Coverage and Connectivity Analysis of Millimeter Wave Vehicular Networks

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Abstract

The next generations of vehicles will require data transmission rates in the order of terabytes per driving hour, to support advanced automotive services. This unprecedented amount of data to be exchanged goes beyond the capabilities of existing communication technologies for vehicular communication and calls for new solutions. A possible answer to this growing demand for ultra-high transmission speeds can be found in the millimeter-wave (mmWave) bands which, however, are subject to high signal attenuation and challenging propagation characteristics. In particular, mmWave links are typically directional, to benefit from the resulting beamforming gain, and require precise alignment of the transmitter and the receiver beams, an operation which may increase the latency of the communication and lead to deafness due to beam misalignment. In this paper, we propose a stochastic model for characterizing the beam coverage and connectivity probability in mmWave automotive networks. The purpose is to exemplify some of the complex and interesting tradeoffs that have to be considered when designing solutions for vehicular scenarios based on mmWave links. The results show that the performance of the automotive nodes in highly mobile mmWave systems strictly depends on the specific environment in which the vehicles are deployed, and must account for several automotive-specific features such as the nodes speed, the beam alignment periodicity, the base stations density and the antenna geometry.

Index Terms

Vehicular communication (V2X), millimeter wave (mmWave), stochastic geometry, connectivity analysis, mobility.

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I. INTRODUCTION

In recent years, vehicle-to-vehicle (V2V) and vehicle-to-infrastructure (V2I) communications, which are collectively referred to as vehicle-to-everything (V2X) communications, have been investigated as a means to support emerging automotive applications ranging from safety services to infotainment [2]. The standard V2V communication protocol is the so-called dedicated shortrange communication (DSRC) transmission service, which provides a nominal coverage range of about 1 km, with achievable data rates in the order of 2-6 Mbps [3]. V2I communication, instead, exploits the 4G-LTE connectivity below 6 GHz, enabling a data rate of up to 100 Mbps in high mobility scenarios [4]. However, the next generation of automotive systems will include advanced services based on sophisticated sensors to support enhanced automated driving applications and is expected to require very high data rates (in the order of terabytes per driving hour) that cannot be provided by current V2X technologies [5]. A possible answer to this growing demand for ultrahigh transmission speeds can be found in next-generation radio technologies and interfaces, such as the millimeter-wave (mmWave) bands between 10 and 300 GHz [6].¹ Besides the extremely large bandwidths available at such frequencies, the small size of antennas at mmWaves makes it possible to build complex antenna arrays and obtain high gains by beamforming (BF), thus further increasing the transmission rates. In addition, the inherent security of communication is also improved because of the relatively narrow beamwidth that can be achieved [7]. However, there are many concerns about the transmission characteristics at these frequencies. The path loss is indeed very large and the communication range is quite limited. Raindrops are roughly the same size as the radio wavelengths and cause scattering of the radio signal [8]. Moreover, mmWave signals do not pass through most solid materials, and movements of obstacles and reflectors cause the channel to rapidly appear and disappear [9]. Additionally, mmWave links are typically directional and require precise alignment of the transmitter and receiver beams to maintain connectivity, an operation that resembles handover in cellular systems [10]. Those limitations pose new challenges for the design of vehicular protocols and exemplify how the connectivity performance of the automotive nodes operating at mmWaves is heavily influenced by the specific features of the environment in which the vehicles are deployed.

¹Although strictly speaking mmWave bands include frequencies between 30 and 300 GHz, the industry has loosely defined it to include any frequency above 10 GHz.

A. Related Work

Given the simplicity of their topology and their high level of automation, highway scenarios have been heavily investigated in the literature for evaluating the connectivity performance of moving nodes in vehicular networks [11]–[13]. In particular, [11] analyzes the performance of multi-hop transport protocols in a multi-lane highway environment, with particular emphasis on the effect (in terms of throughput and latency) of tuning the transmission power. In [12], the authors conducted a realistic analysis of the vehicular ad hoc network topology by integrating realistic microscopic mobility traces and real database traffic demand with realistic channel models, taking into account the effect of vehicles on the received signal power. The article in [13] provides a closed form expression of the achievable throughput of infrastructure-based vehicular networks under a cooperative communication strategy, exploring the combined use of V2I and V2V communications to facilitate the data transmission. However, such analyses strictly deal with DSRC systems operating at 5.8 GHz, whose propagation characteristics are completely different from those of mmWave channels. Furthermore, in conventional vehicular systems, transmissions are mostly omnidirectional (though beamforming or other directional transmissions can be performed after a physical link between the nodes has been established). These solutions are therefore unsuitable for a mmWave scenario, which requires highly directional transmission schemes instead.

The potential of the mmWave technology as a means to enable future Intelligent Transportation System (ITS) communications has been first acknowledged in [14], which makes the case that the mmWave band is the only viable approach to handle the massive data rates that can be generated in next-generation vehicles. A non-exhaustive list of relevant works regarding V2X communication systems operating at mmWaves includes articles [1], [5], [15], [16]. However, the presented results were not analytically investigated nor validated, and suffer from scalability issues.

In this context, stochastic geometry has emerged as a tractable approach to model and analyze the performance of wireless systems via spatial processes, such as the Poisson Point Process (PPP) [17], [18]. In [19]–[21], the authors exploit stochastic geometry and queuing theory to develop tractable and accurate modeling frameworks to characterize and analyze the performance of traditional vehicular networks in a multi-lane highway setup. However, it is not possible to directly apply those results to mmWave automotive scenarios due to the specific features of this type of communication In this respect, several literature works, including [22]–[24], provide general schemes to stochastically evaluate the coverage and rate performance in mmWave 2-D cellular networks. However, it is not easy to translate such studies into the context of mmWave systems for automotive scenarios, due to the more challenging propagation characteristics of highly mobile vehicular nodes (VNs). Finally, to the best of our knowledge, paper [25] is the only available contribution that models a highway communication network operating at mmWave frequencies and characterizes its fundamental metrics. However, it does not consider some important automotive-specific features, e.g., the vehicles speed or the beam alignment probability, and adopts an approximated path loss model in which the Line-of-Sight (LOS) and Non-Line-of-Sight (NLOS) probabilities are independent of the distance and distribution of the nodes. Furthermore, it does not investigate the connectivity performance of the vehicular nodes when modeling a dynamic environment.

B. Contributions

The above discussion makes it apparent that next-generation mmWave automotive networks should support a mechanism by which the vehicles and the infrastructure can quickly determine the best directions to establish the mmWave link, an operation which may increase the latency and the overhead of the communication and have a substantial impact on the connectivity of vehicular nodes. With this in mind, as an extension of our work [1], in this paper we provide the first analytical model to evaluate the coverage, connectivity and throughput performance of a dynamic V2X network operating at mmWaves. We therefore consider a typical unidimensional multi-lane highway setup based on a V2I communication scenario, in which cars exchange data with mmWave Base Stations (BSs) deployed on both sides of the road. The original contributions of this paper can be synthesized as follows:

• We develop a novel tractable framework based on stochastic geometry to evaluate both the coverage and the connectivity performance of an automotive node in a dynamic mmWave vehicular environment, based on a realistic measurement-based distance-dependent path loss model. In particular, this is the first contribution in which an analytical expression for the beam alignment probability and connection stability (i.e., the probability that the vehicle does not disconnect from its serving infrastructure over time) is evaluated considering a dynamic scenario.

- We prove that the performance of the automotive nodes in highly mobile mmWave systems strictly depends on the specific environment in which the vehicles are deployed, i.e., on the nodes speed, the beam alignment periodicity, the base stations density and the antenna geometry.
- We show that an optimal value of throughput can be associated with a density threshold above which the deployment of more BSs results in a considerable increase of the system complexity while leading to worse communication performance.
- We evaluate and compare the connectivity capabilities of the V2X network adopting both a *rural* path loss model, in which the communication between the endpoints is impaired by large vehicles acting as blockages, and a distance-dependent *urban* path loss implementation, based on real-world measurements, in which environmental obstructions (i.e., urban buildings) can occlude the path between the transceiver. The results prove that, although the two models are intrinsically remarkably different, they yield comparable results in terms of connectivity performance.

