readings. Their reason for doing so is that the line in

 reading of Achilles Tatius and the Anonymus I in Aratum); ${ }^{139}$ Kammer corrected

[^22]139 D’Ansse de Villoison 1788, 252; Bekker 1825, 286; Dindorf 1875-1877, III, 438.
 Homer manuscripts. ${ }^{140}$ Arguably, Kammer's intervention is less drastic than that of the other editors. However, it is possible that Porphyry actually quoted the line

 However, what follows $m u$ is written quite narrowly and seems to be eta rather than alpha iota. Moreover, rho is followed by alpha, not epsilon. So the verb is $\tau \varepsilon \kappa \mu \eta^{\rho} \rho \sigma$ б $\alpha \mathrm{l}$, the aorist infinitive. This is also what is read in the codex Vaticanus Palatinus gr. $12\left(\mathrm{~V}^{20}\right)$, which copies B.

тò $\pi \rho о \beta \varepsilon \beta \eta \kappa \varepsilon ́ v \alpha \Delta$. This might be an error for tò ««роß $\varepsilon^{\beta} \eta \kappa \varepsilon »$, since Porphyry generally quotes the Homeric words in their original conjugations and declensions.

 'other people claim that [Homer/Odysseus says this] on the basis of the Pleiades, Hyades and Orion'. However, it is possible that ánò is an error for $\varepsilon \pi i$ i, since this is
 عip $\tilde{\sigma} \theta \alpha \mathrm{o}$ ), so that the meaning would be 'other people claim that [Homer/Odysseus says this] about the Pleiades, Hyades and Orion'.
 transmitted text is obviously corrupt here. The phrase is preceded by oi $\delta \dot{\varepsilon}$ वं $\pi \grave{o}$

 [claim that he says this] on the basis of the Pleiades, Hyades and Orion, which are either rising at dawn and have advanced from the east'. The required text would
 عís tìv סúviv or are setting at dawn and are already advancing towards the west'. ${ }^{143}$ Alternatively, it is possible that Porphyry is no longer talking about the Pleiades, Hyades and Orion here. This might be suggested by the parallel in the D

[^23]

 has moved on to another interpretation and is now talking about the Evening Star and Sirius as stars that set at dawn.
 indicated, some text appears to have fallen out after $\tau \rho$ ítov. ${ }^{145}$ Porphyry seems to have talked about two ways of interpreting 'the third part' (or 'one third'). If we do not supplement a reference to the Evening Star and Sirius in the aforementioned corrupt passage, it is possible that such a note was originally found in the lacuna here.

 text, ${ }^{146}$ but the line is unmetrical as such, and Porphyry is unlikely to have written that. For this reason, we have supplemented < $\eta \gg \eta \dot{\omega} \varsigma$ on the basis of the transmitted Homer text (with $\eta$ lost through haplography). ${ }^{147}$ The conjecture is further supported by the parallel D scholion, which also reads $\eta \eta \eta \dot{\omega} .^{148}$ Moreover, this is also how Porphyry reads the line in the first book of the Homeric Questions. ${ }^{149}$

Porphyry (as presented by *B) also reads $\delta \varepsilon$ í $\lambda \eta$ § with the Homer manuscripts AFTG (alongside Apollonius Sophista, the Suda, the Etymologicum Genuinum and the Etymologicum magnum) ${ }^{150}$ and against the rest of the Homer manuscripts

[^24]and the other testimonia, which have $\delta \varepsilon$ í $\lambda .{ }^{.151}$ Note, however, that in the first book of his Homeric Questions, Porphyry seems to have read $\delta \varepsilon$ عín instead. ${ }^{152}$ The nominative $\delta \varepsilon^{i} \lambda \eta$ also seems to have been the reading of Aristarchus and Didymus. ${ }^{153}$ In his Homer edition, however, West adopted Fick's conjectures $\eta$ ク’ for $\eta \eta$ and $\delta \varepsilon \varepsilon^{\prime} \varepsilon \lambda \eta$ for $\delta \varepsilon i \lambda \eta(\varsigma) .{ }^{154}$

## 4 Discussion

### 4.1 Porphyry's introduction [1-3a]

The text seems to reproduce the introduction to some section of Porphyry's Homeric Questions, explaining his approach to answering such questions ${ }^{155}$. It is unlikely to be the beginning of the work itself, however, as the first book is extant in the manuscript tradition, and this is not how it begins. ${ }^{156}$

Porphyry mentions that 'the collection of the inquiries has appeared already
 $\alpha ̈ \lambda \lambda o ı \varsigma)$. Schrader claimed that Porphyry's work was based on three collections: a Peripatetic collection (also containing all pre-Aristotelian material), a Stoic col-

[^25]lection (providing allegorical explanations) and an Alexandrian collection. ${ }^{157}$ According to Schrader, the reference to a $\sigma v v \alpha y \omega y \grave{\eta} \tau \tilde{\omega} \nu \zeta \eta \tau о \nu \mu \varepsilon ́ v \omega \nu$ proves his use of such collections. ${ }^{158}$ Although the three-source hypothesis was not adopted by subsequent scholars, Gudeman did accept the existence of an Alexandrian collection, which he considered to be attested in the current excerpt ${ }^{159}$. According to Erbse, however, this is not what the text says at all. In his view, Porphyry instead contrasts his work with such collections and stresses that, unlike such compilations, he consulted the original works. ${ }^{160}$

Porphyry announces in this programmatic statement that he draws on the inquiries of others and evaluates their solutions. He states that he agrees with some but rejects others and adds that some solutions are his own, while others are based on a revision and expansion of solutions proposed by other writers. Indeed, his discussions in the Homeric Questions often take the form of a catalogue of solutions proposed by previous writers. ${ }^{161}$

To illustrate his approach, Porphyry begins with one of the old questions. He quotes Il. 10.252-253, and then presents the Homeric question (in the following form): 'For how, if these two parts have passed and even more than this, does the third part remain but not part of the third?' Indeed, Porphyry goes on to give a list of possible solutions that have been proposed by other writers. However, despite what he announces at the start of the excerpt, he does not critically evaluate the solutions here, nor does he explicitly reject any of these. In other excerpts, in contrast, Porphyry engages more actively with the discussed solutions.

For the first solution, Porphyry reports that 'some in fact, adding a sigma [i.e. to $\tau \rho \iota \tau \alpha \dot{\tau} \tau$, making it the genitive $\tau \rho \iota \tau \alpha \dot{\tau} \eta\rceil$ ], thought fit to write "and a part of a third remains", so that a portion of the third is left, but not the whole third'. ${ }^{162}$ Porphyry seems to raise this sort of solution only to set it aside as a representative of attempted solutions through emendation generally. That is, it is probably not meant to be part of the main discussion of serious solutions. ${ }^{163}$

[^26]
### 4.2 Metrodorus [3b]

The first real solution cited by Porphyry is that of Metrodorus. This is probably Metrodorus of Lampsacus the Elder, a student of Anaxagoras who is mentioned in Plato's Ion ( $530 \mathrm{c}=61 \mathrm{fr} .1 \mathrm{DK}$ ). ${ }^{164}$ Other scholars have identified him as Metrodorus of Chios (a student of Democritus and author of a work entitled Tpんїк ${ }^{165}$ ) or Metrodorus of Lampsacus the Younger (a friend of Epicurus and author of a work Пعрі̀ лоı $\left.\mu \alpha \alpha_{\tau} \omega \nu^{166}\right) .{ }^{167}$ Metrodorus of Lampsacus the Younger seems especially unlikely, since, according to Plutarch, Metrodorus did not consider knowledge of Homer necessary. ${ }^{168}$ Horn even conjectured changing $M \eta \tau \rho o ́ \delta \omega \rho o s$ to Zqvó $\delta \omega \rho o \varsigma$, thus identifying him as Zenodorus, author of a work Пعрì $\tau \tilde{\varsigma}$
 discussion in Hintenlang 1961, 89-93, Breitenberger 2006, 417-418 and Verhasselt 2020, 246-248. 164 See Schrader 1880, 384; Lanata 1963, 246-247 with n. 4; Freeman 1949, 277-278; Pfeiffer 1968, 35; Sodano 1974, 47 n. 98; Richardson 1975, 68; Cassio 2002, 123; Pontani 2005, 28; Pagani 2006; Novokhatko 2015, 37-38. The fragment is included in Diels/Kranz 1952, 49-50 as 61 fr. 5 with a question mark.
165 The title is attested in Ath. 4.184 a (= Metrodorus Chius 70 B 3 DK $=F G r H 43$ F1: M $\uparrow \tau \rho o ́ \delta \omega \rho o s$ ס' ò Xĩos év Tpんïкoĩs) and schol. Ge Il. 21.444c (Erbse) (exeg.) (= Metrodorus Chius 70 В 4

166 See Phld. De rhetorica 2, PHerc. 1674 col. 49.27 - col. 51.29 p. 145-149 Longo Auricchio = vol. 1 p. 85-89 Sudhaus ( $\sim$ Metrodorus fr. 20-21 Koerte); PHerc. 1672 col. 20.28 - col. 21.17 p. 213-215 Longo Auricchio = vol. 1 p. 119-20 Sudhaus (not in Koerte); De rhetorica 3, PHerc. 1506 col. 40.1729 - col. 41.21 p. 17 Hammerstaedt 1992 = vol. 2 p. 241-242 Sudhaus (not in Koerte); col. 44.18-31 p. 20 Hammerstaedt 1992 = vol. 2 p. 247-248 Sudhaus ( $\sim$ Metrodorus fr. 23 Koerte). Plut. Non posse suaviter vivi secundum Epicurum 12.1094e quotes the work as Пعрi лоıŋт $\tilde{v}$ ( $=$ Metrodorus fr. 24 Koerte).
167 See Sengebusch 1855, 133-134. The text is included in the fragments of Metrodorus of Chios by Alfieri 1936, 336 and F. Jacoby, FGrH 43 F4. See also Erbse 1960, 45-46. Diels/Kranz 1952, 234 do not print the text but give it its own fragment number (70 B 5) with a cross-reference to Metrodorus of Lampsacus the Elder. This attribution is rejected, however, by F. Jenkins, BNJ 43 F4.
168 Plut. Non posse suaviter vivi secundum Epicurum $12.1094 \mathrm{e}=$ Metrodorus fr. 24 Koerte: ö $\theta \varepsilon v$

 you do not even know which side Hector was on, or the first lines of Homer's poetry or those in the middle'. According to Erler 1994, 219, Metrodorus' work discussed 'poetological' problems. However, according to Plutarch (Non posse suaviter vivi secundum Epicurum 2.1087a), Metrodorus calumniated Homer in many works. So if Metrodorus discussed Homeric problems, it was probably not to solve them but to criticise Homer (much like the work of Zoilus of Amphipoli). According to Plutarch, Epicurus (fr. 228 Usener) and Metrodorus spoke of 'poetic confusion'

${ }^{\circ} О \mu \eta \rho ı \kappa \tilde{\varsigma} \varsigma \sigma \nu \vee \eta \theta \varepsilon i ́ \alpha \varsigma .{ }^{169}$ However, this correction seems unnecessary. The main reason for rejecting the identification of Metrodorus as the pupil of Anaxagoras is that the fragment offers no allegorical interpretation of Homer, which Metrodorus was known for. ${ }^{170}$ However, this does not mean that Metrodorus was unable to offer more 'grammatical' interpretations. In fact, the Stoics were known for allegorical interpretations, too, but in the current excerpt, Chrysippus is cited for a 'grammatical' interpretation as well (see § 4.3 below).