Overall, the purpose is to exemplify some of the complex and interesting tradeoffs to be considered when designing solutions for next-generation automotive scenarios operating at mmWaves.

The remainder of this paper is organized as follows. The system model is described in Sec. II. In Sec. III we introduce the association rule for the vehicular nodes and we derive the expressions of the coverage and connectivity probabilities and the achievable throughput in a general scenario. In Sec. IV, we validate our theoretical framework through simulations and we present our main findings and results. Finally, conclusions and suggestions for future work are provided in Sec. V.

II. SYSTEM MODEL

In this section we present the system model for evaluating the coverage and connectivity performance of a mmWave vehicular network. The notation and the system parameters that will be used throughout this manuscript are summarized in Tab. I, while their values will be detailed in Sec. IV-A.

A. Network Model

The network model consists of VNs and BSs which are deployed over a section of a highway, as depicted in Fig. 1. We consider two possible scenarios:

Parameter	Meaning		
$\Phi_b, \Phi_o, \Phi_L, \Phi_N$	PPP of BSs, obstacles, LOS BSs, NLOS BSs		
λ_L, λ_N	Density of LOS and NLOS BSs		
p_L, p_N	Probability of a BS being in LOS (or NLOS) w.r.t. the test VN		
$\ell_i(r)$	Path loss component of BS $\in \Phi_i$, for $i \in \{L, N\}$, at distance r from the VN		
$\Delta_1 = G_b \cdot G_{\rm VN}$	Overall antenna gain (assuming perfect beam alignment)		
Δ_{I_j}	Antenna gain between the test VN and interfering BS j		
$ h_i ^2 \sim \operatorname{Exp}(1/\mu)$	Small scale fading component of the <i>i</i> -th BS		
$ar{f}_i(r)$	PDF of the distance r from the test VN to the serving $BS \in \Phi_i$, for $i \in \{L, N\}$		
$P_i(r)$	Probability that the test VN connects to a BS $\in \Phi_i$, for $i \in \{L, N\}$		
P_{cov}	SINR Coverage probability		
P_C	Connectivity probability		
В	Achievable throughput within one slot		

Tab. I: Notation and meaning of the main system parameters.

Tab. II: System parameters. Their values will be detailed in Sec. IV-A.

		Value	
Parameter	Meaning	Rural Model \sim [25]	HIghway Model \sim [26]
a _{LOS}	LOS parameter	Not applicable	0.0149 m^{-1}
α_L	LOS path loss exponent	2.8	2
α_N	NLOS path loss exponent	4	2.92
C_L	LOS path loss gain (unit distance)	$10^{-6.1} \text{ dB}$	$10^{-7.2} \text{ dB}$
C_N	NLOS path loss gain (unit distance)	$10^{-6.1} \text{ dB}$	$10^{-6.14} \text{ dB}$
λ_o	Density of obstacles	20 obs/km	Not applicable
$ au_o$	Length of obstacle	11.1 m	Not applicable
λ_b	Density of BSs	{045} BS/km	
$W_{\rm tot}$	Total bandwidth	1 GHz	
f_C	Carrier frequency	28 GHz	
P_{TX}	Downlink transmission power	27 dBm	
σ^2	Thermal noise	$10 \log_{10}(1.381 \cdot 10^{-23} \cdot 290 \cdot W_{\text{tot}} \cdot 10^3) \text{ dBm}$	
μ	Rayleigh channel parameter	1	
w	Road lane width	3.7 m	
Nı	Number of lanes	4	
Г	SINR threshold	-5 dB	
2W, L	Total road width and length	$2W=14.8\mathrm{m},L=50\mathrm{km}$	
T_S	Slot duration	$\{0.1, 0.3, 0.5, 1\}$ s.	
V	Vehicle Speed	$\{30, 60, 90, 100, 130\}$ km/h	
ϕ	Beamwidth of VN main lobe	60°	
ψ	Beamwidth of BS main lobe	$\overline{\{30^\circ,60^\circ,90^\circ\}}$	
G_{b_i}	BF gain of main lobe of the <i>i</i> -th BS	$\{20, 12, 6\} dB$	
$G_{\rm VN}$	BF gain of main lobe of the VN	12 dB	
$g_{b_i}, g_{\rm VN}$	BF gain of side lobes of the <i>i</i> -th BS and VN	-10 dB	
$\overline{N_b \times M_b}$	Number of antenna elements of the BS UPA		$6,64\}$
$N_{\rm VN} \times M_{\rm VN}$	umber of antenna elements of the VN UPA 16		6



Fig. 1: Illustration of the considered highway system model, composed of $N_l = 4$ lanes of width w, with one car lane and one obstacle lane in each traffic direction. The target VN is placed at the center of the scenario, while LOS (NLOS) BSs follow a PPP Φ_L (Φ_N) of density λ_L (λ_N).

- A *rural section of highway*, denoted with superscript (R) throughout the paper, in which the communication can be blocked by large vehicles. The communication follows the model presented in [25].
- A *urban section of highway*, denoted with superscript (U) throughout the paper, in which environmental obstructions (i.e., urban buildings) can occlude the path (via either reflections or scattering) from the transmitter to the receiver. The communication follows the model presented in [26].

We assume that the highway is composed of $N_l = 4$ infinitely long parallel lanes of width w, making $2W = N_l \cdot w$ be the total road width. In each driving direction, a *car lane* (closer to the innermost part of the road) is used by fast vehicles (e.g., cars, motorcycles) whose data traffic performance and behavior will be analyzed in this work. An *obstacle lane* (closer to the outermost part of the road) is instead reserved for large and slow vehicles (i.e., trucks, buses), which are therefore assumed to act as communication blockages (if they obstruct the LOS of the vehicles in the car lane). Moreover, without loss of generality, we assume that the target VN is deployed at the origin of a coordinate system centered on the point O = (0,0), on the mid line of the road.

We assume that the BSs form a one-dimensional homogeneous PPP Φ_b with density λ_b . Note that the BSs can be located along either the upper or the lower side of the road with equal

probability.

Furthermore, the vehicles in the obstacle lane form a one-dimensional homogeneous PPP Φ_o with density λ_o . Each blockage node potentially obstructing the LOS of the vehicles in the car lane is associated with a segment of length τ_o , while obstacles widths and heights are not part of our model. When considering an urban scenario, we assume that blockages (typically buildings in urban areas) form a process of random shapes on a plane. The distribution of the blockage process is assumed to be stationary and isotropic (i.e., invariant to the motions of translation and rotation) [22].

B. Path Loss Model

The path loss characterization follows either the model presented in [25] (if a rural environment is considered) or that in [26] (if an urban scenario is considered). Since vehicles in the obstacle lane or urban buildings can block the link connecting the test VN to its serving BS, it is necessary to distinguish between LOS and NLOS BSs, respectively denoted with subscripts L and N throughout the paper.²

- Rural path loss model. When considering a rural highway scenario, BS n is assumed to be in LOS (with probability p_{n,L}^(R)) if the ideal segment connecting the target VN and BS n does not intersect with any of the segments of length τ_o describing the footprint of the vehicles in the obstacle lane. According to [25], this probability is independent of the distance from BS n to O and can be approximated as p_L^(R) ≃ e^{-λ_oτ_o}, for any n. Accordingly, a BS will be in NLOS with probability p_N^(R) = 1 p_L^(R).
- Distance-dependent urban path loss model. When considering an urban highway scenario, BS n is assumed to be in LOS (with probability $p_{n,L}^{(U)}(r)$) if the ideal segment connecting the test VN and BS n (at distance r) does not intersect with any building. According to [26], $p_{n,L}^{(U)}(r)$ is independent among different links and is a non-increasing function of r: the longer the link, the more likely to intersect with one or more blockages. When obstacles are modeled as random shapes, it follows that $p_L^{(U)}(r) = e^{-a_{\text{LOS}}r}$, where the parameter $a_{\text{LOS}} = 0.0149 \text{ m}^{-1}$ is derived from the measurement campaign conducted in [26]. Again, a BS is in NLOS with probability $p_N^{(U)}(r) = 1 - p_L^{(U)}(r)$.

 $^{^{2}}$ For the tractability of the analysis, in this work we neglect the outage condition induced by severe attenuation and incorporated in [26].

By the thinning theorem of PPP [17], the PPPs of the LOS BSs $\Phi_L \subseteq \Phi_b$ and the NLOS BSs $\Phi_N \subseteq \Phi_b$ are independent and have density $\lambda_L^{(s)} = p_L^{(s)} \lambda_b$ and $\lambda_N^{(s)} = p_N^{(s)} \lambda_b$, respectively, with $s \in \{R, U\}$. Therefore, the path loss component $\ell_i(r)$ affecting the propagation of the test VN, at distance r from a BS $\in \Phi_i$, for $i \in \{L, N\}$, is defined as

$$\ell_i(r) = C_i r^{-\alpha_i},\tag{1}$$

where α_i is the path loss exponent and C_i is the path loss gain at unit distance.

C. Antenna Model and Beam Tracking

As mentioned, isotropic transmission at mmWave frequencies incurs severe path loss. To overcome this problem, antenna arrays are typically deployed at both the BSs and the VNs, to perform directional beamforming and benefit from the resulting antenna gain [1].

For the tractability of the analysis, following the model proposed in prior literature work (e.g., [22], [27]), the actual antenna array patterns are approximated by a sectored antenna model. We therefore assume that BSs are equipped with a Uniform Planar Array (UPA) of $N_b \times M_b$ elements, allowing to steer beams consisting of a main lobe with beamwidth ψ and a side lobe that covers the remainder of the antenna radiation pattern. Similarly, VNs are equipped with a UPA of $N_{\rm VN} \times M_{\rm VN}$ elements, allowing to steer beams consisting of a main lobe with beamwidth ϕ and a side lobe that covers the remainder of the antenna radiation pattern.

Moreover, we let G_{b_n} and g_{b_n} be the main lobe directivity gain (assumed constant for all angles in the main lobe) and the side lobe gain of the *n*-th BS antenna, respectively. Similarly, we let G_{VN} and g_{VN} be the main and side lobe gains of the VN antenna. Then, we define $\Delta_1 = G_b \cdot G_{VN}$ as the overall antenna gain in case of perfect beam alignment between the test VN and its serving BS.

Also, the beam direction of an interfering link is modeled as a uniform random variable in $[0, 2\pi]$. Therefore, the effective interference antenna gain between an interfering BS j and the test VN is a discrete random variable Δ_{I_j} described as

$$\Delta_{I_j} = \begin{cases} G_{b_j} \cdot G_{\rm VN}, & \text{with probability } \theta_b / \pi \\ g_{b_j} \cdot g_{\rm VN}, & \text{with probability } 1 - (\theta_b / \pi), \end{cases}$$
(2)

where θ_b is defined as the half beamwidth of the aggregate antenna radiation pattern.

As far as beam tracking is concerned, according to the procedure described in [10], [28], [29], we assume that measurement reports are periodically exchanged among the nodes so that, at the beginning of every slot of duration T_S , VNs and BSs identify the optimal directions for their respective beams. Such configuration is kept fixed for the whole slot duration, during which nodes may lose the alignment due to mobility. In case the connectivity is lost during a slot, it can only be recovered at the beginning of the subsequent slot, when the beam tracking procedure is performed again [1]. We also assume that, if the VN connects to BS n, at the beginning of the slot the main lobes of the BS's and VN's transmit beams are perfectly aligned [24]. This guarantees that, at every slot, the maximum gain Δ_1 is experienced between the VN and its serving BS.

D. Channel Model

Available measurements at mmWaves in the V2X context are very limited and realistic scenarios are indeed hard to simulate. In fact, the reflectivity and scattering from common objects and the poor diffraction and penetration capabilities of mmWaves are the main factors preventing the reuse of existing lower frequency channel models for an automotive mmWave scenario. Moreover, current models for mmWave cellular systems (e.g., [26]) present many limitations for their applicability to a V2X context, due to the more challenging propagation characteristics of highly mobile VNs [1]. It is thus necessary to adopt conservative assumptions on signal propagation.

The channel between the test VN and its serving BS is described as a Rayleigh channel model³ with mean μ , i.e., $|h_1|^2 \sim \text{Exp}(1/\mu)$ [18]. Similarly, to capture the clustering of interfering communications, the channels between the interfering BSs and the test VN are modeled as independent and identically distributed (i.i.d.) exponential random variables with mean μ [25].

We define the Signal-to-Interference-plus-Noise Ratio (SINR) measured between the test VN, attached to a BS $\in \Phi_i$, for $i \in \{L, N\}$, at distance r_1 , as

$$\operatorname{SINR}_{i} = \frac{|h_{1}|^{2} \Delta_{1} \ell_{i}(r_{1})}{(I_{L} + I_{N}) + \sigma^{2}} = \frac{|h_{1}|^{2} \Delta_{1} \ell_{i}(r_{1})}{\left(\sum_{k \in \Phi_{L}} |h_{k}|^{2} \Delta_{I_{k}} \ell_{L}(r_{k}) + \sum_{k \in \Phi_{N}} |h_{k}|^{2} \Delta_{I_{k}} \ell_{N}(r_{k})\right) + \sigma^{2}}, \quad (3)$$

³It has been observed in previous works (e.g., [23], [30]) that considering a general fading model such as Nakagami-m may not provide significant design insights and performance improvements compared to Rayleigh fading, while complicating the analysis significantly. Therefore, as a first step, in this paper we consider only Rayleigh fading, and leave extensions to more general channel models as future work. where $|h_n|^2$ and Δ_n are the small scale fading components and the overall antenna gains measured between BS n and the test VN (at distance r_n), respectively, while $\ell_i(r_n)$ is the path loss component affecting the propagation between BS $n \in \Phi_i$ and the VN, as given in (1). I_L and I_N represent the interference produced to the test VN by BSs in Φ_L and Φ_N , respectively. Finally, σ^2 represents the thermal noise power, normalized with respect to the transmission power P_{TX} , which is assumed equal for all nodes.

III. COVERAGE AND CONNECTIVITY ANALYSIS

In this section, we analyze the coverage and the connectivity of a moving VN in the proposed scenario. The purpose is to exemplify some of the complex and interesting tradeoffs that have to be considered when designing solutions for mmWave automotive scenarios. First, we present the association rule for the VN and we derive the expression of the *probability density function* (PDF) of the distance r between the VN and its serving BS (LOS or NLOS). Second, we derive the expressions for the SINR coverage probability and the probability of the moving VN to stay in the communication range of its serving BS during one slot and, consequently, to keep connectivity. Finally, we analytically determine an expression for the average achievable throughput as a function of the vehicle speed V, the slot duration (or beam tracking periodicity) T_S and the beamwidth ψ .

A. Association Rule

According to the system model presented in Sec. II, every T_S both the VN and the BSs estimate the surrounding channels and then adjust their antenna orientation accordingly, to exploit the maximum beamforming gain. We also assume that the measured channel information is perfect, neglecting any estimation error. Therefore, letting r_n be the distance between the VN and BS n, the VN always connects to BS $n^* \in \Phi_i$, $i \in \{L, N\}$, that provides the maximum average received power (i.e., the minimum path loss):

$$n^* = \underset{\forall i, \forall n}{\arg\max}\{\ell_i(r_n)\},\tag{4}$$

where $\ell_i(r_n)$ is as in Eq. (1).

Lemma 1: The probability density function of the distance r between the VN and the nearest LOS (NLOS) BS is

$$f_i^{(s)}(r) = \frac{\partial}{\partial r} \left(1 - \exp\left(-2\lambda_b \int_0^{b(r)} p_i^{(s)}(x) \mathrm{d}x\right) \right),\tag{5}$$

Proof: See Appendix A.