In any case, Metrodorus reads $\pi \lambda \varepsilon \tilde{\varepsilon} 0 v$ and claims that it can mean two things in Homer - that is, it is a homonym. ${ }^{171}$ One meaning is the customary one: 'more'. But he claims that it can also mean 'full' ( $\tau$ ò $\pi \lambda \tilde{\eta} \rho \varepsilon \varsigma$ ), as it does for instance in Il. 2.226, 'your huts are full of bronze’ ( $\pi \lambda \varepsilon \tilde{i} \alpha i ́ ~ \tau о ь ~ \chi \alpha \lambda к о и ̃ ~ к \lambda ı \sigma ́ ́ \alpha ı) ~ a n d ~ I l . ~ 4.262-~$ 263, 'your cup always stands full’ (бòv $\delta \varepsilon ̇ ~ \pi \lambda \varepsilon \tilde{o} o v ~ \delta \varepsilon ́ \pi \alpha \varsigma ~ \alpha i ́ \varepsilon i ~ \mid ~ \varepsilon ̌ \sigma \tau \eta \kappa \varepsilon) . ~ A n d ~ t h i s ~$ less common meaning is the one that solves our problem. In the Homeric epics, Metrodorus says, the night is divided into three watches ( $\tau \rho \iota \varphi \cup \lambda \alpha ́ \kappa о \cup \tau \tilde{\Upsilon} \varsigma v \nu \kappa т o ̀ s$ oűons), and so what Homer is in fact saying here is that a full two parts of the night have passed - not more than two part - and a third part remains. Richardson calls this a "very strained reading" ${ }^{172}$ Breitenberger is more specific: the problem is that only the neuter singular $\pi \lambda \varepsilon \tilde{0} o v$ is homonymous in this way. For instance, the feminine nominative singular of the comparative of $\pi 0 \lambda u ́ \varsigma$ is $\pi \lambda \varepsilon^{\prime} \omega \nu$ or $\pi \lambda \varepsilon \dot{\varepsilon} \omega \nu$, but the feminine nominative singular of $\pi \lambda \varepsilon ́ \omega \varsigma / \pi \lambda \varepsilon \tau ̃ o \varsigma ~(' f u l l ') ~ i s ~ \pi \lambda \varepsilon ́ \alpha / ~$ $\pi \lambda \varepsilon \varepsilon^{\prime} \alpha$. So, if one tried to defend $\pi \lambda \varepsilon \tau ̃ o v$ in verse 252 , it cannot modify vú (which $^{\prime}$ is feminine) to mean 'full night' or 'night is full'. Yet in his paraphrase, this is precisely what Metrodorus is claiming: 'for the night (vúg), having become filled ( $\pi \lambda \eta$ и́ $\eta \varsigma$, fem.) with two parts, has passed, but a third remains’, etc. ${ }^{173}$ This is probably why the $D$ scholia report the variant $\pi \lambda \varepsilon ́ \eta$, an Ionic form of $\pi \lambda \varepsilon \varepsilon^{1} .{ }^{174}$ Met-

169 Horn 1883, 92 (thesis III). On Zenodorus, see Pusch 1890, 135-147. The title is attested in
 Suda $\zeta 78$, s.v. Zqvó8oтos erroneously lists it under the works of Zenodotus of Alexandria. Zenodorus is cited by Porphyry in Zetemata Vaticana 18 p. 129 Sodano (= Porph. ad Il. 16.174 p. 214 $($ Schrader $)=$ Porph. ad Od. 4.477 p. 48 (Schrader) = schol. Od. 4.477 h 1 (Pontani)) and ad Il. 18.22 p. 220 (Schrader) = p. 230 (MacPhail).

170 See Diog. Laert. 2.11 = Metrodorus 61 fr. 2 DK, Tatianus, Ad Gr. $21=$ Metrodorus 61 fr. 3 DK and Hsch. $\alpha 299$ (Latte), s.v. 'Ay $\alpha \mu \varepsilon ́ \mu v o v \alpha=$ Metrodorus 61 fr. 4 DK.
171 The interpretation of Lanata 1963, 246-247 is incorrect. In her edition of the fragment of
 which she incorrectly translated as "Metrodoro afferma che in Omero $\pi \lambda \varepsilon \tilde{\varepsilon} o v ~ s i g n i f i c a ~ « d u e » " . ~$
172 Richardson 1975, 68.
173 See Breitenberger 2006, 402.


rodorus probably interpreted $\pi \lambda \varepsilon \tilde{\varepsilon}$ ov as an adverbial accusative: 'the night has passed in a manner that is full of two thirds'. Note that the scribe is inconsistent with regard to Metrodorus' reading. At the beginning, he says that it is $\pi \lambda \varepsilon \tilde{o} o v$, but at the end he writes $\pi \lambda \varepsilon$ ह́ov (unless the latter is merely a scribal error).

The interpretation that the word means 'full' also recurs in an A scholion on Il. 9.71, ${ }^{175}$ an exegetic bT scholion on Il. 10.252-253 ${ }^{176}$ and in Hesychius' lexicon. ${ }^{177}$ Interestingly, these texts circumvent the problem by reading $\pi \lambda \varepsilon ́ \omega$ instead of $\pi \lambda \varepsilon \tilde{\varepsilon} 0 v$. This suggests that they interpret it as a nominative feminine singular, since they explain it not as $\pi \lambda \tilde{\eta} \rho \varepsilon \varsigma$ but as $\pi \lambda \tilde{\rho} \rho \eta \varsigma .{ }^{178}$ However, this creates the problem that $\pi \lambda \varepsilon \dot{\varepsilon} \omega$ is not a regular feminine form either. Perhaps the critics who defended this interpretation erroneously thought of the paradigm as (m.) $\pi \lambda \dot{\varepsilon} \omega \varsigma$, (f.) $\pi \lambda \varepsilon \dot{\varepsilon} \omega$, (n.) $\pi \lambda \varepsilon \varepsilon^{\prime} \omega \nu$ (instead of $\pi \lambda \varepsilon \dot{\varepsilon} \omega \varsigma$, $\pi \lambda \varepsilon \dot{\varepsilon} \alpha, \pi \lambda \varepsilon \dot{\varepsilon} \omega \nu$ ), a paradigm that is otherwise unattested.

[^27]
### 4.3 Chrysippus [3c]

The next solution (after a raised dot and gap of three letters) comes from the Stoic Chrysippus. ${ }^{179}$ There are several fragments in which Chrysippus offers solutions for Homeric problems. ${ }^{180}$ Although no title is attested, he may have written a separate work on this, ${ }^{181}$ like the Stoic Zeno of Citium ${ }^{182}$. Usually the Stoics are associated with allegorical interpretations of Homer. However, unlike his teacher, Cleanthes, Chrysippus does not seem to have interpreted Homer allegorically. ${ }^{183}$

Chrysippus starts by making the comparison with a group of three days. If two days have passed, on the third day, we can say that a third day remains, even if we do not make this statement at the start of the day. So, we call a day a day even past dawn (i.e. even when only part of a day remains); and in the same way, Homer is here calling one part of the tripartite night one full part of the night, even though only a portion of that part remains (like Metrodorus, Chrysippus divides the night into three parts). So there are three parts of the night, more than two parts have past, and Homer (or Odysseus) is informally calling what remains of the third part 'the third part'. Chrysippus then seems to draw a comparison with 'incomplete' humans. His argument seems to be that we call people full humans, even if they are missing certain body parts. ${ }^{184}$

## 4.4 'Others' [3d]

The fourth solution (after a special three-dot punctuation and a gap of three letters) is like the third: 'Others claim that poets have a custom of using a number that has been made uniform' - i.e. they tend to round numbers up or down in some

179 According to Erbse 1960, 46, Porphyry knew Chrysippus’ solution (together with that of Metrodorus) through a commentary of the Roman period, which was also used in the Geneva scholia.
180 Chrysippus, SVF III fr. 769-777.
181 See Pontani 2005, 41.
182 The list of Zeno's works in Diog. Laer. 7.4 attests a work of Homeric Problems in five books (Проß入пца́т $\omega v$ 'O $\mu \eta \rho เ \kappa \tilde{\nu} \nu \pi \varepsilon ́ v \tau \varepsilon$ ). See also Zeno, SVF I fr. 274-275. Zeno does not apply allegory to Homer; he does, however, offer an allegorical interpretation of Hesiod's Theogony (SVF I fr. 103-105; fr. 118; fr. 121; fr. 167; fr. 169; fr. 276). See Steinmetz 1986, 19-23; 1994, 523-524 and Long 1992, 48; 50-51; 59-64.
183 For Chrysippus' Homeric studies, see Buffière 1973, 150-152, Steinmetz 1986, 26-28 and Long 1992, 48-50; 58-59. For Cleanthes, see Buffière 1973, 137-154, Pépin 1976, 125-131 and Steinmetz 1986, 23-25.
184 See the text-critical note above (p. 461-462) on the problematic words $\pi \alpha \rho \alpha \dot{\alpha} \pi o ́ \delta \alpha$.
way. In the lengthy passage that follows (the second longest), many examples from various poets are provided. Porphyry starts by giving examples of numbers that are rounded down. First, he quotes a line mentioning an army of 1000 ships ( $\chi$ ı $\lambda$ ıóvauv $\sigma \tau \rho \alpha \tau o ́ v$ ), perhaps a quotation from Euripides’ Orestes. ${ }^{185}$ This refers to the Achaean fleet sent to Troy, which in fact consisted of 1186 ships. ${ }^{186}$ This is followed by a quotation from an anonymous tragedy, which mentions 20 columns for one expedition but then specifies that there are 11 for the infantry and 12 for the ships, thus showing that they are in fact 23 in total. ${ }^{187}$ These are examples
 remainder (in our examples, , $\alpha \rho \pi \varsigma^{\prime}$ becomes , $\alpha$, and $\kappa y^{\prime}$ becomes $\kappa^{\prime}$ ). Porphyry then adds that the opposite, viz. omission of the first digit (тòv $\pi \rho о к \varepsilon \dot{\prime} \mu \varepsilon v o v$ ), is also found. He first quotes two passages of Pindar. The first quotation mentions an unnamed person (presumably Heracles) killing twelve children and 'him' (i.e. the father) third, i.e. thirteenth (so with $y^{\prime}$ for $t y^{\prime}$ ). ${ }^{188}$ The second quotation from Pindar states that another unnamed man (here Oenomaus) was brought down by the fourth suitor (Pelops), i.e. the fourteenth (so with $\delta^{\prime}$ for $\left.1 \delta^{\prime}\right) .{ }^{189}$

Porphyry then quotes a line from Hesiod's Works and Days, which states that a woman should grow up for four year and be married in her fifth year, ${ }^{190}$ which Porphyry interprets as being short for 'fourteen' and 'fifteenth' (so with $\delta$ ' and $\varepsilon$ ' for $\tau \delta^{\prime}$ and $\tau \varepsilon^{\prime}$, respectively). ${ }^{191}$ This is then followed by an extensive quotation

[^28]from Eupolis' Golden Race, which gives a catalogue of deformed or otherwise ugly men. ${ }^{192}$ In this list, Eupolis uses 'third', 'fifth', 'sixth' and 'eighth' in the sense of thirteenth, fifteenth, sixteenth and eighteenth (so $y^{\prime}, \varepsilon^{\prime}, \varsigma^{\prime}$ and $\eta$ ' for $t y^{\prime}, ~ t \varepsilon^{\prime}$, $\mathrm{s} \varsigma^{\prime}$ and ı $\eta^{\prime}$, respectively). ${ }^{193}$

Porphyry next quotes examples of numbers that are rounded up. This is the category that is relevant for our Homeric problem. He first contrasts Homer with Simonides. In Homer, Priam is said to have had 19 sons 'from a single womb' (i.e. from Hecabe), ${ }^{194}$ while Simonides, according to Porphyry, has rounded this number up to $20 .{ }^{195}$ This is followed by a number of examples where Homer himself has rounded up a number. Thus, in Homer, after having slept with Tyro, Poseidon says that she will bear splendid children 'when a year has gone around' ( $\pi \varepsilon \rho \iota \pi \lambda$ оцદ́vov $\delta^{\prime}$ ह́vıんutoũ), ${ }^{196}$ although pregnancy lasts nine months, not a full year. ${ }^{197}$ This is followed by a reference to the contradiction between Il. 2.649 and

[^29]196 Hom. Od. 11.248-249.
197 The D scholiast comments with greater specificity (schol. D Il. 10.252(3) p. 374.12-13 (van Thiel ${ }^{2}$ )): ‘For to reach birth not a whole year is completed, but 273 days’ ( $\varepsilon$ ís yà $\alpha$ d́noкú $\eta \sigma v$ oủ


Od. 19.174 regarding the number of cities in Crete. In the Catalogue of Ships in the
 seus' fictitious tale in the Odyssey, it has 90 cities ( $\varepsilon v \varepsilon v \eta ́ \kappa о v \tau \alpha \pi o ́ \lambda \eta \varepsilon \varsigma)$. Porphyry states here that either the Iliad passage has added ten or the Odyssey passage has subtracted ten. This was a famous problem also treated by Aristotle. ${ }^{198}$ Interestingly, the explanation in the current text differs from Porphyry's interpretation given elsewhere, viz. that either 100 in the Iliad is a metaphor for many, or that, in the Odyssey, Homer does not mean that Crete has only 90 cities, i. e. saying that there are 90 cities does not exclude the possibility of there being 100 cities. ${ }^{199}$

Similarly, Porphyry indicates that Homer says that 'all day long until sunset | they feasted' (Il. 1.601-602), although they did not begin to drink at dawn, and 'all day long they fought around the Scaean Gates' (Il. 18.453), although the actual battle was much shorter. The final example is a non-Homeric one. Porphyry points out that, although the Olympic Games take place after either 50 or 49 months, poets nevertheless systematically call the festival 'fifty-monthly' ( $\pi \varepsilon \nu \tau \tau \kappa о \nu \tau \alpha ́ \mu \eta \nu \circ \varsigma)$.
'In this way, therefore', these 'others' conclude, 'nothing prevents [Homer], even though the third part is incomplete, from calling it a complete third part ${ }^{200}$.