However, the test VN may not always perform association to the closest BS, especially when considering a very dense urban environment in which the nearest infrastructure may be NLOS. On the contrary, the serving BS can be either the nearest BS in Φ_L or the nearest one in Φ_N [22]. Assuming that the test VN connects to a LOS (NLOS) BS, there must be no NLOS (LOS) BSs at distance greater than or equal to $A_N(r)$ ($A_L(r)$), which is defined as

$$A_i(r) = \left(\frac{C_{i^*}}{C_i}r^{\alpha_i}\right)^{\frac{1}{\alpha_{i^*}}},\tag{6}$$

where i^* indicates the LOS/NLOS state other than i.

We can therefore compute the probability that the test VN is associated with either a LOS or NLOS BS as follows.

Lemma 2: The test VN connects to a $BS \in \Phi_i$, for $i \in \{L, N\}$, with probability

$$P_i^{(s)} = \int_W^\infty \exp\left(-2\lambda_b \int_0^{b(A_i(r))} p_{i^*}^{(s)}(x) \mathrm{d}x\right) f_i^{(s)}(r) \mathrm{d}r \tag{7}$$

where $s \in \{R, U\}$ and $b(A_i(r)) = \sqrt{A_i(r)^2 - W^2}$.

Proof: See Appendix B.

Lemma 3: Given that the test VN connects to a $BS \in \Phi_i$, for $i \in \{L, N\}$, the PDF $\overline{f}_i^{(s)}(r)$, $s \in \{R, U\}$, of the distance r between the vehicular node and the serving BS is given by

$$\bar{f}_i^{(s)}(r) = \exp\left(-2\lambda_b \int_0^{b(A_i(r))} p_{i^*}^{(s)}(x)dx\right) f_i^{(s)}(r).$$
(8)

Proof: The proof is based on the same rationale used to prove Lemma 2, and is therefore omitted here.

⁴When considering a rural highway scenario, the path loss state (i.e., the probability of LOS/NLOS conditions) does not depend on the distance r between the VN and the BS, therefore the expression in Eq. (5) simplifies to $f_i^{(R)}(r) = \frac{2\lambda_i^{(R)}r}{b(r)} \exp\left(-2\lambda_i^{(R)}b(r)\right)$, $i \in \{L, N\}$. Similar simplifications apply for all the results referred to a rural environment presented throughout the paper.

B. SINR Coverage Analysis

The SINR coverage probability $P_{cov}^{(s)}(\Gamma)$ is defined as the probability that the target VN experiences an SINR larger than a predefined threshold $\Gamma > 0$, i.e., $P_{cov}^{(s)}(\Gamma) = \mathbb{P}[\text{SINR} > \Gamma]$. By using the law of total probability, we get

$$P_{cov}^{(s)}(\Gamma) = \mathbb{P}[\underbrace{\mathrm{SINR} > \Gamma, \ n^* \in \Phi_L}_{\mathrm{SINR}_L > \Gamma}] + \mathbb{P}[\underbrace{\mathrm{SINR} > \Gamma, \ n^* \in \Phi_N}_{\mathrm{SINR}_N > \Gamma}]$$
(9)

where n^* is the serving BS referred to the target VN. Based on the lemmas and the assumptions introduced in the previous sections, we present the main theorem on the SINR coverage probability.

Theorem 1: The coverage probability $P_{cov}^{(s)}(\Gamma)$ for a target SINR threshold $\Gamma > 0$ is given by

$$P_{cov}^{(s)}(\Gamma) = \sum_{i \in \{L,N\}} \int_{W}^{\infty} \exp\left(\frac{-\mu\sigma^{2}\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right) \mathcal{L}_{I_{i}^{L}}^{(s)}\left(\frac{\mu\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right) \mathcal{L}_{I_{i}^{N}}^{(s)}\left(\frac{\mu\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right) \bar{f}_{i}^{(s)}(r) \mathrm{d}r, \qquad (10)$$

where $\mathcal{L}_{I_i^j}^{(s)}(t)$ is the Laplace functional of the interference from $BSs \in \Phi_j$, for $j \in \{L, N\}$, to the test VN, and is expressed as

$$\mathcal{L}_{I_{i}^{j}}^{(s)}(t) = \exp\left(-2\lambda_{b} \int_{\left(\frac{C_{j}}{C_{i}}r^{\alpha_{i}}\right)^{\frac{1}{\alpha_{j}}}}^{\infty} \left[1 - \left(\frac{1/\mu(\theta_{b}/\pi)}{1/\mu + tv^{-\alpha_{j}}C_{j}G_{b}G_{\text{VN}}} + \frac{1/\mu[1 - (\theta_{b}/\pi)]}{1/\mu + tv^{-\alpha_{j}}C_{j}g_{b}g_{\text{VN}}}\right)\right] p_{j}^{(s)}(v) \mathrm{d}v\right).$$
(11)

Proof: See Appendix C.

C. Connectivity Analysis

As we pointed out in Sec. II-C, a directional beam pair needs to be determined to enable the transmission between two nodes, thus beam tracking heavily affects the connectivity performance of a V2X mmWave system. Assuming that perfect beam alignment is obtained at the beginning of every slot of duration T_S , the vehicle can be in either a connected (C) or an idle (I) state, depending on whether the endpoints experience an SINR larger than a predefined threshold Γ . Starting from state C, the VN can either maintain connectivity to the serving BS for the whole slot duration, or lose the beam alignment and get disconnected. This second event is illustrated in Fig. 2. Starting from state I, instead, the vehicle can either remain out-of-range for the whole slot, or enter the coverage range of a new BS within T_S (*catch-up*). Even in this second case, however, the connection will be established only at the beginning of the following slot, when the beam alignment procedure will be performed. Therefore, preservation of the connectivity during



Fig. 2: At the beginning of the slot of duration T_S , the VN is connected and aligned to its serving BS. When moving at constant speed V during the slot, the VN leaves the communication range of the BS. Since the beam direction cannot be updated during the slot, the link between the VN and the BS will be lost until the beginning of the next slot.

a slot requires that the VN is within the coverage range of the BS at the beginning of the slot, with sufficient signal quality, and does not lose beam alignment in the slot period T_S .

In this subsection, we analytically derive the expression of the probability P_C of the moving VN not to disconnect from its serving infrastructure during a slot of duration T_S .

Theorem 2: For $s \in \{R, U\}$, the probability that the VN is in the connected state C for the whole duration of a slot is given by

$$P_C^{(s)} = P_{cov}^{(s)}(\Gamma) \cdot P_{NL}^{(s)},$$
(12)

where $P_{cov}^{(s)}(\Gamma)$ is the probability of being in state C at the beginning of the slot and $P_{NL}^{(s)} = \mathbb{P}[T_L > T_S]$ represents the probability that the VN does not leave the communication range of the serving BS during the slot.⁵ This can be expressed as a function of r as

$$P_{\rm NL}^{(s)} = \mathbb{P}[T_L > T_S] = \mathbb{P}\left[r > \frac{VT_S}{\sin(\psi/2)} \left(\frac{W}{r}\sin(\eta) + \sqrt{1 - \left(\frac{W}{r}\right)^2}\cos(\eta)\right)\right],\tag{13}$$

where $\eta = \pi/2 - \psi/2$ and ψ is the beamwidth of the main lobe of the BS.

Proof: See Appendix D.

⁵Notice that, according to (12), $P_{\rm NL}^{(s)}$ is to be interpreted as a *conditional* probability, i.e., the probability that the VN remains connected during a slot *given* that it is connected at the beginning (otherwise the endpoints would not be able to determine the optimal directions for their beams and no communication would be possible).

The last expression can be easily solved via numerical computation by determining the value r^* for which the inequality in (13) is satisfied as an equality. Considering that the right-hand side of the inequality in (13) is monotonically decreasing in r, we hence have

$$P_{\rm NL}^{(s)} = \mathbb{P}[T_L > T_S] = \sum_{i \in \{L, N\}} \int_{r^*}^{\infty} \bar{f}_i^{(s)}(r) \mathrm{d}r, \tag{14}$$

where $\bar{f}_i^{(s)}(r)$ is as in Eq. (8).

D. Throughput Analysis

In this subsection, we determine the expression for the average throughput B experienced by the target VN moving across the considered mmWave vehicular scenario. In particular, let $\mathbb{E}[T_{\text{comm}}] \in \{0, T_S\}$ represent the average time (i.e., the portion of slot) during which the VN is within the coverage range of its serving infrastructure and properly aligned with it. In this case, the nodes are able to exchange data, on average, at a rate $\mathbb{E}[\gamma(r)]$ that depends on their distance r. The average achievable throughput during one slot is therefore defined as

$$B^{(s)}(r) = \mathbb{E}[\gamma(r)] \cdot \frac{\mathbb{E}[T_{\text{comm}}]}{T_S}, \quad s \in \{R, U\}.$$
(15)

Notice that B(r) = 0 if the VN is disconnected at the beginning of the slot, while $B(r) = \mathbb{E}[\gamma(r)]$ if the VN is in the connected state for the whole duration of a slot (i.e., $\mathbb{E}[T_{\text{comm}}] = T_S$). The average rate $\mathbb{E}[\gamma(r)]$ in Eq. (15) can be computed using Lemma 4, while the average communication duration $\mathbb{E}[T_{\text{comm}}]$ is evaluated through Theorem 3.

Lemma 4: Given the SINR coverage probability $P_{cov}(\Gamma)$, the average achievable rate experienced by the target VN, at distance r from its serving BS, is given by the following expression: $\mathbb{E}[\gamma(r)] = W_{tot}\mathbb{E}\{\log_2(1+SINR)\} = \frac{W_{tot}}{\log(2)} \int_0^\infty \mathbb{P}[SINR > e^t - 1] dt = \frac{W_{tot}}{\log(2)} \int_0^\infty P_{cov}(e^t - 1) dt.$ (16)

Proof: See [18, Theorem 3] and [31, Section V].

Theorem 3: Being d(r) the maximum distance the VN can cover before leaving the communication range of its serving BS and being VT_S the total distance covered by the VN, moving at speed V, within the slot of duration T_S , the average time (i.e., the portion of slot) in which the VN experiences a non-zero throughput is expressed as:

$$\mathbb{E}[T_{\text{comm}}] = (1 - P_{\text{NL}}) \cdot \mathbb{E}[T_{\text{comm,L}}] + P_{\text{NL}} \cdot \mathbb{E}[T_{\text{comm,NL}}]$$

$$= (1 - P_{\rm NL}) \cdot \left(\frac{1}{V} \cdot \frac{\int_0^{VT_S} F_d(VT_S) - F_d(u) \mathrm{d}u}{F_d(VT_S)}\right) + P_{\rm NL} \cdot T_S,\tag{17}$$

where $f_d(x)$ and $F_d(x)$ represent the PDF and CDF of the distance d(r), respectively, and $P_{\rm NL}$ is as in Eq. (13).

Proof: According to the analysis we developed in Appendix D, if the VN does not disconnect during the slot (with probability $P_{\text{NL}}^{(s)}$, i.e., with probability $\mathbb{P}[d(r) > VT_S]$) then $\mathbb{E}[T_{\text{comm,NL}}] = T_S$. Otherwise, the VN experiences a non-zero throughput only during the portion of the slot in which the alignment with the serving infrastructure is maintained, and therefore:

$$\mathbb{E}[T_{\text{comm,L}}] = \frac{\mathbb{E}\left[d(r) \mid d(r) < VT_S\right]}{V} \stackrel{(a)}{=} \frac{1}{V} \cdot \frac{\int_0^{VT_S} x f_d(x) dx}{\mathbb{P}[d < VT_S]}$$
$$= \frac{1}{V} \cdot \frac{\int_0^{VT_S} dx \int_0^u f_d(x) du}{\mathbb{P}[d < VT_S]}$$
$$\stackrel{(b)}{=} \frac{1}{V} \cdot \frac{\int_0^{VT_S} du \int_0^{VT_S} f_d(x) dx}{\mathbb{P}[d < VT_S]}$$
$$= \frac{1}{V} \cdot \frac{\int_0^{VT_S} F_d(VT_S) - F_d(u) du}{F_d(VT_S)}, \qquad (18)$$

where step (a) derives from the definition of conditional expectation and from the fact that $d(r) < VT_S$, while step (b) has been obtained by changing the order of integration for the integrals in dx and du.

IV. NUMERICAL RESULTS

In this section, after introducing our main simulation parameters, we provide some numerical results based on the analysis presented in Section III, with the following objectives.

- (i) Comparing the coverage and connectivity performance of vehicles considering both a rural and an urban path loss characterization, following the models of [25] and [26], respectively.
- (ii) Evaluating the throughput performance of the VNs in a mmWave vehicular network. The validity of the proposed theoretical model will be assessed by comparing the analytical results representing Eq. (15) with simulation outcomes.
- (iii) Providing insights on the impact on the performance of V2X nodes in highly mobile mmWave networks of several automotive-specific features, e.g., the vehicles speed, the beam tracking periodicity, the nodes density, the antenna configuration.

A. System Parameters

The parameters used to derive the results are based on realistic system design considerations and are summarized in Tab. I(b). In particular, we assume that the mmWave network is operated at $f_C = 28$ GHz, and the total available bandwidth is $W_{tot} = 1$ GHz. In addition, the mmWave channel follows the model presented in Sec. II-D where the Rayleigh parameter μ is set to 1. The BSs are equipped with an antenna array of $N_b \times M_b = \{4, 16, 64\}$ elements. The resulting main lobe width ψ and BF gain G_b are proportional to the array size, since narrower beams can be steered and larger gains can be achieved when considering larger-scale arrays [32]. Therefore, we assume $\psi \simeq \{90^\circ, 60^\circ, 30^\circ\}$ and $G_b \simeq \{20, 12, 6\}$ dB, according to the respective array dimension. On the other hand, the VN is equipped with $N_{\rm VN} \times M_{\rm VN} = 16$ elements, steering beams of width $\phi \simeq 60^\circ$ and producing a gain $G_{\rm VN} \simeq 12$ dB. Finally, the side lobe gain of both base stations and vehicular nodes is set to $g_b = g_{\rm VN} = -10$ dB. The BSs are positioned uniformly at random on both sides of the road according to a PPP with density λ_L and λ_N for LOS and NLOS BSs, respectively. The road width is 2W = 14.8 m, while the length is L = 50 km. As introduced in Sec. II-C, perfect alignment between the VN, moving at constant speed $V = \{30, 60, 90, 100, 130\}$ km/h, and its serving infrastructure is guaranteed every $T_S = \{0.1, 0.3, 0.5, 1\}$ s. Conversely, interfering BSs steer their beams through random angle configurations.

B. Results

Coverage and Connectivity (Urban Path Loss Model). Considering an urban path loss characterization, Fig. 3 illustrates the probability $P_{NL}^{(U)}$ that the VN does not leave the communication range of its serving BS within a slot of duration T_S , as expressed by Eq. (13). We vary the BSs density λ_b and consider different system configurations. We observe that $P_{NL}^{(U)}$ decreases with λ_b . The reason is that, when considering denser networks, the distance r to the serving BS decreases, thereby geometrically tightening the region shaped by the projection of the BS's beam onto the road surface and consequently reducing the maximum distance that the VN can cover before leaving the communication range of its serving cell (see also Fig. 9).

Furthermore, from Fig. 3(a), we notice that $P_{NL}^{(U)}$ increases with ψ , since wider beams enlarge the area in which the VN can benefit from the coverage of its serving BS and therefore guarantee a more durable alignment within the slot.



(a) $P_{NL}^{(U)}$, with parameters $T_S = 300$ ms, V = 100 km/h, for different antenna configurations.



(b) $P_{NL}^{(U)}$, with parameters $\psi = 30^{\circ}$, V = 100 km/h, for different values of the slot duration.



(c) $P_{NL}^{(U)}$, with parameters $\psi = 30^{\circ}$, $T_S = 300$ ms, for different values of the VN speed.

Fig. 3: Probability of not leaving the communication range of the serving BS $(P_{NL}^{(U)} = \mathbb{P}[T_L > T_S])$ within a slot of duration T_S , when varying the BSs density λ_b . An urban path loss model is considered. The curves are analytically obtained from Eq. (13).