[^30]200 Cf. schol. D Il. 10.252(3) p. 374.7-18 (van Thiel²).

Ultimately, this sounds a lot like Chrysippus' solution, which may be why it follows right after his. The main difference is that Chrysippus considers the Homeric line/ calculation to be inexact, whereas the other explanation argues that poets often omit the first or second digit and often prefer round numbers.

### 4.5 Aristotle [3e]

The next and lengthiest solution to the problem (again, after three-dot punctuation and a gap of three letters) is Aristotle's, almost certainly from his lost Homeric Problems. ${ }^{201}$ As no one is more important than Aristotle, he warranted a special indication in the left margin: his name, with an asterisk to the left and special punctuation (:-), usually reserved to mark the end of a scholion, to the right.

But before turning to Porphyry's presentation of Aristotle's solution, we need to say something about Aristotle's mention of this same problem in Poet. 25, a chapter devoted to answering objections to Homer and solving Homeric problems. ${ }^{202}$ At one point, he presents a dozen ways of solving these problems. Some should be solved, he says, by assuming ambiguity ( $\left.{ }_{\alpha}^{\mu} \mu \iota \beta 0 \lambda i ́ \alpha\right) .{ }^{203}$ Aristotle gives as an example half of $I l .10 .252$ ('and more night has passed’, $\pi \alpha \rho ஸ ీ \chi \eta \kappa \varepsilon \nu ~ \delta غ ̇ ~ \pi \lambda \varepsilon ́ \omega ~$ $v v ́ \xi)$, though he seems to have in mind the verse that follows as well and the Homeric problem that concerns us. ${ }^{204}$ Here Aristotle merely adds: 'for $\pi \lambda \varepsilon \varepsilon^{\prime} \omega$ in this passage is ambiguous’ (тò yò $\rho \pi \lambda \varepsilon^{\prime} \omega \dot{\alpha} \mu \varphi$ íßo入óv ह́ $\left.\sigma \tau ı v\right)$. Some scholars have assumed that this is a highly abbreviated reference to the lengthy discussion presented by Porphyry. ${ }^{205}$ But it is also possible that in Poet. 25 he is referring to the solution of Metrodorus, who claimed that $\pi \lambda \varepsilon \tilde{0} 0 v$ means two things in Homer. ${ }^{206}$

[^31]This would not be the only case of Aristotle providing examples of a solution from someone else．${ }^{207}$

In any case，Aristotle＇s solution，according to Porphyry，goes as follows．He interprets $\pi \lambda$ ćov as meaning＇more than half＇and argues that this is indetermi－ nate．To say that＇more＇is indeterminate（óópıotov）arguably qualifies this as a solution according to ambiguity，though that is not clear．Aristotle first gives an example unrelated to the scene in Iliad 10：Six can be divided into two equal parts or halves（of three each）．When one says that a half is increased（ $\alpha \cup ̉ \xi \eta \theta \tilde{\eta}$ ），it is unclear whether one means increased by a portion of a number or by a whole unit．If it is increased by a whole unit－by one here－then three becomes four， which leaves two of the original six，i．e．it leaves a third．Aristotle then applies this logic to our passage．The night consists of 12 parts，which can be divided into two equal halves of six hours each．One half has increased，but it is unclear by how much．It could be by one，two，three or more．Homer therefore specifies that one third is left and，in doing so，determines the unspecified increase．If half of the night（which is six hours）has increased by two hours，then eight hours have gone by，and four remain，which is one third of the night．So，in saying that one third of the night is left，Odysseus is neither getting the math wrong（the worry behind this Homeric problem）nor being informal and imprecise（as Chrysippus and others would have it）．Rather，by saying that a third of the 12 hours is left （which is four），he indicates that half of the night（which is six）has increased by two，i．e．eight hours have gone by．${ }^{208}$ This would mean that dawn is approaching only in the sense that they are twice as close to dawn as they are to midnight，not that dawn is imminent．

[^32]Porphyry goes on in the remainder of the passage to show how this same process applies to any number that can be divided evenly into two parts and into three parts. He gives as examples first the number 18, and then the 24 hours of the full day. By stating that one third remains, it is implied that 12 have passed and 6 remain in the case of the number 18 , and 16 have passed and 4 remain in the case of the number 24. Porphyry then returns to the Homeric example and argues that Homer has wisely indicated how much the undefined part of the increase was. If you know that the hours of the night are 12, a number which can be divided both into two equal parts (of six each) and into three equal parts (of four each), then stating that one third remains is tantamount to saying that, from the turning of midnight, two hours have gone by.

The additional numerical examples with regard to 18 and the 24 hour daynight cycle and the conclusion are not included as part of the fragment of Aristotle by Rose. ${ }^{209}$ The passage was included, however, by Heitz and Gigon, ${ }^{210}$ although Heitz indicated that he was unsure whether the extra part, which was omitted by Rose, belonged to Porphyry or Aristotle. According to Sodano, Porphyry has elaborated on the Aristotelian solution, as he announces that he does in the intro-

 ö $\lambda$ ou трítov. This is then interrupted by Porphyry's expansion, which runs from
 ing to Sodano, these further numerical examples (regarding numbers 18 and 24) interrupt the logical coherence. He also claimed that the word vu孔Өń $\mu \varepsilon \rho o v$ is only attested from the first century AD onwards and is therefore an argument against attributing this part of the text to Aristotle. ${ }^{212}$ His claim about vvx $\theta \dot{\eta} \mu \varepsilon \rho o v$ is incorrect, however. The word is attested as early as Bolus of Mendes (third/ second century BC) and the astronomer and mathematician Theodosius (second/ first century BC). ${ }^{213}$ Moreover, the argument itself has little value, since Porphyry probably paraphrases Aristotle anyway.

According to Sodano, Porphyry then reprises Aristotle's argument from

 is an interpolation by a later scribe, which summarises the Aristotelian interpre-

[^33]tation. Kammer himself gave a similar interpretation, except that he attributed the additional numerical examples not to Porphyry but to a later interpolator. ${ }^{214}$ However, it is perhaps exaggerated to claim that these examples interrupt the train of thought. In fact, Aristotle himself started the discussion with a non-Homeric example (about the number six).

There are a few oddities in Aristotle's interpretation. (1) He assumes that $\tau \tilde{\omega} v$ סv́o $\mu$ оьрá $\omega v$ in our passage refers to the two equal halves of the night, and not two out of three parts. So he interprets $\tau \tilde{\omega} \nu \delta$ v́o $\mu \circ \iota \rho \alpha ́ \omega v$ as indicating two parts/ halves (and not the more logical 2/3) but then accepts $\tau \rho \iota \tau \alpha \dot{\tau} \eta \mu$ оĩ $\rho$ as meaning $1 / 3$. (2) He seems to assume that a whole unit in this context is or can be two hours, though perhaps this is not odd if his view is that a whole unit is any divisor, as opposed to a fragment or any non-divisor. (3) He takes $\pi \alpha \rho \omega ̣ ́ \chi \eta \kappa \varepsilon v ~ \delta \varepsilon ̀ ~ \pi \lambda \varepsilon ́ \omega ~ v u ́ \xi \mid$ $\tau \tilde{\omega} \nu \delta$ v́o $\mu$ оьра́ $\omega v$ ('more night has passed of/than the two parts') to mean that one of the two parts of night has increased. It is hard to imagine that this is what the author of the Iliad truly had in mind. (4) Aristotle may have read $\pi \lambda$ ćov rather

 this implies that $\pi \lambda \varepsilon$ ќov might also be the Homeric form read by Aristotle.

One point which Aristotle glosses over, however, is how he interprets the sentence grammatically. In his paraphrases, he uses $\theta \alpha ́ \tau \varepsilon \rho o v \mu \varepsilon ́ \rho o \varsigma ~ a s ~ a ~ s u b j e c t, ~$ which explains the form $\pi \lambda \varepsilon \varepsilon_{0} v{ }^{215}$ In Homer, however, the subject is vv́ $\xi$. The only way he might have interpreted $\pi \lambda \varepsilon$ ह́ov is as an adverbial accusative: 'the night has passed for the majority of its two parts'.

Finally, Breitenberger was right to point out that the division of the night into 12 hours/parts is un-Homeric. ${ }^{216}$ Instead, Homer seems to have divided the day and the night into three parts each. ${ }^{217}$

[^34]
### 4.6 Autochthon [3f]

Once again there follows three-dot punctuation and a gap of three letters. The next solution is from the grammarian Autochthon (second century AD). ${ }^{218} \mathrm{He}$ argues that, if two thirds of the night have been completed (and one third is left), Homer logically states that the night has passed for the majority. He also argues against certain unnamed people (who say that $\pi \lambda \varepsilon ́ \omega$ is or should be a nominative feminine singular) that it is not necessary to correct $\pi \lambda \varepsilon \dot{\varepsilon} \omega$ to $\pi \lambda \varepsilon^{\prime} \omega v$. Autochthon thus seems to consider $\pi \lambda \varepsilon \dot{\varepsilon} \omega$ to be an adverbial accusative (being the equivalent of $\left.\tau \tilde{\omega} \pi \lambda \varepsilon \varepsilon^{\prime} \circ \nu \iota \mu \varepsilon ́ \rho \varepsilon \iota\right)$ and $\tau \tilde{\omega} \nu \delta$ र́o $\mu \circ \iota \rho \alpha ́ \omega \nu$ to be an epexegetical/appositive genitive ruled by $\pi \lambda \varepsilon ́ \omega$. The result is something like: 'The night has mostly passed, i. e. by two thirds, and one third remains'. This is in fact an approach that some modern scholars have taken in explaining these verses. ${ }^{219}$

### 4.7 Apion [3g]

The next solution is that of the Alexandrian scholar Apion (ca. 30 BC to AD 45). He is perhaps best known for heading an embassy to Caligula to complain about the Jews of Alexandria, and for being the titular character of Josephus' Contra Apionem. This part of Porphyry's text is rather cryptic, but so far as we can tell, his solution to the Homeric problem is decidedly odd: 'Apion says that the greater portion [خò $\pi \lambda$ ќov $\mu$ ќpoç] of the two [parts] themselves has been used up, so that there is also a remnant of the second, and of these the majority has passed by, but the third [part] remains'. ${ }^{220}$ It might seem that he is claiming that the night

[^35]consists of two parts, most of which has passed - i.e. all of one part and some of the second part, leaving a third portion that remains. But we think that the interpretation that best makes sense of Apion's text as presented by Porphyry is that (1) Apion implies that the night consists of three parts, (2) the majority of the first two parts has passed, (3) thus a remnant of the second part is left, (4) and in addition to this the third part too remains. Consider the following example: if each part is exactly $1 / 3(=4 / 12)$ of the night and if the majority of the first two parts is for instance equal to $6 / 12,{ }^{221}$ then we can say that the majority of the first two parts (which are $2 / 3=8 / 12$ in total) has passed and a remnant of the second part (sc. 2/12) is left, in addition to the $1 / 3(=4 / 12)$ that constitutes the third part (in this example, 6/12). This would mean that Apion interprets $\pi \alpha \rho \omega ్ \chi \eta \kappa \varepsilon ~ \delta \varepsilon ̀ ~ \pi \lambda \varepsilon ́ \omega / ~$ $\pi \lambda \varepsilon ́ o v v \grave{\xi} \xi \tau \tilde{\omega} \nu \delta v ́ o ~ \mu o \iota \rho \alpha ́ \omega v$ as 'the night has passed for the majority of the two parts (sc. of three)', with $\tau \tilde{\omega} v \delta v v_{0} \mu o t \rho \alpha ́ \omega v$ as a partitive genitive. This line of reasoning makes better sense of what Apion presents next, namely, an enumeration of events between the departure of the spies and the arrival of daybreak. In this case, Apion is arguing that Homer cannot be saying that $2 / 3$ of the night has passed, because $1 / 3$ is not enough to accommodate all the other things that happen afterwards, though he thinks that as much as half the night would be enough.

Apion then adds: 'Odysseus says "dawn is near" (Il. 10.251), urging on the expedition ( $\tau \grave{\nu} \nu \delta \varepsilon \varepsilon ́ \xi \circ \delta o v$ ह́ncíy $\omega v$ ); for it is not reasonable to have spies sent out as dawn approaches, but in fact very risky’. ${ }^{222}$ He may be responding to an additional Homeric problem here, viz. why does Odysseus say that dawn is near? For if dawn truly is near, it would be foolish to send out spies at such a time. Apion's sketch of the action of Iliad 10 in fact makes it clear that Odysseus' 'dawn is near’ is false. But he has a solution to the problem: the clever, dissembling Odysseus merely says that dawn is near, so that his companions will hurry up.

One of the main questions is from which work Apion's comment on this Homeric passage was taken. His two main works were Aegyptiaca (in which he argued against the Jews) and Glossae Homericae (a Homeric lexicon). Some scholars have also assumed that he wrote commentaries on Homer. ${ }^{223}$ Cohn and Erbse, in contrast, claimed that such fragments on Homer belong to other works,

[^36]especially the Aegyptiaca, although they did not explicitly connect the citation of Apion in our excerpt with this work. ${ }^{224}$ Apion may have included the word $\pi \lambda \varepsilon ́ \omega$ in his Homeric lexicon. It is also possible that he commented on Homer in his lectures/speeches. Such speeches on Homer earned him the nickname of 'O $\mu \eta$ юкós and are attested in Seneca. ${ }^{225}$

This is followed, without any special punctuation or break, with a brief comment on the two ways of understanding the word $\pi \lambda \varepsilon ́ \omega$. This might still be part of the fragment of Apion or perhaps Porphyry's comment on it. According to Erbse, Porphyry expanded Apion's interpretation with excerpts from hypomnemata which were also at the basis of the D scholia ${ }^{226}$. In any case, Porphyry or Apion argues that the word $\pi \lambda \varepsilon \dot{\varepsilon} \omega$ can be interpreted as either neuter plural or feminine singular. The comment on $\pi \lambda \varepsilon \dot{\varepsilon} \omega$ as a neuter plural shows that the gen-
 $\mu o \imath \rho \tilde{\omega} v$ ) or a genitive of comparison ( $\left.\pi \lambda \varepsilon \varepsilon^{\prime} 0 v \alpha \pi \alpha \rho \dot{\alpha} \mu o i \rho \alpha \varsigma ~ \tau \alpha ̀ \varsigma ~ \delta u ́ o\right) . ~ T o ~ a t t e s t ~ t h e ~$ use of $\pi \lambda \varepsilon ́ \omega$ as a neuter plural, Porphyry cites a passage from Thucydides. ${ }^{227}$ In his comment on $\pi \lambda \varepsilon ́ \omega$ as an accusative feminine singular, he argues that $\mu$ oĩ $\rho \alpha v$ is implied ( $\left.\tau \eta ̀ v \pi \lambda \varepsilon \varepsilon^{\prime} \circ v \alpha \mu o i ̃ \rho \alpha v \tau \tilde{\omega} v \delta v ́ o ~ \mu o เ \rho \tilde{\omega} v\right)$.

### 4.8 Astronomy in Homer [4]

The excerpt ends (after a raised dot and a gap of one letter) with a long discussion of Odysseus as an astronomer - and specifically, of which stars Odysseus used to calculate how many hours were left in the night, and what precise movement $\pi \rho о ß \dot{\varepsilon} \beta \eta \kappa \varepsilon$ denotes. Porphyry begins by stating that Homer has plausibly portrayed Odysseus alone as watching the passage of the stars as a prelude ${ }^{228}$ to the Odyssey, where Odysseus' voyage concludes 'as he gazes at the Pleiades and late setting Boötes' (Od.5.572). ${ }^{229}$ MacPhail's edition ends his presentation of this Porphyry 'fragment' here, without mention, explanation, or justification, ${ }^{230}$ even

[^37]though nothing but a raised dot and a space of one letter separates this line from what follows. And what follows is 28 lines of Greek in Schrader's edition of Porphyry's Homeric Questions. ${ }^{231}$ This material is quite similar to a long D scholion, which might have led MacPhail to consider it not part of our Porphyrian text. ${ }^{232}$ While it is true that Porphyry moves to another, related Homeric problem, this does not prove that the excerpt ends right before this, much less that the last part is not derived from Porphyry. If the last part were truly a separate excerpt or scholion, it would probably have been introduced with its own sign ${ }^{233}$. The omission by MacPhail is all the stranger, since he does include the words $\pi \iota \theta \alpha v \tilde{\omega} \varsigma ~ \delta \dot{\varepsilon}$


Porphyry first discusses the view that the stars mentioned in Homer refer to Ursa Major. He rejects this view, since the time can only be calculated on the basis of stars that rise and set, which Ursa Major (as a circumpolar constellation) obviously does not do, since its stars are always visible. Critics who do consider the constellation to be Ursa Major appear to have argued that the hour can be calculated on the basis of its position in the rotation around the Pole Star. In this interpretation, $\pi \rho о \beta \varepsilon ́ \beta \eta \kappa \varepsilon$ would mean 'move further in their rotation'.

The second interpretation cited by Porphyry considers the stars to refer to the Pleiades, Hyades and Orion, which do rise and set. In a passage that is partly corrupt, ${ }^{234}$ Porphyry seems to have said that these either rise or set at dawn. So, in this interpretation, $\pi \rho о \beta \dot{\varepsilon} \beta \eta \kappa \varepsilon$ refers to either rising (advancing from the east) or setting (advancing towards the west ${ }^{235}$ ). Indeed, the times when the Pleiades, Orion and the Hyades rise and set vary throughout the year. During the vernal equinox, for instance, Orion sets six hours after sunset, but during the autumnal equinox it rises six hours after sunset. Alternatively, it is possible that, in the corrupt text, Porphyry argued that, if the stars refer to the Pleiades, Hyades and

[^38]Orion, $\pi \rho о \beta \varepsilon \dot{\varepsilon} \beta \eta \varepsilon$ refers to rising; but the stars may also refer to the Evening Star and Sirius, in which case $\pi \rho о \beta \varepsilon ́ \beta \eta \kappa \varepsilon$ refers to setting. However one chooses to correct the text, Porphyry then quotes another line of Homer (Od. 12.312), which mentions the progression of the stars ( $\alpha \lambda \lambda \lambda^{\prime}$ ő $\tau \varepsilon \delta \grave{\eta} \tau \rho i \not \chi \alpha$ vטктòs $\varepsilon$ है $\eta v, \mu \varepsilon \tau \alpha \dot{\alpha} \delta^{\prime}$ $\underline{\alpha} \sigma \tau \tau \alpha \beta \varepsilon \beta \dot{\eta} \kappa \varepsilon \iota)$. He then seems to have discussed two interpretations of $\tau \rho \dot{\chi} \chi \alpha=\tau o ̀$ трíтov, but whatever he wrote about this appears to have fallen out.

Porphyry next discusses the possibility that the stars refer to the zodiac cycle. The signs of the zodiac are 12 in number. Six are visible at sunset, and the others become visible as the night progresses. Porphyry says that the zodiac signs visible at sunset are not always the same, but their number is always six. By observing in which sign the sun sets, Odysseus is thus able to calculate the time of night on the basis of whatever zodiac signs are visible then.

The last interpretation presented by Porphyry is the simplest. Homer simply means that all the stars have advanced, i.e. those stars that had already appeared have advanced towards the west. In other words, $\pi \rho \circ \beta \dot{\varepsilon} \beta \eta \kappa \varepsilon$ does not have to refer to either rising or setting.

Porphyry closes his discussion (at least as it is presented in the excerpt) by stating that Homer divides the night as well as the day into three parts. As attestations of this, he quotes Il. 21.111 (three parts of the day) and Od. 12.312 (three parts of the night). ${ }^{236}$

The purpose of this material might be to answer the claim of Aristarchus (mentioned at the outset) that verse 253 is suspect, because it unnecessarily provides the kind of account an astronomer would give. On the view defended here, Odysseus is precisely the kind of man who would possess astronomical wisdom. This same view is found in Eustathius in a discussion of Iliad 10.252-253, likely relying on lost ancient sources. He writes: 'Observe also that the resourceful one
 one who in the Odyssey observes the Pleiades and the Hyades and the next stars in the sequence - and from the nightly signs of the Zodiac above the earth he figures out the time', etc. ${ }^{237}$

[^39]Van der Valk, commenting on Il. 10.252-253, remarks: "As for the Homeric passage, we may observe that the ancient critics seem to have needlessly plagued themselves. Apparently, the night was divided into three parts"238 - as if that settled the matter. Even more negative, Hainsworth calls our Homeric problem, and the discussion it engendered, 'silly' and 'of depressing pedantry'. ${ }^{239}$ Yet the energy devoted to answering it, and the many different solutions offered, provide a fascinating look at the lengths to which ancient literary scholars would go to defend Homer. We hope that the foregoing has made this clear.

Our paper also aims to be a case study in or example of how to approach and present the fragments/excerpts of Porphyry's Homeric Questions. Already Erbse had outlined what a new edition of Porphyry's Homeric Questions should look like, ${ }^{240}$ but such an edition still remains a desideratum. It is also important to avoid the limitations or flaws of earlier editors (see above p. 441-443). Indeed, a renewed inspection of the manuscripts often yields new readings. Text-critical issues are also often connected with interpretive problems. Ideally, these should be discussed in a commentary that accompanies a new edition. With our paper, we hope to have illustrated the kind of commentary one would expect from the subtitle of MacPhail's book - Text, Translation, Commentary - of which the third element is not to be found there.

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238 Van der Valk 1963-1964, II, 232-233.
239 Hainsworth 1993, 178.
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[^1]:    1 The text is that of West 1998-2000, I, 297.
    2 Translations from the Greek are our own.
    3 See the text-critical notes below (p. 458-459).
    
    
     This is the last line of the scholion, the rest of which is presented in the following note.
    6 Schol. A Il. 10.253a1 (Erbse) (VMK): т $\tilde{v} \nu$ סv́o $\mu о \iota \rho \alpha ́ \omega v,<\tau \rho \iota \tau \alpha ́ \tau \eta \delta^{\prime}$ हैтı $\mu$ о̃̃ $\rho \alpha$ 入ć $\lambda \varepsilon ı \pi \tau \alpha ı>\cdot ~$
    
    
    
    
    

[^2]:    8 Digital copies of Venetus B, fols. 134v-135v, can be accessed here: http://beta.hpcc.uh.edu/ hmt/archive-dl/VenetusB/.
    9 We follow Erbse and others in using '*B' to refer to the later excerpts, which is the type that interests us here. On codex B and the difference between the B and *B scholia, see Erbse 19691988, I, xviI-xviII. The scholiast responsible for the material labelled *B is credited with the addition of the excerpts from Porphyry and from Heraclitus the Allegorist in the spaces of the page that were empty. The scribe seems to have later added another set of excerpts from Porphyry (**B), which he introduces with a symbol in red ink. See Schrader 1880, viI-viII; Erbse 1960, 17-29; MacPhail 2011, 8-9.
    10 See especially Johnson 2017 on the 'minimalist' approach to the fragments of Porphyry.
    11 Erbse 1960, 17-77.

[^3]:    12 These were composed by G. Verhasselt.
    13 After Schrader’s label "Zqтท́ $\mu \alpha \tau \alpha$ codicis Vaticani". Sodano 1970 also dubs them zetemi vaticani.
    14 On the editorial history of Porphyry's Homeric Questions, see also Sodano 1970, xxi-xxviII. On the early editions of the Iliad scholia, see also Pontani 2006.
    15 On the importance of Villoison's edition, whatever its flaws, see Nagy 2004, ch. 1.
    16 See Bekker 1825, iv: Venetum alterum (B) [...] et ipse inspexi. quem cum viderem pulcherrime scriptum lectuque facillimum, nolui dubitare de Villoisonis in describendo eo aut fide aut peritia. nunc ne a vero identidem aberraverit vir eruditior quam prudentior, sero vereor.