Finally, Figs. 3(b) and (c) show that $P_{NL}^{(U)}$ increases for shorter slots and/or lower vehicle speeds because of the shorter distance covered by the VN during one slot.

Nevertheless, according to Theorem 2, the preservation of the connectivity during a slot requires both accurate alignment between the endpoints and satisfactory signal quality. The value of $P_{NL}^{(U)}$ therefore becomes particularly meaningful if weighted by and constrained with the VN's coverage probability at the beginning of the slot. In Fig. 4(a), we thus plot the SINR coverage probability, i.e., the probability that the VN is connected at the beginning of a synchronization



(a) $P_{cov}^{(U)}$, for different antenna configurations. SINR threshold $\Gamma = -5$ dB.



(c) $P_C^{(U)}$ with parameters $\psi = 30^\circ$, V = 100 km/h, for different values of the slot duration.



(b) $P_C^{(U)}$ with parameters $T_S = 300$ ms, V = 100 km/h, for different antenna configurations.



(d) $P_C^{(U)}$ with parameters $\psi = 30^\circ$, $T_S = 300$ ms, for different values of the VN speed.

Fig. 4: Coverage and connectivity probabilities $(P_{cov}^{(U)})$ and $P_{C}^{(U)}$, respectively) within a slot of duration T_S , when varying the BSs density λ_b . An urban path loss model is considered. The curves are analytically obtained from Eqs. (10) and (12).

slot, as expressed by Eq. (10), for different transmit antenna configurations. We note that $P_{cov}^{(U)}(\Gamma)$ increases with the BSs density λ_b because of the higher probability of having a BS at shorter distance which can offer better signal quality. However, the gain progressively reduces with λ_b because of the increasing impact of the interference from the surrounding BSs. Anyway, the increasing trend shown by $P_{cov}^{(U)}(\Gamma)$ proves that the reduction of the attachment distance is dominant over the increased interference. Finally, the figure shows that narrower beams result in higher SINR (and higher $P_{cov}^{(U)}(\Gamma)$) due to the higher gain achieved by beamforming, as expected. In Figs. 4(b), (c), (d) we report the connectivity probability $P_C^{(U)}$ representing the probability, as expressed by Eq. (12), that the VN is connected during an entire slot of duration T_S , i.e., the VN is still connected at the end of one slot given that it was connected at the beginning of the same slot, as a function of ψ , V and T_S . We observe that $P_C^{(U)} = P_{cov}^{(U)}(\Gamma) \cdot P_{NL}^{(U)}$ exhibits a maximum for a given density λ_b^* . In detail, we notice that $P_C^{(U)}$ increases with λ_b for sparse networks. In this region, the reduction of the attachment distance r to the serving BS is more significant than the increase of the interference coming from the neighboring BSs. Moreover, r is still sufficiently large to allow for a loose beam alignment (thanks to the widening of the beam's projection on the road's surface with the distance), so that the connectivity between the endpoints is maintained for a relatively large number of slots. After a certain value of λ_b , $P_C^{(U)}$ starts decreasing. In this range, the coverage probability does not increase significantly, as depicted in Fig. 4(a), while r keeps reducing and the resulting smaller beam projected on the highway lanes contributes to increasing the risk of losing connectivity during a slot, as illustrated in Fig. 3.

Finally, as mentioned above, Figs. 4(c) and (d) emphasize how more durable connectivity capabilities are guaranteed for smaller values of T_S and V, respectively.

Throughput Results (Urban Path Loss Model). As mentioned in Sec. III-D, a non-zero throughput *B* is experienced when the vehicle is within the coverage of its serving infrastructure and properly aligned with it. In Fig. 5 we plot the results representing the average throughput measured by the target VN within a slot of duration T_S . While the analytical connectivity results presented in the previous paragraphs were exact, these throughput curves were obtained from an approximate theoretical framework. To assess the accuracy of the approximation, we report in the graphs also the simulation results obtained through a Monte Carlo approach, where multiple independent simulations are repeated to get different statistical quantities of interest. At each iteration, the simulator computes the path loss, according to the urban characterization proposed in [26], from each BS to the test VN and (i) makes the optimal association decision according to a max-path loss policy, (ii) measures the SINR from the VN to its serving cell, and (iii) computes the data rate, according to the Shannon formula, for the fraction of time in which the nodes are properly aligned. Finally, the throughput is estimated by averaging over the total number of repetitions.

First, we observe that the numerical results closely follow the analytic curves representing



(a) $B^{(U)}$ with parameters $T_S = 300$ ms, V = 130 km/h, for different antenna configurations.



(b) $B^{(U)}$ with parameters $\psi = 30^{\circ}$, V = 130 km/h, for different values of the slot duration.



(c) $B^{(U)}$ with parameters $\psi = 30^{\circ}$, $T_S = 300$ ms, for different values of the VN speed.

Fig. 5: Average throughput (B) experienced within a slot of duration T_S , when varying the BSs density λ_b . An urban path loss model is considered. The dashed lines are drawn from Monte Carlo simulations, the markers are obtained from Eq. (15).

Eq. (15), thereby validating our theoretical framework. Moreover, it is interesting to observe that, in all considered configurations, the throughput exhibits a similar trend when varying the BSs density λ_b and, most importantly, follows the behavior of the connectivity curves presented in Fig. 4. An optimal value of $B^{(s)}$ can therefore be identified, meaning that there exists a density threshold λ_b^* above which the deployment of more BSs results in a considerable increase of the system complexity while leading to worse communication performance. Moreover, Fig. 6 exemplifies how B grows as V decreases, because of the higher probability of remaining



Fig. 6: Histogram of the average throughput (B) experienced for different values of slot duration T_S , speed V and BS's beamwidth ψ . An urban path loss model and a fixed BS density $\lambda_b = 25$ BS/km are considered.

connected during a slot. Similarly, B grows as T_S decreases, because the beam alignment is repeated more frequently, thus reducing the disconnection time. However, the overhead (which is not accounted for in this analysis) would also increase, thus limiting or even nullifying such a gain if T_S drops below a certain threshold.

Path Loss Models Comparison. In Fig. 7, we compare the connectivity performance of the V2X network adopting either a rural or an urban highway path loss model. It is interesting to notice that the two models are intrinsically different and capture the characteristics of two clearly distinct environments. In particular, for $s \in \{R, U\}$, Fig. 7(a) illustrates the probability $P_L^{(s)}$ that the target VN is attached to a LOS BS, as given by Eq. (7). For the rural case, $P_L^{(R)}$ does not vary much with the density λ_b , due to the assumption that the LOS probability $p_L^{(R)}$ is independent of the distance from the VN to the BS. This result is perfectly in line with the simulation outcomes presented in [25]. On the other hand, for the urban case, $P_L^{(U)}$ monotonically increases with λ_b because the probability of LOS conditions to one of the BSs increases. Moreover, from the table superimposed to Fig. 7(a), we realize how the path loss parameters (i.e., α_L and α_N) of the two models are remarkably different. More specifically, the path loss characterized by [25] is much more severe than its counterpart. It is interesting to note that, although referred to different scenarios and channel characterizations, all connectivity curves displayed in Fig. 7(b) show similar trends. Finally, notice that the rural characterization has a significant impact mainly in sparse networks (i.e., $\lambda_b < 15$ BS/km, with the settings of



(a) LOS connection probability $P_L^{(s)}$ between the target VN and its serving BS.



(b) Connectivity probability $P_C^{(s)}$ with parameters $\psi = 30^\circ$, $T_S = 300$ ms and V = 100 km/h.

Fig. 7: Comparison between the rural and the urban path loss models, denoted with superscript $s \in \{R, U\}$ respectively, in terms of (a) LOS attachment probability, as given by Eq. (7), and (b) connectivity probability, as given by Eq. (12), as a function of λ_b .

Fig. 7), showing the worst connectivity performance, while the urban path loss model affects the connectivity behavior of denser networks instead.