[^4]:    17 Kammer even chose to omit the excerpts in which he had no corrections to offer.
    18 In this edition, Schrader also included the first book of Porphyry's Homeric Questions. Schrader 1890 later also published an edition of the Porphyrian excerpts on the Odyssey. Note, however, that Porphyry did not separate his discussion of the Iliad from that of the Odyssey and did not present the problems in the order of the Homeric songs. The first book of Porphyry's Homeric Questions shows that his discussion alternates between the Iliad and Odyssey. Therefore, the distinction of 'Homeric Question on the Iliad' and 'Homeric Questions on the Odyssey' is a purely modern construct.
    19 The codex Lipsiensis gr. 32 (Li) was used already partly by Villoison and Bekker through a copy made by Stephanus Bergler (the apographum Hamburgense). See d'Ansse de Villoison 1788, XLV-XLVII; Bekker 1825, III. The scholia of Li were published by Bachmann 1835.
    20 MacPhail's edition is also more restrictive in the inclusion of the texts than Schrader. Unfortunately, this has led him to exclude even some excerpts whose attribution to Porphyry is certain. He also omits the citations of Porphyry's Homeric Questions in the D scholia and Eustathius (F 384-402 Smith). See Dorandi 2011; Hillgruber 2014, 494.
    21 On V ${ }^{20}$, see Allen 1931, 48; Erbse 1960, 9; 1969-1988, I, XxxiI-XxxiII.

[^5]:    
     *B : $\pi \rho о \tau \iota \theta \varepsilon ́ v \tau \varepsilon \varsigma$ Villoison || $\delta^{\prime}$ हैtı Bekker : $\delta \varepsilon ́ \tau \iota$ *B || $\mu$ oĩ $\rho \alpha$ Bekker : $\mu$ oíp $\alpha \varsigma$ *B $12 \mu \eta \tau \rho o ́ \delta \omega \rho o \varsigma$ *B : Zqvó $\delta \omega \rho o \varsigma$ Horn 1883, 92 (thesis III) $15 \sigma \eta \mu \alpha i ́ v \varepsilon ı<\nu><\delta \varepsilon ̀>$ Diels : $\sigma \eta \mu \alpha i^{\prime}$ *B: $\sigma \mu \alpha i ́ v \varepsilon ı ~ V{ }^{20}$ : $\sigma \eta \mu \alpha i ́ v \varepsilon ı ~<\delta غ ̀>~ S c h r a d e r ~ 17 \pi \lambda \varepsilon ́ o v ~ * B ~: ~ f o r t a s s e ~ \pi \lambda \varepsilon i ̃ o v ~ 18 ~ \tau \rho ı \tau \alpha ́ \tau \eta ~ * B ~: ~$
    

[^6]:    
    
    
     $\tau \rho i ́ \tau \eta \nu$ Villoison $\| \mu \varepsilon \rho \tilde{\omega} \nu$ Schrader : $\mathfrak{\eta} \mu \varepsilon \rho \tilde{\omega} \nu$ *B $7 \pi \alpha \rho \alpha ̀ \pi o ́ \delta \alpha * B$ : cruces posuimus :
    
    
     Kannicht/Snell 1981, 12612 हैvס $\varepsilon \kappa \alpha$ *B : हैv $\delta \varepsilon \kappa$ ’ < $\alpha \lambda \lambda \dot{\alpha}>$ Kannicht in Kannicht/Snell 1981, 126 || $\delta v \omega ́ \delta \varepsilon \kappa \alpha$ *B : $\delta \dot{\omega} \delta \varepsilon \kappa \alpha$ Kannicht in Kannicht/Snell 1981, 12613 к $\tau \tau \dot{\alpha}$ *B : кג̀ $\mu$ Maehler
    
    
    
    
    
    
    

[^7]:    
    
    
    
    
    
     del. MacPhail || кגì $\pi \lambda$ ćov yeyovòs del. Kammer \|| yéyov ${ }^{\text {V }}{ }^{20}$ : yદ́y ${ }^{\text {ov }}$ *B : yeyovòs Villoison
     del. Kammer $19 \mu о \_\rho \tilde{v} v$ Schrader : $\mu \varepsilon ́ \tau \rho \omega \nu$ *B : $\mu \varepsilon \rho \tilde{\omega} \nu$ Villoison $20 \pi \lambda \varepsilon ́ o v \tau \omega ̃ v \varepsilon i \varsigma ~ \delta v ́ o ~$
     MacPhail : fortasse $\pi \lambda \varepsilon ́ o \nu<\theta \alpha \tau \varepsilon ́ \rho o u ~ v e l ~ \theta \alpha \tau \varepsilon ́ p \alpha \varsigma>~ \tau \tilde{\eta} \varsigma \varepsilon i ́ \varsigma ~ \delta u ́ o ~ \mu o i ́ p \alpha \varsigma<\delta ı \alpha ı \varepsilon ́ \sigma \varepsilon \omega \varsigma>~ \| ~ \tau \tilde{\omega} \nu$ *B :
    
    
    
    

[^8]:    26 The quotations from Hesiod and Thucydides will also be discussed.
    27 The quotation in Achilles Tatius, Introductio in Aratum 1.9 p. 8 Di Maria = p. 30 Maass has either $\pi \alpha \rho \omega ́ \chi \eta \kappa \varepsilon$ (codex Vaticanus gr. 191 (V)) or $\pi \alpha \rho \omega ́ \chi \eta \kappa \varepsilon v ~(c o d e x ~ L a u r e n t i a n u s ~ 28.44 ~(M)) . ~ T h e ~$ codex Vaticanus gr. 381 (T), which forms one family together with V, has $\pi \alpha \rho \omega ́ y \chi \eta \kappa \varepsilon$. Both Maass 1898, 30 and Di Maria 1996, 8 have accepted $\pi \alpha \rho \dot{\varphi} \chi \eta \kappa \varepsilon v$ in their editions of Achilles Tatius.
    28 The manuscript of Hesychius reads $\pi \alpha \rho \omega \dot{\chi \eta \kappa \varepsilon, ~ b u t ~ L a t t e / C u n n i n g h a m ~ 2018, ~} 360$ corrected this to $\pi \alpha \rho \dot{\chi} \chi \eta \kappa \varepsilon v$.
    29 The transmitted text of Choeroboscus reads $\pi \alpha \rho \omega ్ \chi \eta \kappa \varepsilon$, which Hilgard 1889, 398 corrected to $\pi \alpha \rho \dot{́} \chi \eta \kappa \varepsilon \nu$.

[^9]:    39 The transmitted text of Choeroboscus reads $\pi \lambda \varepsilon$ ќvv , which Hilgard 1889, 398 corrected to $\pi \lambda \varepsilon \dot{\varepsilon} \omega v v \grave{\xi}$.
    40 In the codex Angelicus gr. 122 (Ag) fol. 86r, Bodmer 85 (Bd) fol. 91v and Parisinus gr. 2556 (P) fol. 74 v , the lemma actually has $\pi \lambda \varepsilon \varepsilon_{0} v \dot{\eta}$ vù $\xi$.
    41 Note that one manuscript of Achilles Tatius (Introductio in Aratum 1.9 p. 8 Di Maria $=$ p. 30 Maass) has $\pi \lambda \varepsilon{ }^{\prime} \alpha$ (see n. 32).
    42 The quotation in Achilles Tatius, Introductio in Aratum 1.9 p. 8 Di Maria = p. 30 Maass has
     Vaticanus gr. 191 (V), which forms one family together with T, has $\delta$ ' हैбтı.
    43 Bekker 1825, 284; Kammer 1863, 65; Dindorf 1875-1877, III, 434; Schrader 1880, 147; Sodano 1974, 42; MacPhail 2011, 170.

[^10]:    46 See Hsch. $\pi 639$ (Latte), s. v. $\pi \alpha \rho \alpha \grave{\alpha} \pi$ ó $\delta \alpha$. The plural $\pi \alpha \rho \alpha \dot{\alpha} \pi$ ó $\delta \alpha$, however, is far more common: see LSJ s. v. лoús A 4b.
    47 Schrader 1880, 148.
    $48 \pi \alpha \rho \dot{\alpha} \pi o ́ \delta \alpha$ might itself also be an error for $\pi \varepsilon v \tau \alpha ́ \pi о \delta \alpha$ (so without Schrader's $\pi \alpha \rho \dot{\alpha} \mu$ ккрóv).
    49 MacPhail 2011, 170.
    50 Kammer 1863, 66.
    51 Another solution would be to correct yعvó $\mu \varepsilon v o v$ to something like $\tau \varepsilon \tau \rho \omega \mu \varepsilon ́ v o v$ 'injured’ or $\tau \varepsilon \tau \mu \eta \mu \varepsilon ́ v o v$ 'amputated'. However, this corruption (TP $\Omega$ or TMH to NO) is palaeographically less straightforward. Moreover, $\pi \alpha \rho \alpha \dot{\alpha}+$ accusative is not the usual construction for these verbs.
    52 Schrader 1880, 148.
    53 D’Ansse de Villoison 1788, 251; Bekker 1825, 285; Kammer 1863, 66; Dindorf 1875-1877, III, 435; Schrader 1880, 148; MacPhail 2011, 172.

[^11]:    54 D'Ansse de Villoison 1788, 251; Bekker 1825, 285.
    55 Kammer 1863, 66.
    56 Dindorf 1875-1877, III, 435. So also Gigon 1987, 533.
    57 Plut. Amat. 8.753a; Poll. Onom. 1.58; Oribasius Collectiones medicae 18.3; Stob. Flor. 4.22e.114; Etym. Magn. s.v. тє́торє p. 754 (Kallierges); schol. vet. Hes. Op. 698a (Pertusi); Moschopulus, Scholia in Hes. Op. 698 (Grandolini); Arsenius, Apophthegmata 18.63b. See also the papyrus fragment P.Oxy. XL 3229 ([ $\tau] \varepsilon \tau$ ọp').
    58 Schrader 1880, 148.
    59 Cf. Porphyry’s attention to the meter in Zetemata Vaticana 17 p. 123.11-13 Sodano ( $\sigma v v \varepsilon \chi \omega ́ \rho \varepsilon \iota$
    
     See also Porph. ad Od. 9.60 p. 84.6-8 (Schrader) ( $\pi \varepsilon \zeta$ òv $\mu \varepsilon ̀ v ~ \tau o ̀ ~ \varphi \alpha ́ v \alpha ı ~ \alpha ́ \pi \omega ́ \lambda o v \tau o ~ o i ~ \dot{\varepsilon} \beta \delta o \mu \eta ́ \kappa о v \tau \alpha$
     Porphyry might be disputed.
    60 MacPhail 2011, 172.
    61 Note that the scribe of *B does not write the case endings for fourteen and fifteen either, so that the implied reading might equally be $\tau \varepsilon \sigma \sigma \alpha \rho \varepsilon \sigma \kappa \alpha \iota \delta \varepsilon \kappa \alpha ́ \tau o v ~ a n d ~ \pi \varepsilon v \tau \varepsilon \kappa \alpha เ \delta \varepsilon \kappa \alpha ́ \tau o v ~(b e c a u s e ~$ of the preceding $\alpha$ 人vtì $\tau 0$ ũ).

[^12]:    62 See Solmsen in Solmsen/Merkelbach/West 1990, 79.
    63 Runkel 1829, 164; Olson 2016, 462; 464; 466. So also Meineke 1839, 537; Bothe 1855, 192; Kock 1880, 333; Edmonds 1957, 410; Storey 2011, 228.
    64 D’Ansse de Villoison 1788, 251; Bekker 1825, 285; Kammer 1863, 66; Dindorf 1875-1877, III, 435; Schrader 1880, 148; Kassel/Austin 1986, 472. MacPhail 2011, 172 also printed đúpyos in the main text but translated the word as 'redhead' (as if he adopted Runkel's $\pi \nu \rho \rho o ́ \varsigma)$.
    65 Olson 2016, 464. Red hair is a slavish attribute, indicating someone of Thracian origin. According to Edmonds 1957, 410 n. b, who assumed that the list describes people in the audience, however, the man with red hair may be the politician Hipponicus or the poet Timotheus.
    66 So Hom. Od. 11.556 about Ajax. See Schiassi 1944, 62 n. 2 and Tammaro 1988.
    67 Cobet 1876, 416. See also Blaydes 1896, 46.
    68 Tammaro 1988.

[^13]:    69 See Olson 2016, 467. The $\tau \rho i \beta \omega \nu$ was worn by Spartan men, who were famous for their simple and rugged lifestyle. In Athens, it was worn by poor people and by ascetic philosophers, like Socrates and the Cynics. See Brillant 1919 and Schuppe 1937. According to Edmonds 1957, 410, who considered the catalogue to refer to people in the audience, the man with the threadbare cloak is Socrates.
    70 D’Ansse de Villoison 1788, 251; Bekker 1825, 285; Kammer 1863, 66; Dindorf 1875-1877, III, 436; Schrader 1880, 148; MacPhail 2011, 172. Kammer already suggested correcting it to yúval.
    71 West 2017, 235. Pace West, most other testimonia actually have yúvaı as well: see Anon. in Hermog. Inv. vol. 7 p. 851 (Walz) and Eust. Od. 11.240 vol. 1 p. 410.13 (Stallbaum). Gell. NA 3.16.15, however, has үuvń.
    72 See schol. Od. 11.249 (Dindorf): $\tau \varepsilon ́ \xi \varepsilon ı \varsigma] ~ o v ̋ \tau \omega ~ ’ A \rho i ́ \sigma \tau \alpha \rho \chi о \varsigma . ~ Z \eta v o ́ \delta o \tau o \varsigma ~ \delta \varepsilon ̀ ~ к \alpha \kappa \tilde{\omega} \varsigma ~ \tau \varepsilon ́ \xi \varepsilon \alpha ı . ~$
    73 Gell. NA 3.16.15; schol. D Il. 10.252(3) p. 374.12 (van Thiel²); Anon. in Hermog. Inv. vol. 7 p. 851 (Walz); Eust. Od. 11.240 vol. 1 p. 410.14 (Stallbaum).
    74 Bekker 1825, 285; Kammer 1863, 66; Schrader 1880, 148; MacPhail 2011, 172. Only Dindorf 1875-1877, III, 435 kept દ́vevŋ́коvта. D’Ansse de Villoison 1788, 251 wrote the non-existent દ̇vŋขєкоขта.
    75 So Ludwich 1891, 105; Allen 1919; Bérard 1956, 75; Von der Mühll 1962, 355; Rutherford 1992, 104; Murray/Dimock 1998, 246; van Thiel 1991, 263.
    76 West 2017, 401 reports that the corrector of the codex Ambrosianus gr. B 99 sup. (gr. 121) (B) has $\dot{\varepsilon} v \varepsilon v \vee \eta ́ \kappa o v \tau \alpha$, while the corrector of the codex Marcianus gr. 613 (olim 568) (M) has $\dot{\varepsilon} v v \varepsilon v \eta ́ \kappa о v \tau \alpha$. He also claims that a second hand in the codex Monacensis gr. 519B (U) reads $\varepsilon ̇ v v \eta ́ к о v \tau \alpha$. The word (found at the bottom of fol. 195v) indeed seems to have been corrected, but it is not entirely certain what correction it intended to make ( $\varepsilon v v \eta$ 亿оvт $\alpha$ is possible if the scribe wrote an extremely wide $n u$ ). The corrector of this codex belongs to Allen's d family, which con-

[^14]:    sists only of fifteenth- and sixteenth-century manuscripts. See Allen 1910, 26. This family also includes the codex Harleianus 6325 (cited by van Thiel 1991, 263), which also reads ع́vvท́коvтג (fol. 168v). Allen 1910, 27-28 has shown, however, that this family hardly offers any old readings. 77 See [Pl.] Minos 319b; Eust. Od. 19.172 vol. 2 p. 196.22 (Stallbaum). Schol. D Od. 19.174b (Ernst) also reads $\varepsilon$ ह́vとvŋ́коvта, but Ernst 2006, 352 'corrected’ this to $\varepsilon ่ v\{\varepsilon\} v \eta ́ \kappa о v \tau \alpha$. The manuscripts of Porph. ad Il. 2.649, too, have évevŋ́кovta, but, as in our excerpt, Schrader 1880, 48 and MacPhail 2011, 68 have changed this to $\varepsilon v v \eta ́ \kappa о v \tau \alpha$; Bekker 1825, 87 and Dindorf 1875-1877, III, 144, in contrast, kept the transmitted form évعvŋ́кovтג.
    
    79 The correction $\dot{\varepsilon} v \varepsilon v v \eta ́ \kappa o v \tau \alpha$ in the codex Ambrosianus gr. B 99 sup. (B) might be a later attempt to make the syllable long. Von Wilamowitz-Moellendorff 1927, 41 n .1 conjectured read-
    
    80 See Beekes 2010 s. v. ह́vعvŋ́кovта. See also Kortlandt 1983, 98-99.
    81 The number 90 is attested once more in Homer in Il. 2.602, where $\varepsilon \in v \varepsilon v \eta$ ŋ́коvт人 is metrically
    

[^15]:    85 Eust. Il. $18.444-456$ vol. 4 p. 211.10 (van der Valk).
     P (which constitute one sub-family) read $\pi \varepsilon \rho \dot{̀}$.
    87 Dindorf 1875-1877, III, 436.
    88 So d’Ansse de Villoison 1788, 252; Bekker 1825, 285; Kammer 1863, 67; Schrader 1880, 149; MacPhail 2011, 172.
    89 So d’Ansse de Villoison 1788, 252; Bekker 1825, 285; Kammer 1863, 67; Dindorf 1875-1877, III, 436; Schrader 1880, 149; MacPhail 2011, 172.
    90 See Goodwin 1896, 322-326; Kühner/Gerth 1904, 207-219; van Emde Boas/Rijksbaron/Huitink/de Bakker 2019, 599-600.
    91 See Kühner/Gerth 1904, 215 n. b; van Emde Boas/Rijksbaron/Huitink/de Bakker 2019, 600 n. 1.

    92 D’Ansse de Villoison 1788, 252; Bekker 1825, 285; Kammer 1863, 67; Dindorf 1875-1877, III, 436; Schrader 1880, 149; Sodano 1974, 42; MacPhail 2011,174.

[^16]:    93 Sodano 1974, 44. So also Barnes/Lawrence 1984, 2432: "Division into two may in this case be division into equal parts" and Breitenberger 2006, 312-313: "Die Aufteilung in zwei Teile kann in diesem Fall in gleich große erfolgen" (although they do not specify whether they follow Rose in adopting ${ }^{\prime \prime} \sigma \alpha \varsigma$ ).

[^17]:     $\tau \eta ̀ v ~ \ddot{\omega} \rho \alpha \nu \kappa \alpha \tau \alpha \mu \varepsilon \mu \alpha \theta \eta \kappa \varepsilon ́(v \alpha ı) \varphi \eta \sigma$ (fol. 135v) either.
    102 D’Ansse de Villoison 1788, 252; Bekker 1825, 285; Kammer 1863, 67; Dindorf 1875-1877, III, 437; Schrader 1880, 149; MacPhail 2011, 174.
    103 So also Sodano 1974, 45: "e se tu dicessi che è trascorso 'piu' della parte divisa in due".
    104 MacPhail 2011, 174-175.
    105 Barnes/Lawrence 1984, 2432.

[^18]:    106 Heitz 1969, 138.
    107 The only possible neuter plural is $\delta$ v́o, but connecting $\pi \lambda \varepsilon \sigma v \alpha ́ \sigma \alpha v \tau \alpha$ with $\delta v{ }^{\prime} 0$ would make no sense and would leave عis unconnected with anything.
    108 Kammer 1863, 68.
    109 MacPhail 2011, 174-175.
    110 Sodano 1974, 46.
    111 Sodano 1974, 46 n. 95.

[^19]:    112 D’Ansse de Villoison 1788, 252; Bekker 1825, 285; Kammer 1863, 68; Dindorf 1875-1877, III, 437; Schrader 1880, 149.
    113 MacPhail 2011, 174.
    114 D'Ansse de Villoison 1788, 252; Bekker 1825, 285; MacPhail 2011, 174.
    115 Kammer 1863, 68; Schrader 1880, 149; Sodano 1974, 44.
    116 D’Ansse de Villoison 1788, 252; Bekker 1825, 285; Kammer 1863, 68; Dindorf 1875-1877, III, 437; Schrader 1880, 150; Sodano 1974, 44; MacPhail 2011, 176.
     $\mu \varepsilon \tau \alpha \beta \alpha ́ \sigma \alpha \sigma \alpha$ ) , which was later corrupted to $\mu \varepsilon \tau \alpha \beta \alpha ́ v \tau o \varsigma$. However, this speculative theory requires a double correction.

[^20]:    118 D'Ansse de Villoison 1788, 252 and Bekker 1825, 286 misread the abbreviation $\delta \varepsilon v^{\tau \rho^{\prime}}$ as ס $\varepsilon \kappa \alpha{ }^{\prime} \tau \eta$ S (presumably interpreting this as referring to the tenth hour).
    119 Schol. D Il. 10.252(3) p. 374.17 (van Thiel²).
    120 Bekker 1825, 286; Kammer 1863, 69; Dindorf 1875-1877, III, 438; Schrader 1880, 150; MacPhail 2011, 176. D’Ansse de Villoison 1788, 252 read $\tau \eta ̀ v ~ \sigma \tau \rho \alpha \tau o ̀ v, ~ w h i c h ~ i s ~ i m p o s s i b l e, ~ s i n c e ~ \sigma \tau \rho \alpha \tau o ́ \varsigma ~ i s ~$ masculine.

[^21]:    121 The initial part of codex C (Thuc. 1.1.1-1.15.1) is written in a later hand; hence the siglum $C^{4}$. For the stemmatological position of C ${ }^{4}$, see Alberti 1972, CLXVIII-CLXXI.
    122 See Luschnat 1960, 21; Alberti 1972, 29. For the transmission of Thucydides, especially the stemma of the codices veteres, see Luschnat 1960, 11*-16*; Alberti 1972, XL-LIII. The reading $\sigma \tau \rho \alpha \tau \iota \alpha \dot{\alpha}$ is also found in schol. Thuc. 1.3.5b (Kleinlogel/Alpers).
    123 Schol. D Il. 10.252(3) p. 374.20 (van Thiel²).
    124 The lemma of schol. Thuc. 1.3.5b (Kleinlogel/Alpers) also has $\tau \dot{\alpha} \pi \lambda \varepsilon^{\prime} \omega$ according to A and B; in F, the lemma has кגì $\pi \lambda \varepsilon \varepsilon^{\prime} \omega$. See Kleinlogel/Alpers 2019, 270.
    125 Schol. Thuc. 1.3.5b (Kleinlogel/Alpers) also has $\sigma u v \tilde{\eta} \lambda \theta$ ov.
    126 For the relevance of codex Pe, see Alberti 1972, LXxIII-LXXV.
    127 Valla's translation was based on a now lost codex. For its text-critical importance, see Alberti 1972, cXIX-CXXXII.
    128 Cobet 1873, 428.
    129 MacPhail 2011, 176.
    130 MacPhail 2011, 176.
    131 Schol. D Il. 10.252(3) p. 374.22 (van Thiel²).
    132 See West 2017, 110.