V. FINAL REMARKS AND OPEN CHALLENGES

In this work, we proposed a stochastic geometry framework to characterize the coverage (i.e., downlink coverage) and the connectivity (i.e., beam alignment probability) performance of a dynamic mmWave vehicular network deployed along a multi-lane highway section. The key point is that, in order to compensate for the increased isotropic path loss experienced at high frequencies, next-generation mmWave automotive communication must provide mechanisms by which the vehicles and the infrastructure determine suitable directions of transmission to exchange data. In this context, our model characterizes the base stations as independent homogeneous LOS and NLOS one-dimensional Poisson processes and implements both a rural and a distance-dependent urban path loss model, in which the communication between the endpoints is impaired by large vehicles acting as blockages or environmental obstructions, respectively. We derived expressions for the SINR coverage probability, the probability that the vehicle does not disconnect from its serving cell over time, and the achievable throughput, as a function of the infrastructure density. We showed that:

- (i) The preservation of the connectivity requires both accurate alignment between the endpoints and satisfactory signal quality.
- (ii) For sparse networks, the connectivity probability grows with the BS density. In this region, the connectivity can be improved by considering narrower beams due to the resulting higher gain achieved by beamforming.
- (iii) For dense networks, the connectivity probability presents a decreasing behavior when increasing the number of BSs. In this region, larger beams should be produced to generate larger connectivity regions and ensure a more robust alignment between the nodes.
- (iv) Better connectivity and throughput performance is achieved by considering frequent beam re-alignment operations (which allow the endpoints to reduce the disconnection time) and slower cars (because of the resulting higher probability of remaining connected during one slot).
- (v) Consistent connectivity trends have been observed under intrinsically diverse path loss models (i.e., a rural model characterized by stringent path loss parameters and an urban model featuring moderate LOS attachment probability values).

Most vehicular-related challenges are still largely unexplored, so that additional research is needed. As part of our future work, we aim at further validating the presented results considering innovative and original channel models specifically tailored to a next-generation V2X context. Moreover, it would be interesting to formally characterize space and time dependent target performance metrics to assess the connectivity performance of the nodes in the rapidly time-varying mmWave environment, while investigating realistic scenarios and models.

APPENDIX A

PROOF OF LEMMA 1

Considering the LOS case, the VN is at distance r from the closest LOS BS if no other LOS BSs lie at distance closer than r. Considering the highway scenario described in Sec. II-A and taking Fig. 8(a) as a reference, there must be no other LOS BSs within the interval [-b(r), b(r)], with $b(r) = \sqrt{r^2 - W^2}$. Since the spatial distribution of the LOS BSs is modeled as a 1-D Poisson process Φ_L with density $\lambda_L^{(s)}(r)$, we have

$$F_L^{(s)}(r) = \mathbb{P}\Big[$$
No LOS BSs within the interval $[-b(r), b(r)]\Big]$

25



 $b(A_{i}(r)) \qquad b(A_{i}(r))$ $b(A_{i}(r))$ $b(A_{i}(r))$ $b(A_{i}(r))$ Car lane W W

(a) The test VN is at distance r from the closest LOS (or NLOS) BS, and $b(r) = \sqrt{r^2 - W^2}$.



Fig. 8: Illustration of a half section of highway of width W, as a support to the proof of Lemma 1 and Lemma 2.

$$= \exp\left(-\int_{-b(r)}^{b(r)} \lambda_L^{(s)}(x) \mathrm{d}x\right)$$
$$\stackrel{(a)}{=} \exp\left(-2\int_0^{b(r)} \lambda_L^{(s)}(x) \mathrm{d}x\right)$$
$$\stackrel{(b)}{=} \exp\left(-2\lambda_b \int_0^{b(r)} p_L^{(s)}(x) \mathrm{d}x\right)$$
(19)

with $s \in \{R, U\}$. Step (a) follows from the symmetry of the scenario and (b) from the fact that $\lambda_L^{(s)}(x) = p_L^{(s)}(x)\lambda_b$. The PDF of r can be computed as

$$f_L^{(s)}(r) = \frac{\partial}{\partial r} \left(1 - F_L^{(s)}(r) \right) = \frac{\partial}{\partial r} \left(1 - \exp\left(-2\lambda_b \int_0^{b(r)} p_L^{(s)}(x) \mathrm{d}x \right) \right),$$

which gives Eq. (5) for the LOS case. With a similar reasoning, it is also possible to prove the lemma for the NLOS case.

APPENDIX B

Proof of Lemma 2

Let r_L and r_N be the random variables expressing the distance to the closest LOS and NLOS BSs, respectively. For $s \in \{R, U\}$, consider the event in which the test VN connects to a LOS BS, at distance r_L . Such an event requires the LOS BS to have smaller path loss than that of the nearest NLOS BS, at distance r_N . The probability $P_L^{(s)}$ of connecting to the LOS BS can therefore be expressed as

$$P_L^{(s)} = \mathbb{P}\Big[C_L r_L^{-\alpha_L} > C_N r_N^{-\alpha_N}\Big] = \mathbb{P}\Big[r_N^{-\alpha_N} < (C_L/C_N)r_L^{-\alpha_L}\Big]$$
$$= \mathbb{P}\Big[r_N^{\alpha_N} > (C_N/C_L)r_L^{\alpha_L}\Big] = \mathbb{P}\Big[r_N > ((C_N/C_L)r_L^{\alpha_L})^{\frac{1}{\alpha_N}}\Big]$$

$$= \int_{W}^{\infty} \mathbb{P}\Big[r_N > A_L(r)\Big] f_L^{(s)}(r) \mathrm{d}r,\tag{20}$$

where the last step follows from the fact that r > W by construction and that $f_L^{(s)}(r)$ is the PDF of r_L , as per Lemma 1. From Lemma 1 and considering the highway scenario represented in Fig. 8(b), $\mathbb{P}[r_N > A_L(r)]$ can be regarded as the probability that there are no NLOS BSs within the interval $[-b(A_L(r)), b(A_L(r))]$, with $b(r) = \sqrt{b(A_L(r))^2 - W^2}$, and can be written as

$$\mathbb{P}[r_N > A_L(r)] = \exp\left(-2\lambda_b \int_0^{b(A_L(r))} p_N^{(s)}(x) \mathrm{d}x\right).$$
(21)

By substituting Eq. (21) into Eq. (20), we get Lemma 2 for the LOS scenario. The proof for the NLOS case follows the same line of reasoning.

APPENDIX C

PROOF OF THEOREM 1

Let $r_i^{n^*}$ be the random variable expressing the distance to the serving BS $n^* \in \Phi_i$, for $i \in \{L, N\}$. The joint probability $\mathbb{P}[\text{SINR} > \Gamma, n^* \in \Phi_i]$ in Eq. (9) can be expressed as

$$\mathbb{P}\left[\operatorname{SINR} > \Gamma, n^{*} \in \Phi_{i}\right] = \mathbb{E}_{r_{i}^{n^{*}}} \left[\mathbb{P}[\operatorname{SINR}_{i} > \Gamma \mid r_{i}^{n^{*}}]\right] \\
\stackrel{(a)}{=} \mathbb{E}_{r_{i}^{n^{*}}} \left\{\mathbb{P}\left[\frac{|h_{1}|^{2}\Delta_{1}C_{i}r_{i}^{-\alpha_{i}}}{(I_{L}+I_{N})+\sigma^{2}} > \Gamma \mid r_{i}^{n^{*}}\right]\right\} \\
= \int_{W}^{\infty} \mathbb{P}\left[\frac{|h_{1}|^{2}\Delta_{1}C_{i}r^{-\alpha_{i}}}{(I_{L}+I_{N})+\sigma^{2}} > \Gamma \mid r\right] \bar{f}_{i}^{(s)}(r) \mathrm{d}r \\
= \int_{W}^{\infty} \mathbb{P}\left[|h_{1}|^{2} > \frac{\left[(I_{L}+I_{N})+\sigma^{2}\right]\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\mid r\right] \bar{f}_{i}^{(s)}(r) \mathrm{d}r, \qquad (22)$$

where (a) has been obtained by using the definition of SINR_i in Eq. (3). Now, since $|h_1|^2$ is exponentially distributed with mean μ , the probability term inside Eq. (22) can be expressed as