[^22]:    133 Eust. Od. 5.271 vol. 1 p. 215.24 (Stallbaum).
    134 Paus. 8.3.7. Rocha-Pereira 1990, 226, Casevitz/Jost/Marcadé 2002, 20 and Moggi/Osanna 2003, 22 have corrected $\dot{\varepsilon} \sigma o \rho \tilde{\omega} v \tau \alpha$ to $\dot{\varepsilon} \sigma o \rho \tilde{\omega} v \tau ı$.
    135 Schol. Od. 5.272d (Pontani): $у \rho(\alpha ́ \varphi \varepsilon \tau \alpha ı) ~ \kappa \alpha i ̀ ~ « \varepsilon i \sigma o \rho o ́ \omega v \tau \alpha » . ~ \delta ı \chi \tilde{\omega} \varsigma ~ \alpha i ~ A \rho ı \sigma \tau \alpha ́ \rho \chi o v . ~ A r i s-~$ tarchus' two editions differed with regard to the reading of the participle. This is what the word $\delta \iota \chi \tilde{\omega} \varsigma$ indicates, which means 'in two ways' and is often used in the Homeric scholia to indicate discrepancies between Aristarchus' first and second edition. According to West 2017, 110, $\tau$ ' $\dot{\varepsilon} \sigma o \rho \tilde{\omega} v \tau \iota$ was the reading of Aristarchus' first edition ( $\mathrm{Ar}^{\mathrm{a}}$ ), and $\tau^{\prime} \dot{\varepsilon} \sigma o \rho \tilde{\omega} v \tau \alpha$ the reading of Aris-
    
     $\tau \varepsilon » ~ \kappa \alpha i$ «દ’ $\pi \varepsilon ́ \rho \tau เ »)$, the present scholion does not go on to spell out the two readings. Therefore, reconstructing Aristarchus' readings remains hypothetical. The phrasing of the scholion implies, however, that $\Pi \lambda \hat{1} \alpha \delta \alpha \varsigma$ عíбopó $\omega v \tau \alpha$ was the reading of one edition of Aristarchus, while his other edition presumably read the vulgate $\Pi \lambda \eta ́ i ̈ \alpha \delta \alpha ́ \varsigma ~ \tau ' ~ ̇ ̇ \sigma o \rho \tilde{\omega} v \tau ı)$.
    136 Achilles Tatius, Introductio in Aratum 1 p. 30 (Maass); Anonymus I in Aratum 1 p. 89 (Maass). Note that the manuscripts of Achilles Tatius have $\pi \lambda \eta$ そ̈ó $\delta \alpha \varsigma ~ \tau$ ' íбo oó $\omega v \tau \iota$ (Vaticanus gr. 191 (V);
    
     عíoooó $\omega v \tau \iota$, probably rightly so, since a distended form is found in all three manuscripts. Di Maria 1996, 8, in contrast, corrected the text to П $\Pi \eta \iota \alpha ́ \delta \alpha \varsigma ~ \tau^{\prime} \varepsilon ่ \sigma o \rho \tilde{\omega} v \tau ı$.
    137 Schol. AT Il. 8.93a1 (Erbse) (exeg.).
    138 The scribe seems to have initially written $\pi \lambda$ ïó $\delta \alpha \varsigma$, as is indicated by the diaeresis, which is normally only used for $t$ and $v$, and then corrected $\iota$ to $\eta$. It is possible that his exemplar originally had $\pi \lambda \eta$ خ̈ó $\delta \alpha \varsigma$.

[^23]:    140 Kammer 1863, 69.
    
    142 D’Ansse de Villoison 1788, 252; Bekker 1825, 286; Dindorf 1875-1877, III, 438; Schrader 1880, 151.

    143 Schrader 1880, 151 simply deleted $\Pi \lambda \eta \ddot{\alpha} \alpha{ }^{\circ} \omega \nu$, but in his apparatus he suggested correcting this to $\eta \geqslant \tau \tilde{\omega} v \dot{\varepsilon} \omega \dot{\omega} \alpha v$, although he added that more may have fallen out.

[^24]:    144 Schol. D Il. 10.252(2) p. 373.4-6 (van Thiel²).
    145 Schrader 1880, 151.
    146 D’Ansse de Villoison 1788, 253; Bekker 1825, 286; Dindorf 1875-1877, III, 439; Schrader 1880, 151.

    147 This error is also found in schol. A Il. 10.252a (Erbse) (VMK) (Erbse 1969-1988, III, 49 supplemented < $\eta \gg \eta \dot{\omega} \varsigma$ with Ludwich), schol. T Il. 21.110c1 (Erbse) (exeg.), Eust. Il. 10.252s. vol. 3 p. 59.2 (van der Valk).
    148 Schol. D Il. 10.252(3) p. 373.2-3 (van Thiel²).
    149 Porph. Zetemata Vaticana 11 p. 63 (Sodano) =ad Il. 6.201 p. 96 (Schrader). The Vaticanus gr. 305 (V), the only manuscript that preserved book 1 of Porphyry's Homeric Questions, reads عँ $\sigma \sigma \varepsilon \tau \alpha ı \eta \dot{\eta} \varsigma$, but the excerpts of this passage in *B, the codex Scorialensis gr. $\Omega$. I. 12 ( $\mathrm{E}^{4}$ ) and the
    
    150 Apollonius Sophista Lexicon s.v. ŋ’ஸ́s p. 85 (Bekker); Suda $\eta$ 417, s.v. ŋ’ஸ́s; Etymologicum
     manuscript of the Suda (Parisinus gr. 2625 (A)) has $\delta \varepsilon^{\prime} \lambda \eta$ : see Adler (1931) 576. The Suda also
     Apollonius actually reads है $\sigma \sigma \varepsilon \tau \varepsilon$ for हैб $\sigma \varepsilon \tau \alpha \mathrm{t}$. Eust. Il. 21.106-113 vol. 4 p. 464.22 (van der Valk) records $\delta \varepsilon$ í $\lambda \eta \varsigma$ as a variant ( $\kappa \alpha \tau \alpha ̀ ~ \delta \varepsilon ́ ~ \tau ו v \alpha \varsigma ~ \delta \varepsilon i ́ \lambda \eta \varsigma) . ~$

[^25]:    151 Etymologicum Symeonis $\delta 90$ (Baldi), s.v. $\delta \varepsilon i ́ \lambda \eta$; Lexicon $\alpha i \mu \omega \delta \varepsilon i ̃ v ~ \varepsilon ~ 198 ~(D y c k), ~ s . ~ v . ~ ह ै б \tau \alpha । ; ~$ schol. bT Il. 8.66b (Erbse) (exeg.); schol. A Il. 10.252a (Erbse) (VMK); schol. T Il. 21.110c1 (Erbse) (exeg.); schol. b Il. 21.110b2/c2 (Erbse) (exeg.); schol. T Il. 21.111c1 (Erbse) (exeg.) ( $\delta i ́ x \alpha$ oũv тoũ $\bar{\sigma} \dot{\eta}$ $\delta \varepsilon^{\prime} \lambda \eta$ ); schol. Procl. Hes. Op. 578-581 (Pertusi); Phot. Lexicon $\eta 314$ (Theodoridis), s. v. $\eta$ ' $\omega$ c; Eust. Il. 10.252s. vol. 3 p. 59.2; 11.84 vol. 3 p. 157.22; 21.106-113 vol. 4 p. 464.22 (van der Valk). Note that one manuscript (Parisinus gr. 2708 (B)) of Proclus’ scholion on Hesiod has $\delta \varepsilon i ́ \lambda \eta \varsigma$ : see Pertusi
     does not repeat $\tilde{\eta} \mu \alpha \rho$ at the end).
    152 Porph. Zetemata Vaticana 11 p. 63 (Sodano) = ad Il. 6.201 p. 96 (Schrader). Note, however, that excerpt in the codex Scorialensis gr. $\Omega . \mathrm{I} .12$ ( $\mathrm{E}^{4}$ ) reads $\delta \varepsilon^{\prime} \lambda \eta \varsigma$.
    
    
    
    
    154 West 1998-2000, II, 245.
    155 See Kammer 1863, 5; Rose 1863, 165; Dindorf 1875-1877, III, xiI-xiII; 434; Schrader 1880, 367-68; 370; 421; 1890, 169; Erbse 1960, 64.
    156 See Sodano 1970. But note van der Valk 1963-1964, I, 104 n. 75: "this question formed the beginning of Porphyry's book"; Pontani 2019, 48 n. 3: "on a l'impression d’avoir ici l’ouverture d'un livre [...] ou de l'œuvre entière" (we find the former much more likely).

[^26]:    157 Schrader 1880, 368-427; 1890, 172-200.
    158 Schrader 1880, 421.
    159 Gudeman 1927, 2513.
    160 Erbse 1960, 64-65.
    161 For Porphyry's method in the Homeric Questions, see Pontani 2019, especially pp. 48-53.
    162 Eustathius may be alluding to this interpretation in Eust. Il. 10.252-253 vol. 3 p. 59.10-12 (van
     $\alpha u ̉ \tau \eta ̀ v \pi \varepsilon \rho ı \lambda \varepsilon i ́ \pi \varepsilon \sigma \theta \alpha ı$ (although he does not go so far as to state that $\tau \rho i ́ \tau \eta$ should become $\tau \rho i ́ \tau \eta \varsigma$ ). Alternatively, he might also be referring to Chrysippus’ interpretation (see $\S 4.3$ below).
    163 See also Porph. ad Od. 5.334-337 p. 56-57 (Schrader) = schol. Od. 5.334 e (Pontani), where he states that Aristotle’s emendation of the word $\alpha v ̉ \delta \eta ́ \varepsilon \sigma \sigma \alpha$ to $\alpha v ̉ \lambda \eta ́ \varepsilon \sigma \sigma \alpha$ or ov̉סń $\varepsilon \sigma \sigma \alpha$ (fr. 171

[^27]:    
     basis of this scholion, that Aristarchus interpreted this passage, similarly explaining $\pi \lambda \varepsilon ́ \omega$ as $\pi \lambda \dot{\prime} \rho \eta \varsigma$. So also Lührs 1992, 14 n. 49; 60-61 with n. 145. Although Aristarchus athetising 1. 253 (as discussed above) does not preclude his having offered an interpretation of $\pi \lambda \varepsilon \dot{\varepsilon} \omega(v)$ in 1.252 , the interpretation $\pi \lambda \varepsilon \dot{\varepsilon} \omega=\pi \lambda \dot{\prime} \rho \eta \varsigma$ probably presupposes reading it together with 1.253 (filled with the two parts'). Moreover, the argument in schol. A Il. 10.253a1 (Erbse) (VMK) that 1.253 is superfluous seems to imply that it interprets $\pi \lambda \varepsilon \dot{\varepsilon} \omega(v)$ as 'for the most part', which would contradict the interpretation $\pi \lambda \varepsilon \dot{\varepsilon} \omega=\pi \lambda \dot{\prime} \rho \eta \varsigma$. We are therefore sceptical that schol. A Il. 9.71 (Erbse) (VMK) preserves Aristarchus' interpretation. According to Friedländer 1853, 155-156, it is a heavily condensed rendition of Aristonicus' argument, who supposedly originally said that the word $\pi \lambda \varepsilon \dot{\varepsilon} \omega \nu$ in Il. 10.252 was misinterpreted by some as a synonym of $\pi \lambda \dot{\prime} \rho \eta \varsigma$. However, such an interpretation cannot be reconstructed on the basis of the actual text. So also Lührs 1992, 61 n .144.
    
    
    
    
    
    
    178 The meaning 'full' also recurs in a prose paraphrase in the codex Scorialensis $\Omega$. I. 12 ( $E^{4}$ ) fol.
    
    

[^28]:    185 Eur. Or. 351-352 ( $\tilde{\omega}$ रı $\lambda ı o ́ v \alpha \nu v ~ \mid ~ \sigma \tau \rho \alpha \tau o ̀ v ~ o ̀ ~ \rho \mu \eta ́ \sigma \alpha \varsigma) . ~ S o ~ S c h r a d e r ~ 1880, ~ 148 ~ a n d ~ S o d a n o ~ 1974, ~$ 48 n. 100. MacPhail 2011, 173 n. 110 cited Euripides' line exempli gratia. The Greek fleet is also called $\chi$ เ $\lambda$ เóvaus in Eur. Andr. 106, IA 174 and Rhes. 262.
    186 This explanation also recurs in schol. Eur. Or. 353.02 (Mastronarde) ( $\tau \tilde{\omega} \delta \dot{\varepsilon} \alpha \dot{\alpha} \pi \eta \rho \tau \iota \sigma \mu \varepsilon ́ v \omega$
    
    
    
     $\left.\pi \tilde{\alpha} \sigma \alpha \iota v \tilde{\eta} \varepsilon \varsigma \tau \tilde{\omega} v{ }^{\text {E }} \lambda \lambda \lambda \eta{ }^{\prime} \nu \omega \nu, \alpha \rho \pi \varsigma^{\prime}\right)$. The number of ships is 1196 in schol. Eur. Andr. 106 (Schwartz)
    
    187 TGF II Adesp. fr. 432a.
    188 Pind. fr. 171 Snell/Maehler. Pindar probably recounts the story of Heracles killing Neleus together with all his sons (except Nestor). So Boeckh 1821, 644.
    189 Pind. fr. 135 Snell/Maehler. A longer version of this fragment (with the preceding number, from which the first digit can be derived) is found in schol. vet. Pind. Ol. 1.127a (Drachmann) ( $\pi \varepsilon ́ \varphi v \varepsilon \delta \varepsilon ̀ ~ \tau \rho \varepsilon i ̃ \varsigma ~ \kappa \alpha i ̀ ~ \delta \varepsilon \kappa \kappa^{\prime} \alpha ้ v \delta \rho \alpha \varsigma \mid \tau \varepsilon \tau \alpha ́ \rho \tau \omega$ (Porphyry has $\left.\tau \varepsilon \tau \rho \alpha ́ \tau \omega\right) \delta^{\prime} \alpha v ̉ \tau o ̀ \varsigma \pi \varepsilon \delta \alpha \dot{\theta} \theta \eta$ ). The scholiast explicitly states that the fragment (taken from Pindar's Thrēnoi) is speaking of Oenomaus and the suitors of Hippodameia.
    190 Hes. Op. 698.
     દ̋тๆ 入દ́үદı, $\pi \rho о \sigma \alpha \rho ı \theta \mu о \cup \mu \varepsilon ́ v \omega \nu \tau \tilde{\omega} \nu \delta \varepsilon ́ \kappa \alpha)$ and Moschopulus, Scholia in Hes. Op. 698 (Grandolini)

[^29]:    
    
     the start of puberty. So Spohn 1819, 66, van Lennep 1847, 155-156, Goettling/Flach 1878, 267, Paley 1883, 96-97 and West 1978, 327. See also LSJ s.v. $\dot{\beta} \beta \dot{\alpha} \omega$ A1.
    192 According to Cobet 1876, 416, this is a description of the chorus. According to Crusius 1892, and Edmonds 1957, $410 \mathrm{n} . \mathrm{b}$, however, the speaker is describing people in the audience. Kaibel ap. Kassel/Austin 1986, 472, in turn, claimed that this is a list of potential candidates for the office of stratēgos. See also the discussion in Olson 2016, 465.
    193 In these cases, énì ס $́ \kappa \alpha$ is implied, which Eupolis writes out in full for the fourteenth man
     271-273 and Olson 2016, 462-468.
    194 Hom. Il. 24.596.
    195 Simon. fr. 272 Poltera = fr. 54 Page, PMG 559. Homer and Simonides are also contrasted
    
     According to Schneidewin 1839, 396 and Hartung 1857, 164, the person speaking is the ghost of Achilles. This is based on [Longinus], Subl. 15.7, which mentions a poem of Simonides (fr. 277 Poltera $=$ fr. 52 Page, PMG 557), where the ghost of Achilles appears above his tomb to the Greeks as
    
     Blass 1874, 157, in contrast, connected the fragment with an anonymous fragment (Adesp. fr. 47 Page, PMG 965 = Dio Chrys. Or. 33.59) and assumed that the poem told the story of Hecabe, who ended up transforming into a dog. In this case, the person speaking would be the poet himself. Blass' interpretation is extremely speculative, however. See also Poltera 2008, 511-512.

[^30]:    198 Arist. fr. 146 Rose $^{3}=$ fr. 370 Gigon = Porph. ad Il. 2.649 p. 48-49 (Schrader) = p. 68 (MacPhail). See Hintenlang 1961, 67-69, Breitenberger 2006, 383-385, Mayhew 2019, 96-98 and Verhasselt 2020, 232-236. The contradiction was one of the arguments for the Chorizontes or Separators to claim that the Iliad and Odyssey were written by two different poets. See schol. A Il. 2.649
     દ́vevŋкоvто́ло入ıv.
    199 Porph. ad Il. 2.649 p. 49 (Schrader) = p. 68 (MacPhail). The metaphorical explanation was used by the Alexandrian grammarians to refute the Chorizontes. See schol. A Il. 2.649 (Erbse)
     explanation given by Porphyry in the current text, viz. that Homer has rounded up the number
    
     (fr. 146 Rose $^{3}=$ fr. 370 Gigon = Porph. ad Il. 2.649 p. 48-49 (Schrader) = p. 68 (MacPhail)) solved the problem by pointing out that the lines are spoken by two different people, viz. Homer in the Iliad and Odysseus in the Odyssey; as long as it is not the same person who is speaking, such contradictions are allowed. Other solutions were offered by Heraclides Ponticus (Aristotle's fellow student in the Academy, who also wrote a work of Homeric Solutions) and the historian Ephorus. They considered both numbers to be correct. According to Heraclides (fr. 99 Schütrumpf = Porph. ad Il. 2.649 p. 48-49 (Schrader) = p. 68 (MacPhail)), there were originally 100 cities, but after the Trojan War, Idomeneus and his men destroyed ten cities; so when Odysseus returned home, he heard of this and thus adjusted the number. According to Ephorus (FGrH 70 F146 = Strabo 10.4.15.479c), conversely, Crete originally had 90 cities, but after the Trojan War, Althaemenes founded ten new cities.

[^31]:    201 On the nature of this work, see Mayhew 2019, and Verhasselt 2020.
    202 Halliwell 1998, 327-328 writes: "Poetics 25 has the look of being a compressed summary of an already worked out scheme of problems and their solutions. But I am not aware of any clear evidence for the date of the Homeric Problems". On the connection between Poet. 25 and the Homeric Problems, see Römer 1884; Carroll 1895; Hintenlang 1961, 106-141 and Verhasselt 2020. 203 Arist. Poet. 25, 1461a25-26.
    204 Some scholars have inferred from Aristotle's quotation that his copy of the Iliad did not have line 253. So Bolling 1925, 126 and von Wilamowitz-Moellendorff 1916, 60 n. 1.
    205 So Wachsmuth 1863, 33-34; Heitz 1865, 266; Schrader 1880, 419; Carroll 1895, 48; Hintenlang 1961, 79 n. 1; Sodano 1974, 51-53; Nickau 1977, 55; Schmitt 2011, 718; Mayhew 2019, 19-20. Wilamowitz even claimed that the fragment of Aristotle in Porphyry is spurious. However, Nickau has rightly pointed out that Metrodorus’ interpretation presupposes reading $\tau \tilde{\omega} \nu \delta v v^{\prime} \mu \circ \iota \rho \alpha, \omega \nu$ of line 253 as well ('filled with two thirds').
    206 See Bywater 1909, 340-341; Wilamowitz-Moellendorff 1916, 60 n. 1; McGuire 1977, 74; Breitenberger 2006, 402. Aristotle makes clear in his Sophistical Refutations (4, 166a14-21) that there

[^32]:     $\dot{\alpha} \mu \varphi ı \beta 0 \lambda i \alpha v$ ），the first being when an account or word properly means more than one thing（ $\eta \dot{\circ}$ $\lambda o ́ y o s ~ ŋ ̂ ̀ ~ т о и ̋ v o \mu \alpha ~ к и р i ́ \omega \varsigma ~ \sigma \eta \mu \alpha i ́ v \eta ~ \pi \lambda \varepsilon i ́ \omega)$ ．See Hintenlang 1961，78．Aristotle’s examples here are the word d́عtós and кúwv．He does not explain precisely what he means，but áctós can mean eagle，omen，eagle－ray and pediment；and，кú $\omega \mathrm{v}$ can mean dog，dog－fish（i．e．a shark），the Dog－ Star（i．e．Sirius），a shameless person，a Cynic philosopher，etc．
    207 For instance，in the Poetics，Aristotle cites a solution кат⿱亠乂$\pi \rho \circ \sigma \omega \delta \dot{\prime} \alpha v$ of Hippias of Thasos （Poet．25，1461a21－23）．What might speak against this interpretation is that Aristotle quotes the
     $\dot{\varepsilon} \sigma \tau \tau v)$ ．Neither of these is a form of $\pi \lambda \dot{\varepsilon} \omega \varsigma / \pi \lambda \varepsilon \tau \pi o \varsigma$, unless we were to interpret the word as a dative $\pi \lambda \varepsilon ́ \omega / \pi \lambda \varepsilon^{\prime} \omega$（sc．$\mu \varepsilon \varepsilon^{\rho} \varepsilon$ ？$?$ ）．The question is whether Aristotle overlooked this．He is certainly less careful in terms of linguistic accuracy than the Alexandrian grammarians．
    208 This explanation also recurs as an anonymous tradition in schol．bT Il．10．252－253a（Erbse）
    
    

[^33]:    209 Rose 1863, 165; 1870, 1504; 1886, 128-129.
    210 Heitz 1869, 138-139; Gigon 1987, 533-534.
    211 Sodano 1974, 46-51. See also Erbse 1960, 65.
    212 Sodano 1974, 50 n. 103.
    213 Bolus, Physica et mystica vol. 2 p. 41; p. 42; Ad Leucippem vol. 2 p. 55 (Berthelot-Ruelle); Theodosius, De diebus et noctibus p. 144 (Fecht).

[^34]:    214 Kammer 1863, 67-68.
    
    
    
    
    
    216 Breitenberger 2006, 401-402.
    217 See II. 21.111; Od. 12.312; 14.483. See also schol. A Il. 10.252a (Erbse) (VMK), schol. D Il. 10.252(3) p. 373.3-5 (van Thiel ${ }^{2}$ ), schol. A Il. 21.111a (Erbse) (VMK), Eust. Il. 10.252s. vol. 3
    
    
    

[^35]:    218 On Autochthon, see Pagani 2005; Filoni 2009. Autochthon was a teacher of the orator Alciphron: see Alciphron, Epistulae 3.42.2. His interpretations are transmitted mainly through the exegetic bT scholia.
    219 See Grossmann 1866, 26; Düntzer 1877, 53; Ameis/Hentze 1888, 22; LfgrE s.v. пo入úc II 4 (Nordheider); Breitenberger 2006, 400-401. Unlike Autochthon, however, these scholars read $\pi \lambda \varepsilon ́ \omega \nu$.
    220 This interpretation also seems to recur in schol. T Il. 10.252-253b1 (Erbse) (exeg.): $\pi \lambda \varepsilon ́ \omega$
    
    
    
    
    
    
    
    

[^36]:    221 This could in fact be any amount above one third (4/12) and less than two thirds (8/12).
    
    
    
    
    223 So Lehrs 1837, 33, Volkmann 1864, 1243, Baumert 1886, 7; 47-52, esp. 48-49 and van der Valk 1963-1964, I, 301 with n. 464; 437 with n. 122.

[^37]:    224 Cohn 1894, 2806; Erbse 1960, 52 with n. 1. See also Pontani 2005, 63 and the discussion in Bacigalupo 2019.
    225 Sen. Ep. 88.40.
    226 Erbse 1960, 65 with n. 1.
    227 Thuc. 1.3.5.
    228 For the meaning of $\pi \rho о о \iota к о v o \mu \tilde{\omega} v$, see Nünlist 2009, 42: " $\pi \rho о$ )оькоvо $\mu \varepsilon \tau ̃ v$ (and cognates) always means 'to motivate in advance, to prepare for'. This may, at times, include the notion 'to adumbrate, to hint at', but never goes so far as to indicate explicit prolepsis".
    229 This argument also recurs in schol. T Il. 10.252-253a (Erbse) (exeg.): ő $\theta \varepsilon v$ к $\alpha i ̀ ~ \tau o ̀ ~ « \Pi \lambda \eta ı ̈ \alpha ́ \delta \alpha s ~$
    
    230 MacPhail 2011, 178. So also already Kammer 1863, 69.

[^38]:    231 Schrader 1880, 150 comments: $\lambda \varepsilon ́ y o v \tau o \varsigma ~ \kappa \tau \lambda$. sine ullo intervallo neque ullo signo interposito in cod. (f. $135^{b}$ ) iis quae iam edidimus subiunguntur.
    232 In a follow-up article, G. Verhasselt will re-edit this scholion and discuss its relation to Porphyry. In all likelihood, the D scholion and Porphyry go back to a common source.
    233 The only possible objection is that a connective dé might be expected to introduce the new sentence. However, this can easily be supplemented after $\lambda \varepsilon ́ y o v t o s . ~ N o t e ~ a l s o ~ t h a t ~ i n ~[3 e] ~ \varepsilon ́ a ̀ v ~ t o ̀ ~$
    
    234 See the text-critical notes above (p. 475-476).
    235 The interpretation 'advancing towards the west' was adopted in the prose paraphrase of Homer in the codex Vaticanus gr. 1316 fol. 146v $\left(V^{13}\right)$ probably under the influence of the D scho-
    
    
    
    

[^39]:    
    
    
    
    
    
    