$$\mathbb{P}\left[|h_{1}|^{2} > \frac{\left[(I_{L}+I_{N})+\sigma^{2}\right]\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\Big|r\right] = \mathbb{E}_{r,I_{L},I_{N}}\left\{\mathbb{P}\left[|h_{1}|^{2} > \frac{\left[(I_{L}+I_{N})+\sigma^{2}\right]\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\Big|r,I_{L},I_{N}\right]\right\} \\
= \mathbb{E}_{I_{L},I_{N}}\left[\exp\left(\frac{-\mu\sigma^{2}\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right)\exp\left(\frac{-\mu I_{L}\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right)\exp\left(\frac{-\mu I_{N}\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right)\Big|I_{L},I_{N}\right] \\
\stackrel{(b)}{=}\exp\left(\frac{-\mu\sigma^{2}\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right)\mathcal{L}_{I_{i}^{L}}^{(s)}\left(\frac{\mu\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right)\mathcal{L}_{I_{i}^{N}}^{(s)}\left(\frac{\mu\Gamma r^{\alpha_{i}}}{\Delta_{1}C_{i}}\right),$$
(23)

where (b) derives from the definition of Laplace functional $\mathcal{L}_{\mathcal{X}}(t) \triangleq \mathbf{E}[e^{-t\mathcal{X}}]$. By substituting Eq. (23) into Eq. (22), the coverage probability becomes

$$\mathbb{P}\Big[\mathrm{SINR} > \Gamma, \ n^* \in \Phi_i\Big] = \int_W^\infty \exp\left(\frac{-\mu\sigma^2\Gamma r^{\alpha_i}}{\Delta_1 C_i}\right) \mathcal{L}_{I_i^L}^{(s)}\left(\frac{\mu\Gamma r^{\alpha_i}}{\Delta_1 C_i}\right) \mathcal{L}_{I_i^N}^{(s)}\left(\frac{\mu\Gamma r^{\alpha_i}}{\Delta_1 C_i}\right) \bar{f}_i^{(s)}(r) \mathrm{d}r.$$
(24)

Given that the test VN is associated to BS $n^* \in \Phi_i$, the Laplace functional of the interference from BSs $\in \Phi_j$ to the test VN, is obtained as follows:

$$\mathcal{L}_{I_{i}^{j}}^{(s)}(t) \triangleq \mathbf{E}_{\Phi_{j},h,\Delta_{I}} \left[e^{-tI} \right] = \mathbf{E}_{\Phi_{j},h,\Delta_{I}} \left[\exp\left(-t\sum_{k\in\Phi_{j}}|h_{k}|^{2}\ell_{j}(r_{k})\Delta_{I_{k}}\right) \right]$$

$$\stackrel{(a)}{=} \mathbf{E}_{\Phi_{j}} \left\{ \prod_{k\in\Phi_{j}} \mathbf{E}_{h,\Delta_{I}} \left[\exp\left(-t|h_{k}|^{2}r_{k}^{-\alpha_{j}}C_{j}\Delta_{I_{k}}\right) \right] \right\}$$

$$\stackrel{(b)}{=} \exp\left(-2\lambda_{b} \int_{\left(\frac{C_{j}}{C_{i}}r^{\alpha_{i}}\right)^{\frac{1}{\alpha_{j}}}}^{\infty} \left\{ 1 - \mathbf{E}_{h_{k},\Delta_{I_{k}}} \left[\exp\left(-t|h_{k}|^{2}v^{-\alpha_{j}}C_{j}\Delta_{I_{k}}\right) \right] \right\} p_{j}^{(s)}(v) \mathrm{d}v \right\}, \quad (25)$$

where (a) follows from the i.i.d. distribution of the interferes' channel parameters $|h_k|^2$ and from the further independence from the point process Φ_j , (b) derives from the symmetry of the scenario, and by applying the *probability generating functional* of the PPP [33]. Moreover, using the *moment generating function* of exponentially distributed $|h_k|^2$'s, that is

$$\mathbf{E}_{h_k}\left[\exp\left(-t|h_k|^2 v^{-\alpha_j} C_j \Delta_{I_k}\right)\right] = \frac{1/\mu}{1/\mu + t v^{-\alpha_j} C_j \Delta_{I_k}},\tag{26}$$

and from the consideration that Δ_{I_k} are discrete random variables with $\mathbb{P}[\Delta_I = G_b G_{\text{VN}}] = \theta_b/\pi$ and $\mathbb{P}[\Delta_I = g_b g_{\text{VN}}] = 1 - (\theta_b/\pi)$, the expression for $\mathcal{L}_{I_i^j}^{(s)}(t)$ in (25) can be further written as:

$$\mathcal{L}_{I_{i}^{j}}^{(s)}(t) = \exp\left(-2\lambda_{b} \int_{\left(\frac{C_{j}}{C_{i}}r^{\alpha_{i}}\right)^{\frac{1}{\alpha_{j}}}}^{\infty} \left[1 - \left(\frac{1/\mu(\theta_{b}/\pi)}{1/\mu + tv^{-\alpha_{j}}C_{j}G_{b}G_{\mathrm{VN}}} + \frac{1/\mu[1 - (\theta_{b}/\pi)]}{1/\mu + tv^{-\alpha_{j}}C_{j}g_{b}g_{\mathrm{VN}}}\right)\right] p_{j}^{(s)}(v)\mathrm{d}v\right).$$
(27)

By combining Eq. (24) and (27), the proof is concluded.

APPENDIX D

PROOF OF THEOREM 2

Suppose that, at the beginning of a slot of duration T_S , the target VN is connected with a BS at distance r (w.p. $P_{cov}^{(s)}(\Gamma)$). According to the considerations we made in Sec. II, the main lobe center of the BS's transmit beam points at its associated VN, as illustrated in Fig. 9. According



Fig. 9: Illustration of an half section of highway of width W, as a support to the proof of Theorem 2.

to the *law of sines*, the quantity d(r) that represents the maximum distance that the node can cover before leaving the communication range of its serving BS is defined as

$$d(r) \triangleq \frac{r\sin(\psi/2)}{\sin(\beta(r))},\tag{28}$$

where ψ is the beamwidth of the BS's main lobe and, from the trigonometric identities, $\beta(r) = \eta + \theta(r)$, with $\eta = \pi/2 - \psi/2$ and $\theta(r) = \arccos(W/r)$. Notice that d(r) increases with r due to the resulting wider geometric projection of the BS's beam onto the road surface. That being said, the probability that the VN does not disconnect from its serving infrastructure can be viewed as the probability that the VN does not cover a distance greater than d(r) within the slot. The distance covered by the VN, moving at speed V, within the slot of duration T_S is VT_S , therefore

$$P_{NL} = \mathbb{P}[T_L > T_S] = \mathbb{P}[VT_S < d(r)]$$

$$= \mathbb{P}\left[VT_S < \frac{r\sin(\psi/2)}{\sin(\beta(r))}\right]$$

$$= \mathbb{P}\left[r > \frac{VT_S\sin(\beta(r))}{\sin(\psi/2)}\right]$$

$$= \mathbb{P}\left[r > \frac{VT_S\sin\left(\frac{\pi/2 - \psi/2 + \arccos(W/r)}{\operatorname{sin}(\psi/2)}\right)}{\sin(\psi/2)}\right]$$

$$\stackrel{(a)}{=} \mathbb{P}\left[r > \frac{VT_S}{\sin(\psi/2)}\left(\sin(\eta)\cos(\arccos(W/r)) + \cos(\eta)\sin(\arccos(W/r))\right)\right]$$

$$\stackrel{(b)}{=} \mathbb{P}\left[r > \frac{VT_S}{\sin(\psi/2)}\left(\frac{W}{r}\sin(\eta) + \sqrt{1 - \left(\frac{W}{r}\right)^2}\cos(\eta)\right)\right], \quad (29)$$

where (a) derives from the trigonometric addition formula $\sin(\eta + \theta(r)) = \sin(\eta)\cos(\theta(r)) + \cos(\eta)\sin(\theta(r))$, and (b) from the trigonometric identities $\cos(\arccos(x)) = x$ and $\sin(\arccos(x)) = \sqrt{1 - x^2}$. The expressions in (29) and (13) coincide, concluding the proof.

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